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MCRTOF- A MONTE-CARLO PROGRAM
FOR MULTIPLE SCATTERING OF
NEUTRONS IN RESONANCE ENERGY
REGION

November 1978

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MCRTOF - A Monte-Carlo Program for Multiple Scattering
of Neutrons in Resonance Energy Region

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(Received November 1, 1978)

To study the capture and scattering probabilities of neutrons in the resonance energy region, a Monte-Carlo program is coded. Path of a neutron which impinges onto a inclined disk sample is simulated using neutron cross sections calculated from the resonance parameters. Capture, front and rear face scattering, transmission etc. probabilities are obtained from the average destinations of the incident neutrons.

Incident neutron energy is changed step by step in order to reproduce these probabilities over resonances.

In this report are described of the basic multiple scattering loop, coordinate transformations, cross section formulae, motion of the target nucleus, etc., also with flow chart, input card format, output example, and FORTRAN list in the appendix. Calculations were made with FACOM-230/75 computer at JAERI.

Keywords: Neutron Resonance, Multiple Scattering, Neutron Capture,
Monte-Carlo Program, FORTRAN list, Manual.

MCRTOF-共鳴領域における中性子多重
散乱のためのモンテカルロ・プログラム

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(1978年11月1日受理)

共鳴領域中性子の、捕獲、散乱などの確率をしらべるために、モンテカルロプログラムを作成した。傾けた円板に入射する個々の中性子の動きを、共鳴パラメータにより求めた断面積を用いて、完全にシミュレートする。多くの入射中性子の平均の命運から、捕獲、前面散乱、後面散乱、横面散乱、透過などの確率を求める。入射中性子のエネルギーは共鳴付近で細かく変化させて、上記の各確率の変化をもとめる。②多重散乱基本ループ、座標変換、断面積公式、ターゲット核熱運動を述べ、③フロー・チャート、④入力カードの作り方、またAPPENDIXにFORTRAN LISTを付けた。計算はFACOM-230/75によった。計算出力の例も付けた。

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MCRTOF - A Monte-Carlo Program for Multiple Scattering of Neutrons
in Resonance Energy Region

Makio OHKUBO

1. Introduction

In nuclear reactor engineering, the neutron transport or the multiple scattering in the materials are essentially important. Also multiple scattering considerations are inevitably needed for the precise knowledge of capture and scattering probabilities for neutrons impinging onto a material. Many works have been done on the multiple scattering of neutrons in the continuous energy region. However, there are few systematic works on the thick materials having resonances, though some Monte-Carlo programs are available to obtain resonance parameters for the neutron capture and scattering cross section measurements.^{1,2,3)}

It is important to study the multiple scattering of neutrons in resonance region, where analytical calculations are too complicated to obtain the reliable results; the Monte-Carlo method is the most suitable.

For this purpose, a Monte-Carlo program MCRTOF was coded to obtain capture and scattering probabilities for neutrons incident on a material disk, with neutron cross section having resonances. With the program, these probabilities were systematically calculated, and the results are compared with the experimental ones with a time-of-flight spectrometer in the JAERI linear accelerator.^{4,5,6)}

In this report, details of the Monte-Carlo program are described. The program consists of several blocks;

- 1) input parameter read-in,
- 2) cross section file production from given resonance parameters,
- 3) multiple scattering loop,
- 4) statistics and print out of the results.

In the program, paths of a neutron which impinges onto a disk inclined with an arbitrary angle to the incident direction are simulated by the Monte-Carlo method, using capture and scattering cross sections which are produced from a given set of resonance parameters. For each incident energy, the probabilities of capture, front and rear face scattering, transmission

are obtained by averaging over many incident neutrons. All these probabilities are listed in a format convenient for the comparison with the experimental ones, and these probabilities are illustrated with sheet plots as functions of incident energies. At some energy points, the spacial distributions of neutron capture reactions are also illustrated in a projection on the plane normal to the disk surface.

The methods of calculations are given in § 2, a flow chart in § 3, usage of the program and example outputs in § 4; FORTRAN list in the appendix. Calculations are made with FACOM 230/75 computer at JAERI.

§ 2. Methods of calculations

Following are the assumptions in calculations, basic formulations, and important and essential constituents of the program.

2-1 Geometries

The MCRTOF program treats scattering and capture probabilities of neutrons impinging onto a sample disk of diameter D , thickness T_1 , and with reflector layer thickness T_2 . The normal of the disk is inclined with an angle α to the incident beam, and the geometry is shown in fig.1. On the disk an orthogonal coordinate system (x,y,z) is defined; the origin at the center of the incident surface, z -axis normal to the surface in a direction forward sample interior, and x -axis is so chosen for the incident neutron passing the origin to be in xz plane.

2-2 Assumptions

In the elementary process of reaction between neutron and nucleus, microscopic cross sections are taken into consideration. The assumptions in Monte-Carlo calculations are as follows.

- 1) Incident neutrons impinge onto a homogeneous, mono-isotopic material disk inclined with an arbitrary angle to the incident beam at an arbitrary point on the surface. The disk has a reflector layer on rear side. The geometry is shown in fig.1.
- 2) Neutron cross sections are calculated with the Breit-Wigner single level formula for given resonance parameters $(E_0, \Gamma, \Gamma_n, g)$, and mass number, isotopic abundance; the Doppler broadening is considered.
- 3) Reactions other than elastic scattering and capture are neglected.
- 4) The angular distribution of scattering is homogeneous in the center of

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- 3) Reactions other than elastic scattering and capture are neglected.
- 4) The angular distribution of scattering is homogeneous in the center of

mass system.

- 5) Chemical binding effect of target nuclei is neglected.
- 6) Thermal motion of the target nuclei is considered.

2-3 Mean free path

As shown in fig.2 a neutron of energy E_0 impinges onto the disk surface at point Q_0 with an angle α to the normal of the surface, and collides with target nuclei at points Q_1, Q_2, \dots and captured at Q_1 . The mean free path of the neutrons of energy E_0 in the disk is defined as

$$\lambda(E_0) = 1/\Sigma_t(E_0) = 1/(\Sigma_s(E_0) + \Sigma_c(E_0)) \dots\dots\dots(1)$$

where $\Sigma_s(E_0), \Sigma_c(E_0)$ are macroscopic scattering and capture cross sections respectively, which are constructed in the computer core area from the Doppler broadened cross sections based on the Breit-Wigner single level formula. The resonance parameters (E_0, Γ, Γ_n, g), nuclear mass, and isotopic abundance are input. In the energy region of interest, these cross sections are produced as the sum up to five resonances, with energy mesh sufficient for reproduction of the resonances. For a neutron of

energy E_0 incident at Q_0 on the surface of the sample, the path length L_1 from Q_0 to the first collision point Q_1 is determined from

$$L_1 = \lambda(E_0) \log_e(1/YR) \dots\dots\dots(2)$$

where YR is a uniform random variable of amplitude $0 < YR < 1$ produced sequentially in the program. In the orthogonal coordinate system of fig.1, the coordinates of Q_1 are

$$\left. \begin{aligned} x_1 &= x_0 + L_1 \sin \alpha \\ y_1 &= y_0 \\ z_1 &= L_1 \cos \alpha \end{aligned} \right\} \dots\dots\dots(3)$$

The region in which Q_1 lies is determined by the boundary conditions. When Q_1 is out of the disk, one count is added in the escape counter, and the program returns to the next neutron impingement.

2-4 Capture reactions

At the point Q_1 either scattering or capture occurs, and the type of

reaction is determined from the value of subsequent random variable YR; if the value of YR is less than $\sum_s(E_0)/\sum_t(E_0)$, the collision is regarded as scattering, and otherwise it is capture. In the case of capture, one count is added in the capture counter, and the program returns to the next neutron impingement.

2-5 Scattering reaction

In the case of elastic collision with a target nucleus of mass A moving at velocity U, the kinetics in both center of mass and laboratory system are discussed below. A coordinate system is taken on which the incident neutron velocity is on x-axis, direction in each stage of multiple scattering, called "microscopic coordinate" system. A neutron moving with velocity V on x-axis in the laboratory system collides with a nucleus of mass A moving with velocity U with angle β to the x-axis. The coordinate system is so chosen for the velocity vectors V and U to be on xz plane, as shown in fig.3. The vectors V, U are represented as

$$\mathbf{V} = |V| \begin{pmatrix} 1 \\ 0 \\ 0 \end{pmatrix} \dots\dots (4a) \qquad \mathbf{U} = |U| \begin{pmatrix} \cos \beta \\ 0 \\ -\sin \beta \end{pmatrix} \dots\dots (4b)$$

The center of mass velocity \mathbf{V}_0 is

$$\mathbf{V}_0 = \frac{\mathbf{V} + A\mathbf{U}}{A + 1} = \frac{1}{A + 1} \begin{pmatrix} V + A U \cos \beta \\ 0 \\ -A U \sin \beta \end{pmatrix} \dots\dots (5)$$

The neutron velocity in the center of mass system \mathbf{V}_c before collision is

$$\mathbf{V}_c = \mathbf{V} - \mathbf{V}_0 = \frac{A}{A + 1} \begin{pmatrix} V - U \cos \beta \\ 0 \\ U \sin \beta \end{pmatrix} \dots\dots (6)$$

and $|\mathbf{V}_c|^2 = \left(\frac{A}{A + 1}\right)^2 (V^2 - 2 VU \cos \beta + U^2) \dots\dots (7)$

In elastic collision, the neutron velocity changes to \mathbf{V}'_c and the following relation holds

$$|\mathbf{V}'_c|^2 = |\mathbf{V}_c|^2 \dots\dots (8)$$

where v'_c is the neutron velocity after collision in the center of mass system. In eq.(7), the thermal motion of a target nucleus makes $\cos \beta$ uniform distribution between -1 and 1, and $|U|$ Maxwellian distribution.

The neutron velocity after collision, v'_c , is written with scattering angle Ω and polar angle φ as

$$v'_c = v_c \begin{pmatrix} \cos \Omega \\ \sin \Omega \cos \varphi \\ \sin \Omega \sin \varphi \end{pmatrix} \dots\dots\dots (9)$$

where $\cos \Omega$, due to assumption 4), distribution between -1 and 1, and φ between 0 and 2π uniformly. The neutron velocity after collision in the laboratory system v' is

$$v' = v'_c + v_0 = \begin{pmatrix} v_c \cos \Omega + \frac{v + AU \cos \beta}{A + 1} \\ v_c \sin \Omega \cos \varphi \\ v_c \sin \Omega \sin \varphi - \frac{AU \sin \beta}{A + 1} \end{pmatrix} \dots\dots\dots (10)$$

If the angle δ between v and v_0 is introduced as shown in fig.3, v_0 is rewritten as

$$v_0 = v_0 \begin{pmatrix} \cos \delta \\ 0 \\ -\sin \delta \end{pmatrix} \dots\dots\dots (11)$$

and eq.(10) becomes

$$v' = v'_c + v_0 = \begin{pmatrix} v_c \cos \Omega + v_0 \cos \delta \\ v_c \sin \Omega \cos \varphi \\ v_c \sin \Omega \sin \varphi - v_0 \sin \delta \end{pmatrix} \dots\dots\dots (12)$$

The neutron energy after collision in the laboratory system is

$$E_n = \frac{m}{2} |v'|^2 \dots\dots\dots (13)$$

where m is the neutron mass, and $|v'|^2$ is

$$|v'|^2 = |v'_c|^2 + |v_0|^2 + 2|v'_c||v_0| (\cos \Omega \cos \delta - \sin \Omega \sin \delta \sin \varphi) \dots\dots\dots (14)$$

The maximum value of $|v'|^2$ is attained for an angle β under the condition

$$\cos \beta = -\frac{(A - 1)}{2} \frac{|U|}{|v|} \dots\dots\dots (15)$$

When the condition of eq.(15) is met, $|v'|^2$ is

$$|\mathbf{V}'|^2 = |\mathbf{V}|^2 + A |\mathbf{U}|^2 \dots\dots\dots (16)$$

and the maximum scattered neutron energy is

$$E_n = \frac{m}{2} (V^2 + A U^2) \dots\dots\dots (17)$$

which means the scattered neutron carries off all the kinetic energy of the system. The equation (14) can be rewritten as

$$V'^2 = V^2 \left\{ \left(1 - \frac{2A}{(1+A)^2} \right) + \left(\frac{2A(A-1)}{(1+A)^2} \cos \beta \right) \left(\frac{U}{V} \right) + \frac{2A^2}{(1+A)^2} \left(\frac{U}{V} \right)^2 \right\} + \frac{2AV^2}{(1+A)^2} (\cos \alpha \cos \delta - \sin \alpha \sin \delta \sin \varphi) \sqrt{F} \dots\dots\dots (18)$$

where F is

$$F = \left(1 - 2 \left(\frac{U}{V} \right) \cos \beta + \left(\frac{U}{V} \right)^2 \right) \left(1 + 2A \left(\frac{U}{V} \right) \cos \beta + A^2 \left(\frac{U}{V} \right)^2 \right) \dots\dots\dots (19)$$

For $U/V \rightarrow 0$, $\cos \delta \rightarrow 1$, and $F \rightarrow 1$ imply, and the eq.(18) takes a simple and familiar form;

$$V'^2 = V^2 \left(1 - \frac{2A}{(1+A)^2} (1 - \cos \alpha) \right) \dots\dots\dots (20)$$

where α is the scattering angle in the center of mass system.

2-6 Transformation of coordinate system

For simple understanding of the multiple scattering, two coordinate systems will be defined; geometrical and microscopic. The geometrical coordinate system is disk-fixed; the origin at the center of the incident surface of the disk, and z-axis normal to the surface in a direction to the sample as shown in fig.1. The microscopic coordinate system is fixed to the velocity vector of a neutron, and in each scattering reaction it rides on a new velocity vector with its x-axis on the new velocity vector. An arbitrary velocity vector \mathbf{V}_G in the geometrical coordinate system is transformed by a matrix T to a vector \mathbf{V}_M in the microscopic coordinate system.

$$\mathbf{V}_G = \begin{pmatrix} a \\ b \\ c \end{pmatrix} \dots\dots\dots (21)$$

$$T = \frac{1}{\sqrt{a^2 + b^2 + c^2}} \begin{pmatrix} a & b & c \\ \frac{-b\sqrt{a^2 + b^2 + c^2}}{a^2 + b^2} & \frac{a\sqrt{a^2 + b^2 + c^2}}{a^2 + b^2} & 0 \\ \frac{-ac}{\sqrt{a^2 + b^2}} & \frac{-bc}{\sqrt{a^2 + b^2}} & \sqrt{a^2 + b^2} \end{pmatrix} \dots (22)$$

$$\mathbf{V}_M = T \mathbf{V}_G = \sqrt{a^2 + b^2 + c^2} \cdot \begin{pmatrix} 1 \\ 0 \\ 0 \end{pmatrix} \dots (23)$$

\mathbf{V}_M in eq.(23) is now an input to the scattering reaction of eq.(4). After scattering, \mathbf{V}_M' in the microscopic coordinate system is transformed by T^{-1} into a vector in the geometrical coordinate system, \mathbf{V}_G' . T^{-1} is

$$T^{-1} = T^* = \frac{1}{\sqrt{a^2 + b^2 + c^2}} \begin{pmatrix} a & \frac{-b\sqrt{a^2 + b^2 + c^2}}{\sqrt{a^2 + b^2}} & \frac{-ac}{\sqrt{a^2 + b^2}} \\ b & \frac{a\sqrt{a^2 + b^2 + c^2}}{\sqrt{a^2 + b^2}} & \frac{-bc}{\sqrt{a^2 + b^2}} \\ c & 0 & \sqrt{a^2 + b^2} \end{pmatrix} \dots (24)$$

Obviously T and T^{-1} , T^* are unitary matrix, and $|T| = 1$.

That is, the initial velocity vector in the geometrical coordinate system, \mathbf{V}_G , is transformed into \mathbf{V}_M in the microscopic coordinate system.

$$\mathbf{V}_M = T \mathbf{V}_G \dots (25)$$

The \mathbf{V}_M changes to \mathbf{V}_M' by elastic collision, and \mathbf{V}_M' is written by scattering matrix S_1 and S_2 , as shown in eq.(10).

$$\mathbf{V}_M' = S_1 \mathbf{V}_M + S_2 \mathbf{U} \dots (26)$$

where S_1, S_2 are not unitary matrix. \mathbf{V}_M' is transformed into \mathbf{V}_G' in the geometrical coordinate system through inverse transformation T^{-1} .

$$\mathbf{V}_G' = T^{-1} \mathbf{V}_M' \dots (27)$$

That is,

$$\mathbf{V}_G' = T^{-1} (S_1 T \mathbf{V}_G + S_2 \mathbf{U}) \dots\dots\dots (28)$$

For the multiple scattering, \mathbf{V}_G' is iteratively inserted as a new velocity vector \mathbf{V}_G with additional changes in energy, cross sections and position. When the thermal motion of a target nucleus is neglected, the equation(28) becomes simple:

$$\mathbf{V}_G' = T^{-1} S_1 T \mathbf{V}_G \dots\dots\dots (29)$$

The formulations of eqs.(28) and (29) make the elementary scattering process very clear and aid the computer coding for the multiple scattering process. In the energy region of interest, \mathbf{U} is much smaller than \mathbf{V}_G , and hence the detailed information is neglected of \mathbf{U} , spectrum of lattice vibration, molecular binding effects, etc.

2-7 Boundary conditions

The region in which there exist reaction points Q_i ($i=1,2,3,\dots$) is determined by the boundary conditions in fig.1 With the random variable YR ($0 < YR < 1$) the range for the first collision point, $L_1 = \overline{Q_1 - Q_0}$, is determined as

$$L_1 = \ln(1/YR) / \Sigma_T \quad \text{for } YR < \exp(-T_1 \Sigma_T / \cos \alpha) \dots\dots (30)$$

$$L_1 = (\ln(1/YR) - (\Sigma_T - \Sigma_R) T_1 / \cos \alpha) / \Sigma_R \dots\dots\dots (31)$$

for $YR > \exp(-T_1 \Sigma_T / \cos \alpha)$

The reaction region is determined by the following conditions;

1. $z > T_1 + T_2$; transmission or rear region scattering;
2. $z < 0$; front region scattering,
3. $U > D^2/4$; side region scattering.
4. $T_1 + T_2 > z > T_1, U < D^2/4$; reaction in the reflector,
5. $T_1 > z > 0, U < D^2/4$; scattering or capture in the sample.

The category 1,2,and 3 is escape of the neutrons from the disk and the program returns to the next neutron impingement. In the category 4 and 5, the reaction point is in the disk; scattering in the reflector, or scattering/capture in the sample. After scattering in the reflector, the range to the next reaction point $L_2 = \overline{Q_2 - Q_1}$ is determined with an equation similar

to eq.(31), depending on the $\cos \theta$ which is the direction of the velocity vector in the laboratory system, as shown in fig.4.

For $\cos \theta > 0$ $L_2 = \ln(1/YR) / \Sigma_R$ (32)

for $\cos \theta < 0$

$$\left\{ \begin{aligned} L_2 &= ((\Sigma_T - \Sigma_R)(T_1 - z) / \cos \theta + \ln(1/YR)) / \Sigma_T \\ &\quad \text{for } 0 < YR < \exp(-\Sigma_R(T_1 - z) / \cos \theta) \dots (33) \\ L_2 &= \ln(1/YR) / \Sigma_R \quad \text{for } YR > \exp(-\Sigma_R(T_1 - z) / \cos \theta) \dots (34) \end{aligned} \right.$$

For the scattering in the sample, the range to the next reaction point is determined similarly.

$L_2 = \ln(1/YR) / \Sigma_T$ for $\cos \theta \leq 0$ (35)

For $\cos \theta \geq 0$

$$\left\{ \begin{aligned} L_2 &= ((\Sigma_R - \Sigma_T)(T_1 - z) / \cos \theta + \ln(1/YR)) / \Sigma_R \\ &\quad \text{for } 0 < YR < \exp(-\Sigma_R(T_1 - z) / \cos \theta) \dots (36) \\ L_2 &= \ln(1/YR) / \Sigma_T \quad \text{for } YR > \exp(-\Sigma_T(T_1 - z) / \cos \theta) \dots (37) \end{aligned} \right.$$

The path length in the disk until capture RL is obtained as the sum of L_i .

$RL = L_1 + L_2 + L_3 + \dots$ (38)

2-8 Neutron cross section production

Neutron cross sections are produced from the given resonance parameters, assuming single level Breit-Wigner formula for all resonances.

$\sigma_t = \sum_i f_i \left[\sigma_0 \left(\frac{\Gamma_b}{\Gamma} \sqrt{\frac{E_0}{E}} + \frac{\Gamma_n}{\Gamma} \right)_i (\psi \cos 2k_i R + \chi \sin 2k_i R) \right]_i + \sigma_p \dots (39a)$

$\sigma_c = \sum_i f_i (\sigma_0 \left(\frac{\Gamma_b}{\Gamma} \sqrt{\frac{E_0}{E}} \psi \right)_i$ (39b)

$\sigma_s = \sigma_t - \sigma_c$ (39c)

$\sigma_p = 4\pi \lambda^2 \sin kR \approx 4\pi R^2$ (39d)

f_i is the isotopic abundance for i-th resonance.

In the region of interest, the approximations hold well; $\sin 2kR \approx 2kR$, $\cos 2kR \approx 1$. The cross sections thus are,

$$\sigma_t = \sum_i f_i \sigma_0 (\psi + 2kR \chi)_i + \sigma_p \quad \dots\dots\dots (40a)$$

$$\sigma_c = \sum_i f_i (\sigma_0 \frac{\Gamma_g}{\Gamma} \psi)_i \quad \dots\dots\dots (40b)$$

$$\sigma_s = \sum_i f_i (\sigma_0 (\psi \frac{\Gamma_n}{\Gamma} + 2kR \chi)_i + \sigma_p \quad \dots\dots\dots (40c)$$

where $\sigma_0 = 4\pi \chi_g^2 \frac{\Gamma_n}{\Gamma}$ ($4\pi \chi^2 = 2.60 \times 10^6 / E$ (barn/eV)).....(41)

The Doppler integrals ψ, χ are

$$\text{PSI} = \psi(\beta, X) = \frac{1}{\beta\sqrt{\pi}} \int_{-\infty}^{\infty} \frac{1}{1+y^2} \exp(-(X-y)^2/\beta^2) dy \quad \dots\dots\dots (42)$$

$$\text{CHI} = \chi(\beta, X) = \frac{1}{\beta\sqrt{\pi}} \int_{-\infty}^{\infty} \frac{y}{1+y^2} \exp(-(X-y)^2/\beta^2) dy \quad \dots\dots\dots (43)$$

where $X = (E-E_0)/(\Gamma/2)$, and $\beta = 2 \Delta/\Gamma$ (44)

Δ is the apparent energy broadening, due to thermal motion of the target nucleus;

$$\Delta = 2 \sqrt{\frac{kT E}{A}} \quad \dots\dots\dots (45)$$

where k is the Boltzmann constant, T the temperature of the target nucleus in K, E the neutron energy and A the target mass number. $kT=0.0258$ eV for $T = 300$ K. The Doppler integrals are obtained from the subroutine program PFCN.

2-9 The motion of a target nucleus

The thermal motion of a target nucleus leads to disturbance of scattering reaction. The velocity of the target nucleus, U , is a Maxwellian distribution and the incident neutrons interact with these in Doppler broadened cross section. In fact, the neutron velocity after scattering, V_G' , is influenced by the motion of target nucleus before collision, as shown in eqs.(26) and (27), and hence V_G' and the cross sections corresponding to the relative velocity $|v - U|$ are not separable. However, the approximation is made of the separation between these using Doppler broadening cross sections and independent definitions of U . For the velocity of the target nucleus, U , the following expression is taken;

$$|U| = f * 2200 * \sqrt{\frac{T_{eff}}{A * 293}} \quad (\text{m/sec}) \quad \dots \dots \dots (46)$$

where T_{eff} is the effective temperature(K), A the target mass number. f is obtained from the distribution function;

$$F = \frac{2}{\sqrt{\pi}} t^2 \exp(-t^2) \quad \dots \dots \dots (47)$$

where $\int_0^{\infty} F dt = 1 \quad \dots \dots \dots (48)$

and t is propotional to the velocity of the nucleus. From the homogeneous random variable YR ($0 < YR < 1$), randomly sampled velocity f is obtained with the equation;

$$YR = \int_0^f F dt = \frac{1}{\sqrt{\pi}} (\text{Erf}(f) - f \exp(-f^2)) \quad \dots (49)$$

In the program however, to obtain f from YR, eq.(49) is approximated to a step function of 10 steps considering the computer time.

§ 3 Flow chart

The procedure of the Monte-Carlo simulation of incident neutrons, or a flow chart of the program, is described briefly below. A flow chart of the program is shown in fig.5; numbers in [] are statement numbers in the FORTRAN list in the appendix.

- *) The program begins with reading the input parameters; sample geometries, cross section parameters, nuclear mass, energy region and mesh for cross section table, incident neutron energy region and mesh, initial random number, and time-of-flight instrumental parameters for comparison with experiment. Details of the input parameters are given in § 4.
- *) In the next stage, a Doppler broadened cross section table is produced in the computer core area from the given resonance parameters and the effective temperature, in the energy region of interest.

$$|U| = f * 2200 * \sqrt{\frac{T_{eff}}{A * 293}} \quad (\text{m/sec}) \quad \dots \dots \dots (46)$$

where T_{eff} is the effective temperature(K), A the target mass number. f is obtained from the distribution function;

$$F = \frac{2}{\sqrt{\pi}} t^2 \exp(-t^2) \quad \dots \dots \dots (47)$$

where $\int_0^{\infty} F dt = 1 \quad \dots \dots \dots (48)$

and t is propotional to the velocity of the nucleus. From the homogeneous random variable YR ($0 < YR < 1$), randomly sampled velocity f is obtained with the equation;

$$YR = \int_0^f F dt = \frac{1}{\sqrt{\pi}} (\text{Erf}(f) - f \exp(-f^2)) \quad \dots \dots (49)$$

In the program however, to obtain f from YR, eq.(49) is approximated to a step function of 10 steps considering the computer time.

§ 3 Flow chart

The procedure of the Monte-Carlo simulation of incident neutrons, or a flow chart of the program, is described briefly below. A flow chart of the program is shown in fig.5; numbers in [] are statement numbers in the FORTRAN list in the appendix.

- *) The program begins with reading the input parameters; sample geometries, cross section parameters, nuclear mass, energy region and mesh for cross section table, incident neutron energy region and mesh, initial random number, and time-of-flight instrumental parameters for comparison with experiment. Details of the input parameters are given in § 4.
- *) In the next stage, a Doppler broadened cross section table is produced in the computer core area from the given resonance parameters and the effective temperature, in the energy region of interest.

- *) For an incident neutron of energy E_0 impinging onto the disk at Q_0 on the surface, the first collision point Q_1 in the disk is obtained from the mean free path, using homogeneous randomized variable YR.
- *) The region in which there exists Q_1 is determined by the boundary conditions; in sample, reflector, and escape from the disk (front, rear, and scattering, and transmission).
- *) In the reflector [16], only scattering is considered. In the sample, scattering and capture are considered, and the reaction type at Q_1 is identified with the value of random variable YR. If YR is less than $\Sigma_s / (\Sigma_s + \Sigma_c)$, the reaction is regarded as scattering [15], and otherwise it is capture [12].
- *) In the case of capture one count is added in one of the capture counters which are categorized according to the number of collisions before the capture (0, 1, 2, 3, and ≥ 4).
- *) In the case of scattering [15], the velocity vector in the center of mass system is transformed to a new velocity vector with randomized scattering angle and polar angle. The new velocity vector is transformed into the laboratory system [30], and the neutron energy becomes $E' = E_0 - E_r$, where E_r is the recoil energy. The next collision point Q_2 is sought as before, and the program returns to the identification of region [10].
- *) When the thermal motion of a target nucleus is taken into consideration, subroutine program MOVEAL and VATOM operate, and the velocity vector after scattering has much freedom for neutrons of energy below 1 eV.
- *) The incident neutrons disappear in two ways; escape from the disk, and capture in the sample.
- *) For impingement of NTOTAL neutrons with energy E_0 , the statistics of capture, front and rear face scattering, and transmission are obtained as averages of the destinations of each incident neutron. These values are printed out with FORMAT-1. In the next stage [9], the incident neutron energy is changed stepwise to reproduce line shape of resonances in the energy region considered. In the MCRTOF program, the energy step corresponds to time-of-flight channels to facilitate the comparison with experiment.
- *) For each incident energy, capture and scattering probabilities are obtained and printed out in compact format FORMAT-2, also with graphical representation of these values (RPLT). Spatial distribution of capture points in the sample is obtained as option (ZRPLT). Also energy-angle distributions for front face scattering are obtained in two-dimensional representation (EPLOT).

§ 4. Usage of the program

4-1 Instructions on the usage

Format of the input data cards are given in the following, and notes in inputting are described card by card. Also some comments on cards are briefed.

Card No.1

(I6)
NCASE

NCASE: Number of cases to be computed with parameter set of the input card No.2 through No.8.

Card No.2

(20A4)
TITLE

TITLE: Title and arbitrary comments for the case.

Card No.3

(F6.4) (F6.4) (F6.4) (F6.4) (F6.4) (F6.4) (F6.3) (F6.4) (F6.0)
D T1 T2 X0 Y0 DTETA DENS RADN TEFF

D : Disk diameter(cm),

T1 ; Disk sample thickness (cm),

T2 : Disk reflector thickness (cm),

X0 : x of the incident position (cm),

Y0 : y of the incident position (cm),

DTETA: Angle(degree) between incidence and normal of the disk surface,

DENS : Mass density of the disk (g/cm^3),

RADN : Nuclear radius in 10^{-12} cm,

TEFF : Effective temperature of the target nucleus(K).

Card No.4

(I6)
NRESON

NRESON : Number of resonances of which parameters are to be input in the following resonance cards. NRESON must be ≤ 5 .

Card No.5

(F12.6)	(F12.6)	(F12.6)	(F12.6)	(F12.6)	(F12.6)
ER(I)	GN(I)	GT(I)	GJ(I)	A(I)	F(I)

ER(I) : Resonance energy of i-th resonance (eV),
 GN(I) : Neutron width of the resonance (eV),
 GT(I) : Total width of the resonance (eV),
 GJ(I) : Spin statistical factor of the resonance,
 A(I) : Mass number of the nucleus,
 F(I) : Isotopic abundance of the resonance.

Card No.6

(F12.6)	(F12.6)	(F12.6)	(F12.6)	(F12.6)	(F12.6)
EMIN	EMAX	DE	DE2	FLOSS	SIGMR

EMIN : Minimum energy region where the cross section table is constructed,
 EMAX : Maximum energy region where the cross section table is constructed,
 DE : Energy mesh of the cross section table. (EMAX-EMIN)/DE must be ≤ 1000 .
 DE2 : not used,
 FLOSS : Additional energy loss factor in scattering. Energy loss is in form
 (Recoil energy)*(1.0 + FLOSS).
 SIGMR : Total cross section of the reflector nucleus.

Card No.7

(F12.10)	(F12.4)	(I6)	(I6)	(I6)	(I6)
RANDOM	XMESH	NTOTAL	MOVE	IPD	ISKIP

RANDOM : The initial value of homogeneous random number series YR ($0 < YR < 1$),
 sequentially produced from the previous value with FORTRAN statement;

$$YR = YR * 243. - \text{INT}(YR * 243.)$$

XMESH : Mesh (cm) in the distribution of path length, and z-distribution.
 NTOTAL : Maximum number of trial neutrons for an incident energy.
 MOVE : If MOVE = 0, motion of the target nucleus is neglected, if MOVE $\neq 0$
 thermal motion of the target nucleus is considered.
 IPD : IPD = 1 : x and z distributions of capture points are printed out.
 IPD = 2 : path length distributions until capture is printed out.
 IPD = 3 : projection of capture points in sample on xy plane, and
 energy-angle distribution for front face scattering are
 illustrated.

For another value of IPD, only probabilities are printed out.

ISKIP : Calculations are made for TOF channels of $N, N+ISKIP, N+2*ISKIP, \dots$

Card No.8

(F12.6)	(F12.6)	(F12.6)	(F12.6)
PL	DT	ECMIN	ECMAX

PL : Flight path length (m),

DT : Channel width of the time of flight analyzer (μ sec),

ECMIN : Lowest energy of the incident neutron (eV),

ECMAX : Highest energy of the incident neutron (eV). The region ECMIN, ECMAX must be included in the region EMIN, EMAX.

4-2 Example calculations

As an example, the output print-out for the 132 eV resonance in cobalt of 3 mm thickness is shown in fig.7; cross sections, calculated results of capture, front and rear face scattering, and transmission etc. are printed out for each incident energy. For several energy points, spacial distributions of capture points, energy-angle distributions for front face scattering are printed out. Capture (C), front face scattering(S), rear face scattering(F), transmission (T) are illustrated as functions of incident energy. Calculations are compared with experimental data; capture and front-face scattering for tungsten of three thicknesses are shown in fig.6.

The program is fairly speedy due to high speed production of random number sequence at the sacrifice of eventual occurrence of short period in it. The production of a good random number sequence with short computer time is desirable.

The author would like to thank Dr. A.Asami for careful reading the manuscript.

References

- 1) F.H. Fröhner; GA-6909 (1966)
- 2) J.G.Sullivan, G.G.Warner, R.C. Block, R.W.Hockenbury; RPI-325-155
- 3) J.E.Lynn and M.C.Moxon; unpublished.
- 4) M.Ohkubo; Nucl.Sci.Eng. 66(1978)217
- 5) M.Ohkubo; JAERI-M 6034(1975)
- 6) M.Ohkubo; JAERI-M 6918(1977)

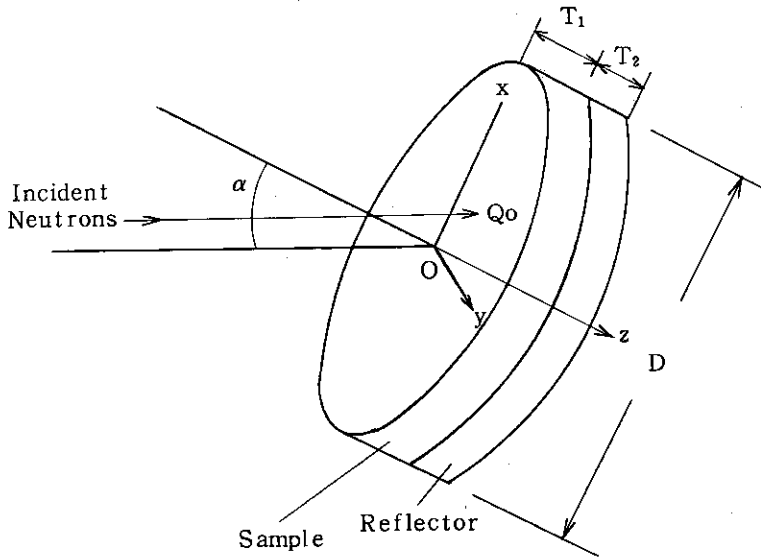


Fig.1 Geometry for Calculations

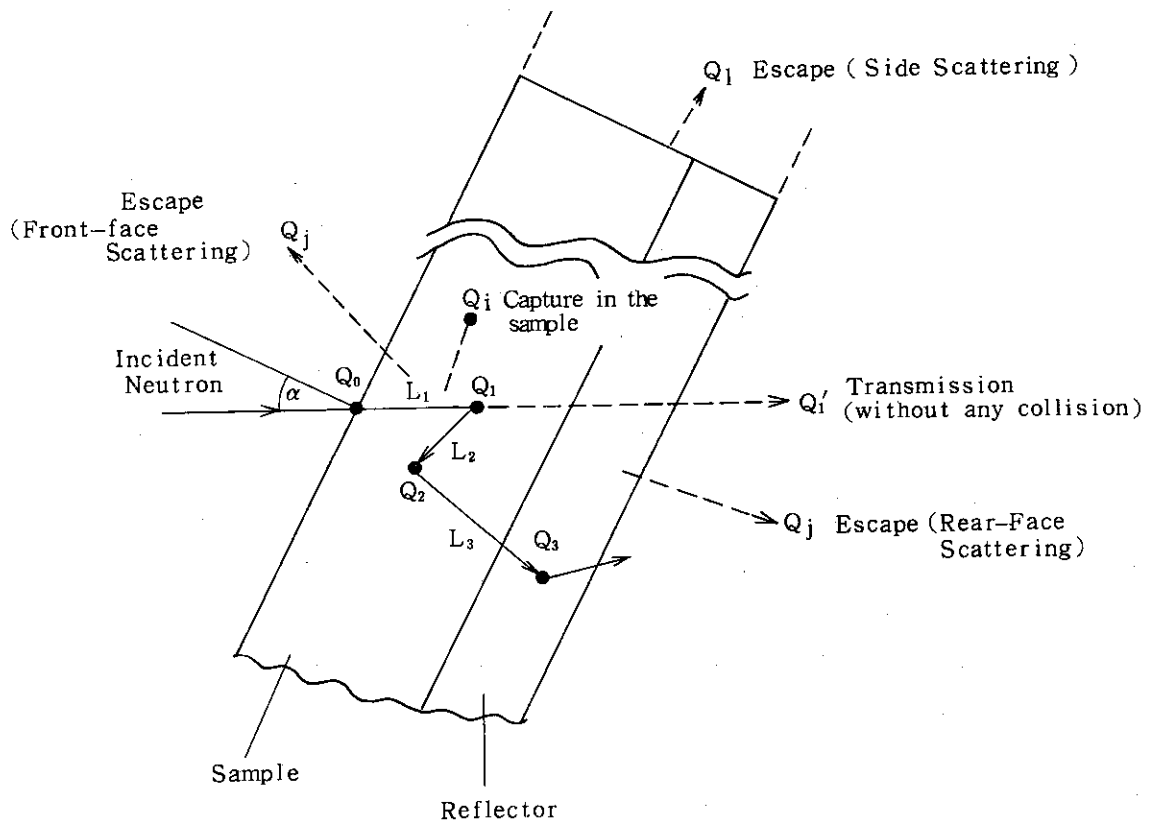


Fig.2 Destinations of the incident neutrons.

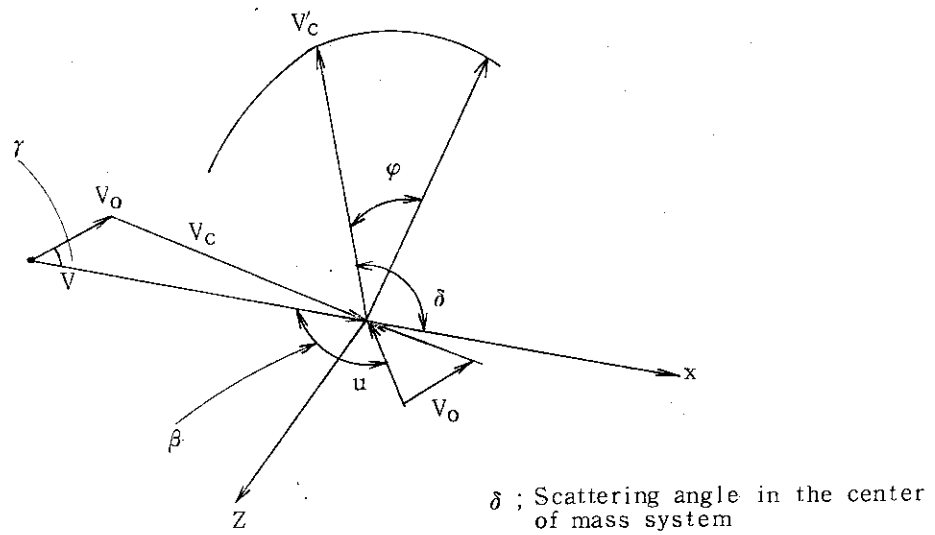


Fig.3 Velocity vectors for scattering of a neutron with a moving nucleus.

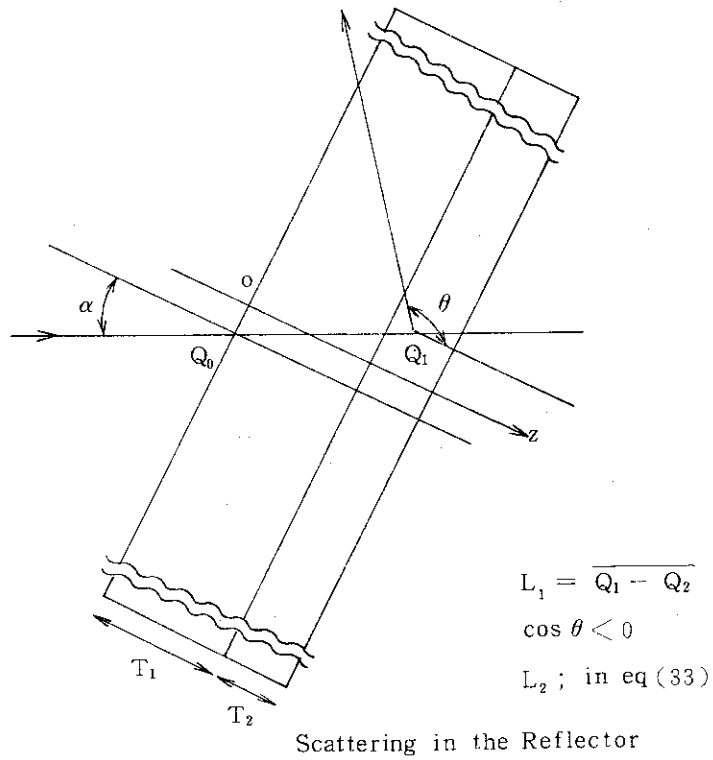


Fig.4 Definitions of the boundary condition. In the case of scattering in the reflector

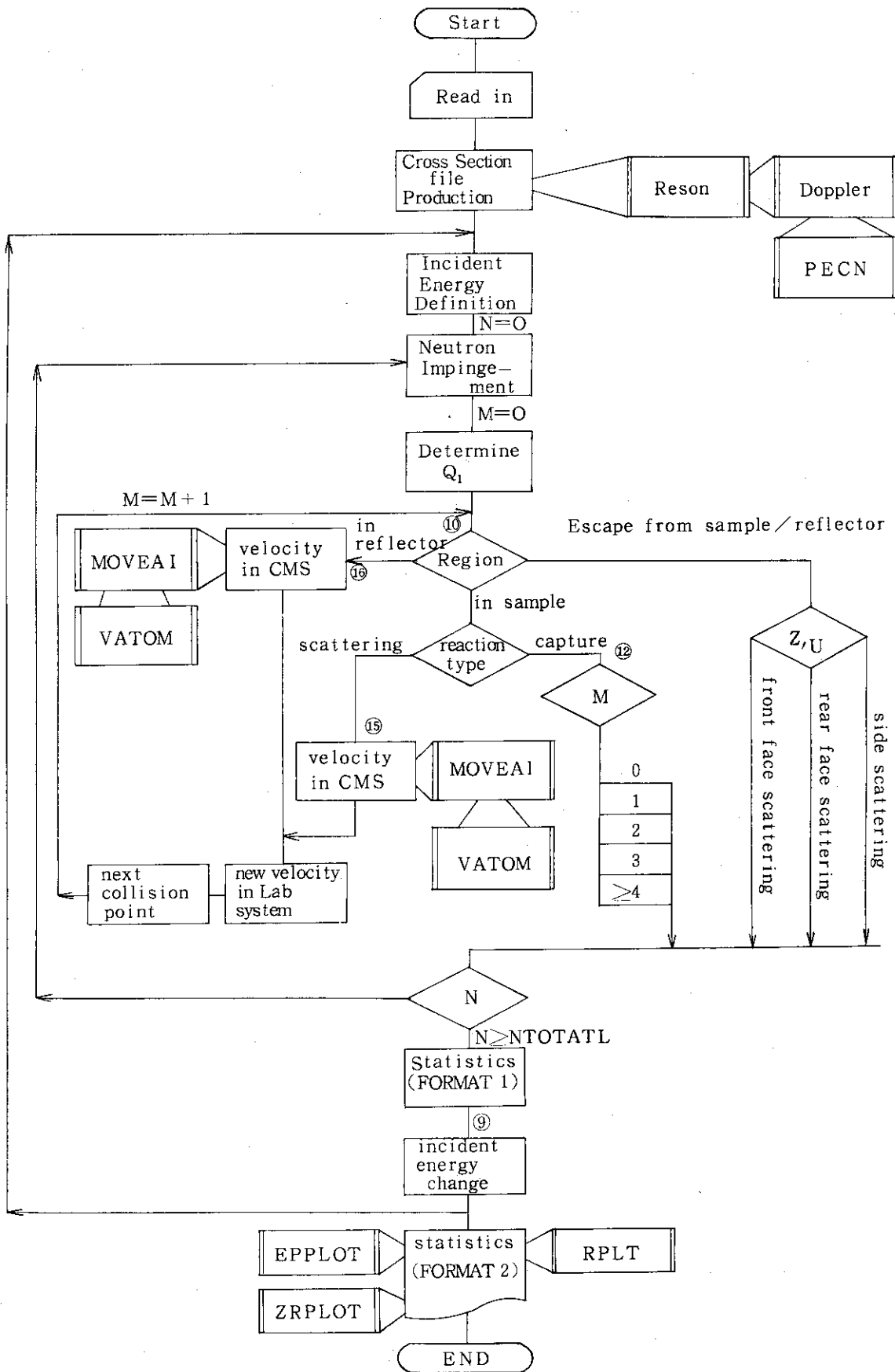


Fig.5 Flow chart

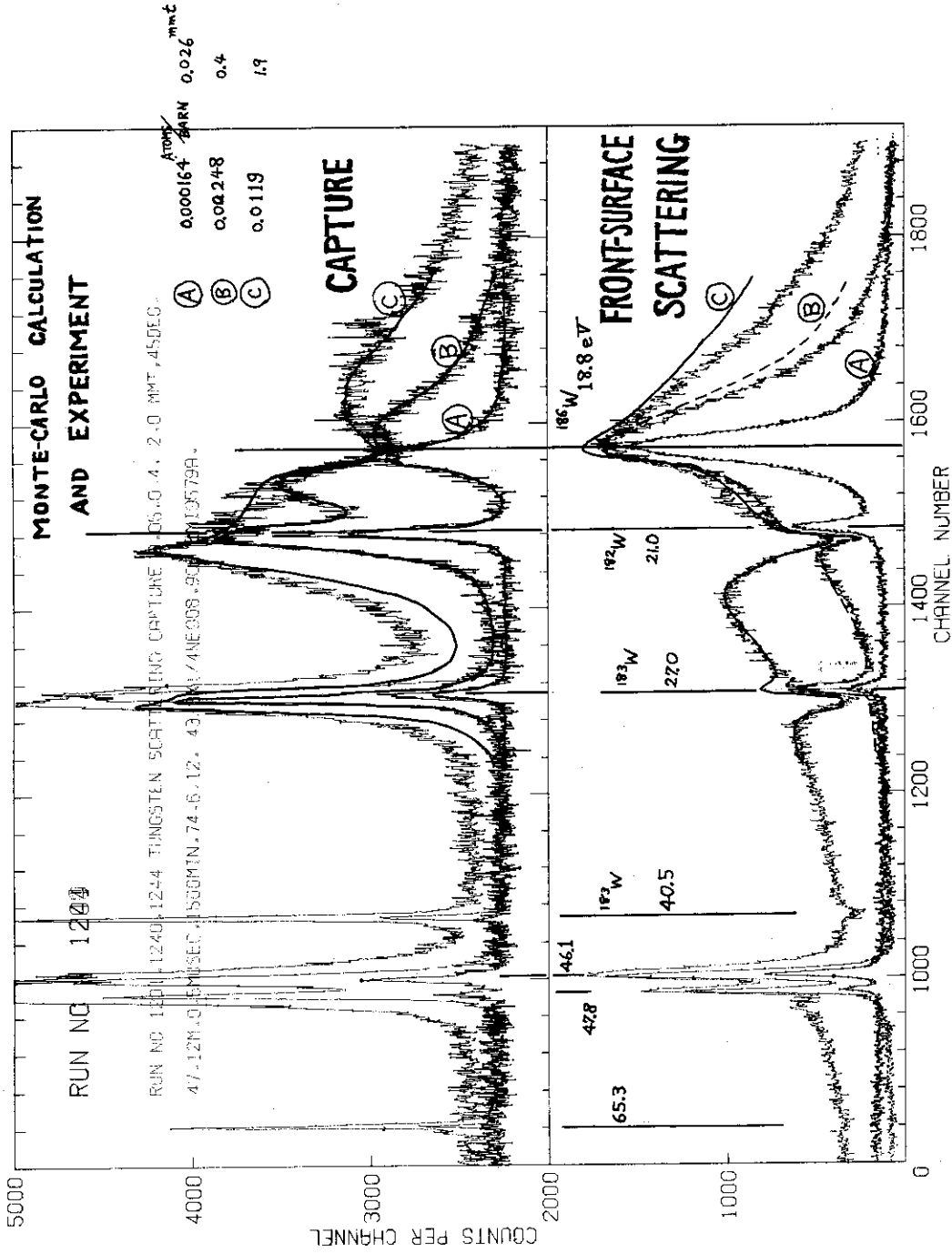


Fig. 6 Comparison of the Monte-Carlo calculations with experiments for tungsten in the energy region from 15 to 30 eV.
 Upper part; Neutron capture gamma ray counts versus time-of-flight channel for tungsten samples of three thicknesses.
 Lower part; Scattered neutron counts corresponding to the upper figure.

Fig. 7

TITLE (20) COBALI-59 132 EV RESONANCE WITH LEVELS #322, 5015 EV, MCRTOP
 D= 30.00 T1= 0.3000 T2=0.0 Y0=0.0 Y0=0.0 DTETA= 0.0 DFNS= 8.000 NUCLRAD=0.7200 TFFECTIVE= 300.0
 132.000000 5.128000 5.609000 0.562500 59.000000 1.000000
 #322.000000 110.700001 110.700001 0.562500 59.000000 1.000000
 5015.000000 651.000000 652.000000 0.437500 59.000000 1.000000
 EMIN= 49.000000 EMAX= 200.000000 DE= 0.2000 DF2= 0.200000 TARGET MOVE 0
 RANDOM=6.25737375# AMESH= 0.010 NITGL= 1000 PATH LENGTH= 47.380 CHANNEL WIDTH= 2.000 FCMIN= 100.000
 ECNAX= 170.000 LOSS FACTOR= 0.0 SIGMR= 0.0

RESON ENERG	SN	GT	G-FACTOR	PASS NO	ABUNDANCE
132.00	5.128000	5.609000	0.5625	59.0000	1.0000
4322.00	110.700001	110.700001	0.5625	59.0000	1.0000
5015.00	651.000000	652.000000	0.4375	59.0000	1.0000

DOPPLER BROADENED CROSS SECTION

ENERGY (EV)	CAPTURE CS	40.80	SCA21865	93.16	TOTALCS(BARN)	41.80	2.85	90.73	93.5*		
42.80	2.85	84.44	91.28*	43.80	2.84	85.26	89.10*	44.80	2.84	84.20	87.0*
45.80	2.83	82.24	85.09*	46.80	2.83	80.40	83.20*	47.80	2.84	78.65	81.4*
48.80	2.84	77.00	79.44*	49.80	2.85	75.42	78.27*	50.80	2.86	73.93	76.7*
51.80	2.87	72.52	75.39*	52.80	2.88	71.18	74.07*	53.80	2.90	69.92	72.8*
54.80	2.91	68.72	71.63*	55.80	2.93	67.58	70.52*	56.80	2.95	66.51	69.4*
57.80	2.96	65.50	68.46*	58.80	3.00	64.55	67.55*	59.80	3.03	63.65	66.6*
60.80	3.06	62.81	65.26*	61.80	3.10	62.03	65.12*	62.80	3.13	61.29	64.4*
63.80	3.17	60.61	63.78*	64.80	3.21	59.96	63.19*	65.80	3.25	59.40	62.6*
66.80	3.30	58.88	62.14*	67.80	3.33	58.40	61.75*	68.80	3.40	57.97	61.3*
69.80	3.46	57.59	61.05*	70.80	3.52	57.27	60.78*	71.80	3.58	56.99	60.5*
72.80	3.65	56.77	60.42*	73.80	3.72	56.60	60.32*	74.80	3.79	56.49	60.2*
75.80	3.87	56.43	60.30*	76.80	3.96	56.43	60.39*	77.80	4.05	56.49	60.5*
78.80	4.14	56.62	60.76*	79.80	4.24	56.80	61.05*	80.80	4.35	57.06	61.4*
81.80	4.47	57.39	61.80*	82.80	4.59	57.80	62.39*	83.80	4.72	58.29	63.0*
84.80	4.86	58.86	63.72*	85.80	5.01	59.53	64.53*	86.80	5.17	60.29	65.4*
87.80	5.34	61.18	66.50*	88.80	5.52	62.15	67.66*	89.80	5.71	63.26	68.9*
90.80	5.92	64.50	70.42*	91.80	6.15	65.90	72.04*	92.80	6.39	67.45	73.8*
93.80	6.65	69.14	75.83*	94.80	6.93	71.11	78.04*	95.80	7.25	73.25	80.4*
96.80	7.56	75.64	83.20*	97.80	7.92	73.29	86.21*	98.80	8.31	81.24	89.5*
99.80	8.64	84.52	93.26*	100.80	9.21	83.19	97.39*	101.80	9.72	92.28	102.0*
102.80	10.26	96.85	107.14*	103.80	10.91	101.94	112.80*	104.80	11.60	107.76	119.3*
105.80	12.26	114.27	126.83*	104.80	13.22	121.83	134.85*	107.80	14.18	129.98	144.1*
108.80	15.27	139.51	154.77*	109.80	16.49	150.41	166.90*	110.80	17.89	162.96	180.8*
111.80	19.45	177.47	196.96*	112.80	21.33	194.36	215.69*	113.80	23.47	214.16	237.6*
114.80	25.97	237.53	263.50*	115.80	28.92	265.37	294.29*	116.80	32.43	298.82	331.2*
117.80	35.67	339.45	376.12*	118.80	41.85	389.39	421.22*	119.80	46.20	451.61	499.8*
120.80	48.26	463.35	506.52*	121.80	66.41	631.62	658.03*	122.80	79.71	764.65	844.3*
123.80	67.92	643.35	1040.77*	124.80	121.65	1189.92	1311.36*	125.80	155.74	1539.36	1695.1*
126.80	97.42	868.38	6247.36*	127.80	278.47	2820.72	3099.58*	128.80	389.77	3991.61	4381.3*
129.80	144.90	1269.08	9337.95*	131.80	737.86	7751.91	8469.37*	131.80	853.88	9097.98	9951.8*
132.80	211.07	2546.28	134.80	607.85	6663.04	7270.89*	134.80	429.13	4775.26	5204.3*	
135.80	300.20	3393.66	136.80	215.00	2468.75	2663.75*	137.80	158.77	1852.82	2011.5*	
138.80	421.80	4933.23	139.80	94.38	1194.70	1253.08*	140.80	75.43	925.73	1001.1*	
141.80	61.47	767.50	142.80	50.93	667.07	698.00*	143.80	42.80	553.46	596.2*	

MONTE CARLO ANALYSIS OF NEUTRONS IN MATERIALS

COBALI-59 132 EV RESONANCE SAMPLE WITH LEVELS #322, 5015 EV, MCRTOP
 DIAMETER= 30.00 (CM) SAMPLE THICKNESS= 0.20000(CM) REFLECTOR THICKNESS= 0.0 (CM) A(TOMBARN)= 0.02695
 INCIDENT POSITION X0= 0.0 Y0= 0.0 INCIDENT ANGLE= 0.0 DEGREE SAMPLE DENSITY= 8.800
 NUMBER OF INCIDENT NEUTRONS= 1000 FLIGHT PATH(M)=47.38U CHANNEL WIDTH(MUSEC)= 2.000

ENERGY (EV)	SIGMA	SIGMS	M0	M1	M2	M3	M4	MTOTAL	MTRANS	AKSCAT	FDSCAT	ENERGY (EV)	RANDOM		
NUMBER OF SCATT	5278	SCATT IN REFLECTOR=	0	0	0	0	0	0	0	0	0	0	0		
1	170.00	0.33	6.98	0.0240	0.0450	0.0470	0.0250	0.2670	0.4080	1.056	0.0560	0.3600	0.1760	170.00	0.599418*
2	167.44	0.34	7.77	0.0450	0.0360	0.0260	0.0280	0.3060	0.4410	1.056	0.0870	0.3080	0.1640	167.44	0.668 * 0.597171*
3	164.94	0.46	8.75	0.0470	0.0400	0.0320	0.0420	0.3090	0.4700	2.172	0.0570	0.3160	0.1570	164.94	0.478416*
4	162.49	0.54	9.76	0.0420	0.0420	0.0330	0.0330	0.3370	0.5670	3.334	0.0400	0.3310	0.1220	162.49	0.984 * 0.734413*
5	160.10	0.64	11.25	0.0600	0.0270	0.0680	0.0370	0.3350	0.5270	4.561	0.0260	0.3660	0.0810	160.10	1.315 * 0.045387*
6	157.76	0.78	13.02	0.0490	0.0510	0.0400	0.0440	0.3740	0.5580	5.807	0.0080	0.3410	0.0930	157.76	1.681 * 0.413108*
7	155.47	0.94	15.12	0.0470	0.0360	0.0570	0.0530	0.3620	0.5570	7.099	0.0090	0.3570	0.0770	155.47	2.022 * 0.190650*
8	153.23	1.16	17.46	0.0700	0.0690	0.0660	0.0700	0.2930	0.5960	8.359	0.0010	0.3540	0.0490	153.23	2.379 * 0.046791*
9	151.04	1.46	21.55	0.0780	0.0640	0.0620	0.0600	0.3180	0.5820	9.679	0.0	0.3580	0.0600	151.04	2.733 * 0.169837*
10	148.90	1.86	26.68	0.0720	0.1130	0.0810	0.0640	0.2980	0.6280	10.941	0.0	0.3220	0.0500	148.90	3.091 * 0.060783*
		5332								12.273					3.413 *

JAERI-M 7988

MONTE CARLO ANALYSES OF NEUTRONS IN MATERIALS

COBALT-59 132 EV RESONANCE WITH LEVELS 4322, 5015 EV. MCRTOF
 DIAMETER= 30.00 (CM) SAMPLE THICKNESS= 0.30000(CM) REFLECTOR THICKNESS= 0.0 (CM) ATOM/BARN= 0.02695
 INCIDENT POSITION XO = 0.0 YO= 0.0 INCIDENT ANGLE = 0.0 DEGREE SAMPLE DENSITY= 8.800
 NUMBER OF INCIDENT NEUTRONS= 1000 FLIGHT PATH(M)=47.380 CHANNEL WIDTH(MUSEC)= 2.000

ENERGY(EV)	SIGMA	SIGMS	M0 P0	M1 P1	M2 P2	M3 P3	M4 P4	MTOTAL TOTAL	MTRANS PTRANS	BKSCAT PBK	FDSCAT PFDS	ENERGY(EV)	RANDOM
11	146.80	2.51	0.0630	0.0550	0.1050	0.0620	0.3160	0.6010	0.0	0.3650	0.0340	146.80	0.077796*
12	144.74	3.36	0.0770	0.0610	0.1140	0.0600	0.3030	0.6150	0.0	0.3530	0.0320	144.74	3.778 * 0.501747*
13	142.73	4.74	0.0610	0.0720	0.1160	0.0550	0.2410	0.5450	0.0	0.4310	0.0240	142.73	4.131 * 0.040519*
14	140.76	7.08	0.0710	0.0710	0.1130	0.0430	0.2260	0.5240	0.0	0.4620	0.0140	140.76	4.562 * 0.781715*
15	138.83	10.85	0.0660	0.0730	0.0920	0.0520	0.1940	0.4770	0.0	0.5020	0.0210	138.83	5.024 * 0.015434*
16	136.94	19.31	0.0530	0.0440	0.0780	0.0260	0.1580	0.3590	0.0	0.6280	0.0130	136.94	5.526 * 0.533546*
17	135.09	35.86	0.0690	0.0670	0.0480	0.0290	0.0990	0.3120	0.0	0.6780	0.0100	135.09	6.154 * 0.026710*
18	133.27	65.05	0.0550	0.0230	0.0420	0.0160	0.0840	0.2200	0.0	0.7650	0.0150	133.27	6.832 * 0.844352*
19	131.50	74.13	0.0760	0.0340	0.0360	0.0080	0.0770	0.2310	0.0	0.7640	0.0050	131.50	7.597 * 0.260231*
20	129.75	42.14	0.0790	0.0380	0.0370	0.0150	0.0980	0.2670	0.0	0.7240	0.0090	129.75	8.361 * 0.081352*
		2903			0			20.297					9.085 *

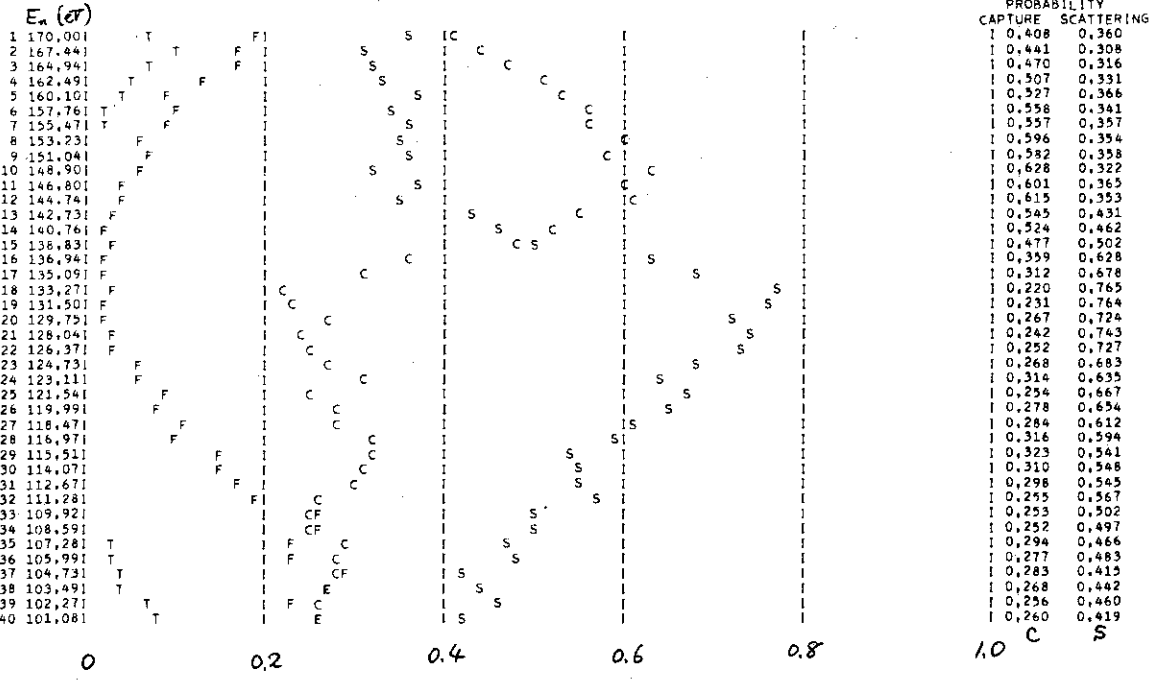
COBALT-59 132 EV RESONANCE WITH LEVELS 4322, 5015 EV. MCRTOF
 DIAMETER= 30.00 (CM) SAMPLE THICKNESS= 0.30000(CM) REFLECTOR THICKNESS= 0.0 (CM) ATOM/BARN= 0.02695
 INCIDENT POSITION XO = 0.0 YO= 0.0 INCIDENT ANGLE = 0.0 DEGREE
 NUMBER OF INCIDENT NEUTRONS= 1000 FLIGHT PATH(M)=47.380 CHANNEL WIDTH(MUSEC)= 2.000 TEFFECTIVE= 300.00

OBSERVED YIELD FOR 1000/E**0.8 NEUTRON FLUX

ENERGY	PCAPTURE	PBKSCAT	PFDS	OPEN BEAM	TRANS BEAM	EFFICIENCY	YCAPTUR	SCATBK	SCATFD		
2	167.441	0.441	0.308	0.164	216.355	18.823	0.109	95.412	7.233	3.851	2
3	164.939	0.470	0.316	0.157	213.837	12.189	0.109	100.503	7.387	3.670	3
4	162.493	0.507	0.331	0.122	211.365	8.425	0.110	107.162	7.702	2.839	4
5	160.102	0.527	0.366	0.081	209.938	5.432	0.111	110.111	8.478	1.876	5
6	157.762	0.558	0.341	0.093	206.555	1.652	0.112	115.258	7.863	2.244	6
7	155.473	0.557	0.357	0.077	204.214	1.838	0.112	113.747	8.195	1.768	7
8	153.234	0.596	0.354	0.049	201.915	0.202	0.113	120.341	8.090	1.120	8
9	151.043	0.582	0.358	0.060	199.656	0.0	0.114	116.200	8.144	1.365	9
10	148.899	0.628	0.322	0.050	197.437	0.0	0.115	123.991	7.293	1.132	10
11	146.799	0.601	0.365	0.034	195.257	0.0	0.115	117.349	8.230	0.767	11
12	144.744	0.615	0.353	0.032	193.114	0.0	0.116	118.765	7.925	0.718	12
13	142.732	0.545	0.431	0.024	191.007	0.0	0.117	104.099	9.633	0.536	13
14	140.762	0.524	0.462	0.014	188.937	0.0	0.118	99.003	10.281	0.312	14
15	138.832	0.477	0.502	0.021	186.901	0.0	0.119	89.152	11.123	0.465	15
16	136.941	0.359	0.628	0.013	184.900	0.0	0.119	66.379	13.854	0.287	16
17	135.089	0.312	0.678	0.010	182.932	0.0	0.120	57.075	14.893	0.220	17
18	133.274	0.220	0.765	0.015	180.997	0.0	0.121	39.819	16.732	0.328	18
19	131.495	0.231	0.764	0.005	179.093	0.0	0.122	41.371	18.639	0.109	19
20	129.752	0.267	0.724	0.009	177.221	0.0	0.122	47.318	15.701	0.195	20
21	128.043	0.242	0.743	0.015	175.379	0.0	0.123	42.442	16.044	0.324	21
22	126.368	0.252	0.727	0.021	173.567	0.0	0.124	43.739	15.633	0.452	22
23	124.726	0.268	0.683	0.049	171.784	0.0	0.125	46.038	14.625	1.049	23
24	123.115	0.314	0.625	0.051	170.029	0.0	0.125	53.389	13.540	1.087	24
25	121.535	0.254	0.667	0.079	168.302	0.0	0.126	42.749	14.163	1.677	25
26	119.986	0.278	0.654	0.068	166.603	0.0	0.127	46.316	13.830	1.438	26
27	118.465	0.284	0.612	0.104	164.930	0.0	0.128	46.840	12.888	2.190	27
28	116.974	0.316	0.594	0.090	163.283	0.0	0.128	51.597	12.457	1.887	28
29	115.511	0.323	0.541	0.136	161.661	0.0	0.129	52.217	11.299	2.840	29
30	114.075	0.310	0.548	0.142	160.065	0.0	0.130	49.620	11.399	2.954	30
31	112.665	0.298	0.545	0.157	158.493	0.0	0.131	47.231	11.290	3.252	31
32	111.282	0.255	0.567	0.178	156.944	0.0	0.131	40.021	11.698	3.672	32
33	109.923	0.253	0.502	0.245	155.419	0.0	0.132	39.321	10.315	5.034	33
34	108.590	0.252	0.497	0.251	153.917	0.0	0.135	38.787	10.172	5.137	34
35	107.280	0.294	0.466	0.216	152.438	3.659	0.134	44.817	9.496	4.403	35
36	105.995	0.277	0.483	0.221	150.980	2.869	0.134	41.821	9.806	4.487	36
37	104.732	0.283	0.415	0.276	149.544	3.888	0.135	42.321	8.392	5.511	37
38	103.491	0.268	0.442	0.261	148.129	4.296	0.136	39.699	8.903	5.257	38
39	102.273	0.256	0.460	0.223	146.734	8.951	0.137	37.564	9.228	4.474	39
40	101.076	0.260	0.419	0.252	145.360	10.030	0.137	37.794	8.373	5.036	40

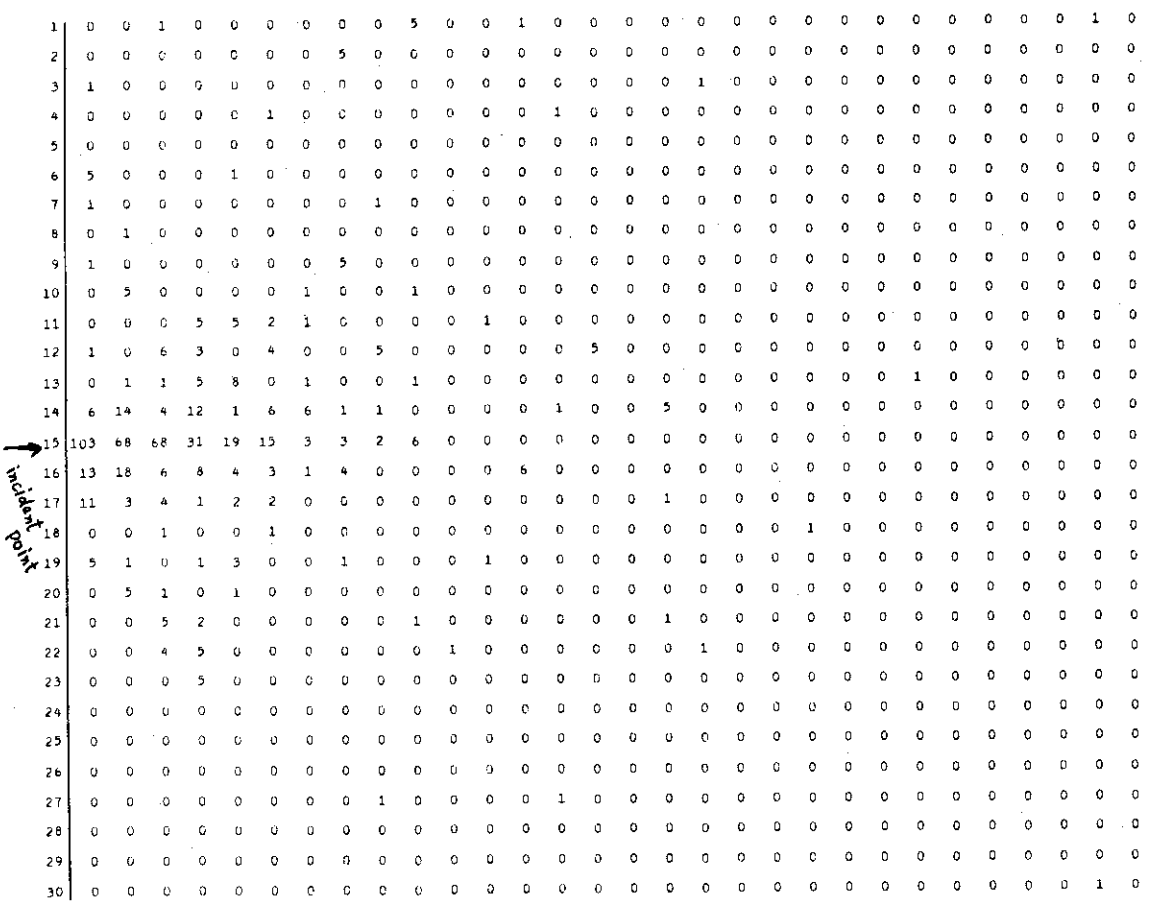
JAERI-M 7988

COBALT-59 132 EV RESONANCE WITH LEVELS 4322- 5015 EV, MCRTDF



{ T : transmission
 C : capture
 S : Front face scattering
 F : Rear face scattering

DISTRIBUTION OF CAPTURE POINTS Z-X (ZR PLOT)
 ENERGY= 144.74 MESH LENGTH(CM) 0.010
 0 10 20 30



FRONT SURFACE SCATTERING ENERGY, ANGLE DISTRIBUTION

(EPLOT)

INCIDENT ENERGY= 144.7(KEV)	AVERAGE RECOIL ENERGY= 4.74										INCIDENT ANGLE= 0.0									
	-90	-80	-70	-60	-50	-40	-30	-20	-10	00	10	20	30	40	50	60	70	80	90	
1 144.7	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
2 144.3	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
3 143.8	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
4 143.3	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
5 142.8	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
6 142.4	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
7 141.9	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
8 141.4	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
9 140.9	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
10 140.5	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
11 140.0	0	5	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	
12 139.5	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	6	4	
13 139.1	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
14 138.6	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
15 138.1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
16 137.6	0	0	1	0	1	0	0	0	0	0	0	0	0	0	1	0	0	0	0	
17 137.2	0	0	0	0	0	0	0	0	0	0	0	0	0	1	1	0	0	0	0	
18 136.7	0	0	0	0	2	1	0	0	0	0	0	0	0	0	0	0	0	0	0	
19 136.2	1	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
20 135.7	0	0	0	0	0	0	0	0	0	0	0	4	0	0	0	0	0	0	0	
21 135.3	0	1	0	0	0	0	0	0	0	0	0	0	0	0	5	0	0	0	0	
22 134.8	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
23 134.3	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
24 133.8	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
25 133.4	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
26 132.9	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
27 132.4	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
28 131.9	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
29 131.5	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
30 131.0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
31 130.5	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
32 130.0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
33 129.6	0	0	0	0	0	5	0	0	0	0	0	0	0	0	4	0	0	0	0	
34 129.1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
35 128.6	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	1	0	0	
36 128.1	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	5	0	0	0	
37 127.7	5	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
38 127.2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
39 126.7	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	
40 126.2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
41 125.8	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
42 125.3	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
43 124.8	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
44 124.3	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
45 123.9	0	0	0	6	1	0	0	0	0	0	0	0	0	0	1	0	0	0	0	
46 123.4	0	0	0	0	1	0	0	0	0	0	0	0	0	0	1	0	1	0	0	
47 122.9	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	0	
48 122.4	0	0	0	0	0	5	0	0	0	0	0	0	0	0	0	5	0	0	0	
49 122.0	0	0	0	0	5	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
50 121.5	13	26	8	45	10	1	7	2	1	0	0	5	1	8	14	17	28	48	10	
13 142.73	4.74	60.07	0.0610	0.0720	0.1160	0.0550	0.2410	0.5450	0.0	0.0	0.4310	0.0240	142.73	0.040519*						
5072										15.857										4.562 *
CAPTURE THICKNESS MESH= 0.010																				
Z= 147 180	55	47	26	22	1	8	7	14	0	7	0	8	0	0	0	7	0	0	0	
RADIAL DISTRIBUTION OF CAPTURE POINT																				
R= 8 1	0	0	0	24	0	7	0	0	0	0	16	62	329	45	15	14	8	0	0	
14 140.76	7.08	86.53	0.0710	0.0710	0.1130	0.0430	0.2260	0.5240	0.0	0.0	0.4620	0.0140	140.76	0.781715*						

* SOURCE STATEMENT (FTMAIN) *

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72      M1=0
73      M2=0
74      M3=0
75      M4=0
76      M5=0
77      M6=0
78      M7=0
      C
79      DO 3 L=1,50
80      MRL(L)=0
81      MCZ(L)=0
82      MU(L)=0
83      DO3 J=1,50
84      MZR(L,J)=0
85      MZC(L,J)=0
86      3 CONTINUE
      C
      C*****BEGINNING OF A NEUTRON HISTORY *****
      C
87      DO 51 I=1,NTOTAL
88      EREF=EO
89      SIGWA=SIGWAO
90      SIGMT=SIGMTO
91      SIGMS=SIGMSO
92      SIGMR=SIGMRO
93      ATOM=SIGMT*T1
94      ANSIGT=SIGMT*T1
95      DIP=1.-EXP(-ANSIGT/COS(TETA))
96      DO 170 IK=1,3
97      TV(IK)=0
98      DO 170 JK=1,3
99      IF(IK=JK)171,172,171
100     171 ANGL(IK,JK)=0
101     GO TO 170
102     172 ANGL(IK,JK)=1.
103     170 CONTINUE
      C
      C      TETA IS ANGLE(DEG) BETWEEN INCIDENT AND AXIS OF DISK SAMPLE
      C      NEUTRON INCIDENT IN XZ PLANE YZ IS PERPENDICULAR TO THE SAMPLE SURFACE
104     COST=COS(TETA)
105     SINT=SIN(TETA)
106     ANGL(1,1)=COST
107     ANGL(1,3)=SINT
108     ANGL(3,3)=ANGL(1,1)
109     ANGL(3,1)=-ANGL(1,3)
      C
110     SUMRL=0
      C
111     RL=RANGE TO 1ST REACTION
112     TZ=T1/ANGL(1,1)
113     YR=YR*243.-INT(243.*YR)
114     IF(YR.LT.0.0001) YR=YR*1000. +0.7895377
115     V1=ALOG(1./YR)
116     V2=EXP(-SIGMT*TZ)
117     IF(YR-V2) 40,40,41
118     41 RL=V1/SIGMT
119     GO TO 42
120     40 RL=CYL-(SIGMT-SIGMR)*TZ/SIGMR
121     42 CONTINUE
      C

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* SOURCE STATEMENT (FTMAIN) *

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121     X=XO+RL*ANGL(3,1)
122     Y=Y0
123     Z=RL*ANGL(1,1)
124     SUMRL=RL
125     N=N0
      C
      C***** REGION AND REACTION TYPE *****
      C
      C      RETURN POSITION FOR MORE THAN 1 SCATTERING EVENT
126     10 CONTINUE
      C
127     IF(Z.GT.T1+T2) GO TO 62
128     IF(Z.LT.0) GO TO 61
129     U=K*2.43*2
130     IF(U.GT. D**2/4.)GO TO 60
131     IF(Z.GT.T1) GO TO 16
132     YR=YR*243.-INT(243.*YR)
133     IF(YR.LT.SIGMA/SIGMT) GO TO 12
134     GO TO 15
      C
      C***** CAPTURE IN THE SAMPLE *****
135     12 M=M+1
136     150 IF(N.NE.0) GO TO 152
137     M0=M0+1
138     GO TO 50
139     152 IF(N.NE.1) GO TO 154
140     M1=M1+1
141     GO TO 50
142     154 IF(N.NE.2) GO TO 156
143     M2=M2+1
144     GO TO 50
145     156 IF(N.NE.3) GO TO 158
146     M3=M3+1
147     GO TO 50
148     158 M4=M4+1
149     GO TO 50
150     50 CONTINUE
      C
151     PATH LENGTH DISTRIBUTION UNTIL CAPTURE
152     IRL=SUMRL/XMESH+1
153     IF(IRL.GT.50) IRL=50
154     MRL(IRL)=MRL(IRL)+1
      C
      C      SPACIAL DISTRIBUTION OF CAPTURE POINTS
      C      CAPTURE THICKNESS DISTRIBUTION
154     ICZ=Z/XMESH +1
155     IF(ICZ.GT.50) ICZ=50
156     MCZ(ICZ)=MCZ(ICZ)+1
      C
      C      DISTRIBUTION OF X
157     IRJ=(X-X0)/RMESH+15.5
158     IF(IRJ.LE.1) IRJ=1
159     IF(IRJ.GT.50) IRJ=50
160     MU(IRJ)=MU(IRJ)+1
161     MZR(ICZ,IRJ)=MZR(ICZ,IRJ)+1
      C
162     GO TO 51
      C
      C***** SCATTERING IN THE SAMPLE *****
163     15 CONTINUE
164     YR=YR*243.-INT(243.*YR)
165     IF(YR.LT.0.0001) YR=YR*1000. +0.282965731

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* SOURCE STATEMENT (FTMAIN) *

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166 IF(MOVE.E6.P) GO TO 16
167 C
168 C ***** MOVING TARGET *****
169 CALL MOVEA1
170 C
171 GO TO 26
172 18 PCM=2.*YR-1.
173 PLAR=(1.+AN*PCM)/SQRT(1.+AN**2+2.*AN*PCM)
174 RECOIL=EBEF*2.*AN*(1.-PCM)/((1.+AN)**2)
175 FAFT=EBEF-RECOIL*(1.+FLOSS)
176 20 JE=(EAFT-EMIN)/DE+1
177 IF(JE.LT.1) JE=1
178 IF(JE.GT.1000) GO TO 9
179 SIGMA=SGA(JE)*ATD
180 SIGMS=SGS(JE)*ATD
181 SIGHT=SIGMA+SIGMS
182 YR=YR*243.-INT(243.*YR)
183 Q1=SIN(YR*.2832)
184 Q2=COS(YR*.2832)
185 YR=YR*243.-INT(243.*YR)
186 IF(YR.LT.0.0001) YR=YR*1000. +0.77899135
187 P=COST*PLAB+SINT*02*SQRT(1.-PLAB**2)
188 IF(P)70,70,72
189 70 RL=ALOG(1./YR)/SIGMT
190 GO TO 71
191 72 IF(YR-EXP(-SIGHT*(T1-Z)/P)) 73,73,74
192 73 RL=((SIGMR-SIGHT)*(T1-Z)/P + ALOG(1./YR))/SIGMR
193 GO TO 71
194 74 SL=ALOG(1./YR)/SIGMT
195 71 CONTINUE
196 NJ=NJ+1
197 SUMRL=SUMRL+RL
198 YR=YR*243.-INT(243.*YR)
199 IF(YR.LT.0.0001) YR=YR*1000. +0.6534567213
200 GO TO 30
201 C
202 C*****SCATTERING IN THE REFLECTOR*****
203 16 CONTINUE
204 YR=YR*243.-INT(243.*YR)
205 IF(YR.LT.0.0001) YR=YR*1000. +0.34562781
206 IF(MOVE.E6.D) GO TO 118
207 C
208 C ***** MOVING TARGET *****
209 CALL MOVEA1
210 C
211 GO TO 120
212 118 PCM=2.*YR-1.
213 RECOIL=EBEF*2.*AN*(1.-PCM)/((1.+AN)**2)
214 FAFT=EBEF-RECOIL*(1.+FLOSS)
215 120 JE=(EAFT-EMIN)/DE+1
216 IF(JE.LT.1) JE=1
217 IF(JE.GT.1000) GO TO 9
218 SIGMA=SGA(JE)*ATD
219 SIGMS=SGS(JE)*ATD
220 SIGM=SIGMA+SIGMS
221 YR=YR*243.-INT(243.*YR)
222 Q1=SIN(YR*.2832)
223 Q2=COS(YR*.2832)
224 P=COST*PLAB+SINT*02*SQRT(1.-PLAB**2)

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* SOURCE STATEMENT (FTMAIN) *

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217 YR=YR*243.-INT(243.*YR)
218 IF(YR.LT.0.0001) YR=YR*1000. +0.56378122
219 IF(P)80,82,82
220 82 RL=ALOG(1./YR)/SIGMR
221 GO TO 81
222 80 IF(YR-EXP(-SIGMR*(T1-Z)/P))83,84,84
223 83 PL=((SIGHT-SIGMR)*(T1-Z)/P +ALOG(1./YR))/SIGHT
224 GO TO 81
225 84 PL=ALOG(1./YR)/SIGMR
226 81 CONTINUE
227 NK=NK+1
228 SUMRL=SUMRL+RL
229 YR=YR*243.-INT(243.*YR)
230 IF(YR.LT.0.0001) YR=YR*1000. +0.74836123564
231 GO TO 30
232 C
233 C***** NEXT REACTION POSITION *****
234 30 N=N+1
235 V=SQRT(1.-PLAB**2)
236 C
237 DC 192 110 =1,3
238 TV(110)=0
239 CM(110)=0
240 CONTINUE
241 C
242 CM(3) IS SCATTERING VECTOR WITH RESPECT TO INCIDENT DIRECTION
243 TV(3) IS SCATTERING VECTOR IN X,Y,Z COORDINATE
244 ANGL(3,3) IS TRANSFORMATION MATRIX
245 C
246 IF(MOVE.NE.D) GO TO 194
247 CM(1)=V**Q2
248 CM(2)=V**Q1
249 CM(3)=PLAR
250 GO TO 196
251 194 CM(1)=D2(1)
252 CM(2)=D2(2)
253 CM(3)=D2(3)
254 196 CONTINUE
255 DO 190 L3=1,3
256 DO 190 L4=1,3
257 T(L3)=TV(L3)*ANGL(L3,L4)*CM(L4)
258 CONTINUE
259 X=X+TV(1)*RL
260 Y=Y+TV(2)*RL
261 Z=Z+TV(3)*RL
262 CM(1)=CM(1)**2+CM(2)**2+CM(3)**2
263 TV(1)=TV(1)**2+TV(2)**2+TV(3)**2
264 T=TV(2)/TV(1)
265 SEC=SIGN(T,1.-T**2)
266 TV4=SIGN(T,1.-TV(3)**2)
267 TV1=TV(1)
268 SIN=ABS(T)*SIGN(1.,TV1)/SEC
269 TV2=TV(2)
270 COSP=SIGN(1.,TV2)/SEC
271 C
272 ANGL(1,1)=TV(3)*COSA
273 ANGL(1,2)=-SINA
274 ANGL(1,3)=TV*COXA

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* SOURCE STATEMENT (FTMAIN)*

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266 ANGL(2,1)=TV(3)*SINA
267 ANGL(2,2)=COSA
268 ANGL(2,3)=TV(3)*SINA
269 ANGL(3,1)=-TV(4)
270 ANGL(3,2)=G
271 ANGL(3,3)=TV(3)
C
272 EBEF=EAFT
273 GO TO 10
C
C RETURN TO 10 FOR MULTIPLE SCATTERING
C
C*****ESCAPE FROM THE REGION *****
274 C M1 *MSUF=MSUF+1 ***** FRONT SURFACE SCATTERING *****
C
275 JREC=(E-EAFT)/REAV*10.
276 IF(JREC.GT.50) JREC=50
277 IF(JREC.LT.1) JREC=1
278 JDEG=ATAN(SORT(1.-ANGL(1,1)**2)/ANGL(1,1))*18./3.1416 +10.5
279 IF(JDEG.GT.50) JDEG=50
280 IF(JDEG.LT.1) JREC=1
281 MEPSI(JREC,JDEG)=MEPSI(JREC,JDEG) +1
C
C ENERGY, ANGLE FOR FRONT SURFACE SCATTERING *****
282 GO TO 60
283 62 IF(N.NE.0) MFDS=MFDS+1
284 60 MESC=MESC+1
285 YR=YR*243.-INT(243.*YR)
286 IF(YR.LT.0.0001) YR=YR*1000. +G.86523147562
*****
C
C*****END OF A NEUTRON HISTORY *****
C RETURN TO NEXT NEUTRON IMPINGEMENT DO 51 I=1,NTOTAL
287 51 CONTINUE
C END OF 'NTOTAL' NEUTRONS
C
C
C
288 RANDOM=YR
C
C***** STATISTICS *****
C *****
C **** FORMAT 1 1 1 1 *****
C
289 MTRANS=NTOTAL-M-MSUF-MFDS
290 M3=M
291 PE=FLOAT(MESC)/FLOAT(NTOTAL)
292 PF=FLOAT(M3)/FLOAT(NTOTAL)
293 P1=FLOAT(M1)/FLOAT(NTOTAL)
294 P2=FLOAT(M2)/FLOAT(NTOTAL)
295 P3=FLOAT(M3)/FLOAT(NTOTAL)
296 P4=FLOAT(M4)/FLOAT(NTOTAL)
297 P5=FLOAT(M5)/FLOAT(NTOTAL)
298 PBK=FLOAT(MSUF)/FLOAT(NTOTAL)
299 PFDS=FLOAT(MFDS)/FLOAT(NTOTAL)
300 CAX=2.*P5*E0*DT/TOF
C
301 SUMBKS=SUMBKS+PBK
302 SUMDIP=SUMDIP+DIP
C SUMCAP =CAPTURE PROBABILITY INTEGRAL WITH RESPECT TO ENERGY

```

* SOURCE STATEMENT (FTMAIN)*

```

303 SUMCAP=SUMCAP + CAX
304 CAPTUR(IT)=PB
305 SCATBK(IT)=PBK
306 SCATPD(IT)=PFDS
307 PTRANS(IT)=FLOAT(MTRANS)/FLOAT(NTOTAL)
308 GNTGT=SIGMS0/SIGMT0
C
309 IF(IT-1-(IT-1)/10*10.E0,0) GO TO 1001
310 GO TO 1002
311 1001 WRITE(6,206)
312 206 FORMAT(1,1,75X,'MONTE CARLO ANALYSES OF NEUTRONS IN MATERIALS/')
313 WRITE(6,200) ( TITLE(I),I=1,20),D,T1,T2,A6,XD,YD,DTETA, DENS,NTOTAL
314 200 FORMAT(1H,5X,20A4/ 5X,'DIAMETER='F6.2,' (CM)',5X,'SAMPLE THICKNE
155',F8.5,' (CM)',5X,'REFLECTOR THICKNESS='F8.5,' (CM)',5X,'ATOM
20M/BARN='F8.5/
3 5X,'INCIDENT POSITION XD ='F6.2,5X,'YO='F6.2,5X,'INCIDENT AN
4GLE ='F6.2, ' DEGREE',5X,'SAMPLE DENSITY='F6.3/
5 5X,'NUMBER OF INCIDENT NEUTRONS='F7.3/
4.20X,' FLIGHT PATH(M)='F6.3,5X,'CHANNEL WIDTH(MUSEC)='F6.3//
5 2X,'ENERGY(EV) SIGMA SIGMS MO M1 M2 M3
6 'M4 'TOTAL MTRANS BKSCAT FDSCAT ENERGY(EV) RANDOM
7 36X,'P0',7X,'P1',6X,'P2',6X,'P3',6X,'P4', 4X,'PTOTAL', 8X,
8'PTRANS',2X,'PBACK',3X,'PFDS',/)
C
315 WRITE(6,230) NJ,NK,SUMCAP,SUMBKS,DIP,SUMDIP
316 230 FORMAT(2X,'NUMBER OF SCATT',16,5X,'SCATT IN REFLECTOR',16,
15X,'ENERGY INT PCAPTURE',F7.3,5X,'CHANNEL INT BKSCATT,TRANS,
2INT TRANS', F7.3,5X,F6.4,5X,F8.3)
C
317 1002 WRITE(6,202) IT,E0,SIGMA0,SIGMS0, PD,P1,P2,P3,P4,P5, PTRANS(IT),
1 PBK,PFDS,E0,RANDOM,IT
318 202 FORMAT(14,3F8.2,5X,6(F6.4,2X),7X,3(F6.4,2X),2X,F9.2,4X,F12.10,14/
2)
319 WRITE(6,232) NJ,NK,SUMCAP,SUMBKS,DIP,SUMDIP
320 232 FORMAT(17X,16,24X,16,25X,F7.3,40X,F7.3,5X,F6.4,5X,F8.3)
C
C *****
321 IF(IPD.E0.0) GO TO 1004
322 IF(IPD.E0.1) GO TO 1006
323 IF(IPD.E0.3) GO TO 1006
C
324 WRITE(6,210) XMESH,GNTGT
325 210 FORMAT(10X,'PATH LENGTH DISTRIBUTION MESH='F6.4,5X,'SIGMS/SIGHT
1 'F6.4)
326 WRITE(6,211) (MRL(K),K=1,30)
327 211 FORMAT(5X,30I4)
328 GO TO 1004
C
329 1006 WRITE(6,234) XMESH
330 234 FORMAT(10X,'CAPTURE THICKNESS MESH='F6.3)
331 WRITE(6,235) (MCZ(K),K=1,30)
332 235 FORMAT(5X,30I4)
333 WRITE(6,237)
334 237 FORMAT(10X,'RADIAL DISTRIBUTION OF CAPTURE POINT')
335 WRITE(6,238) (MU(I),I=1,30)
336 238 FORMAT(5X,30I4)
337 IF(IPD.E0.3) GO TO 1008

```

* SOURCE STATEMENT (FTMAIN) *

```

338      GO TO 1004
C
C      CAPTURE POINTS DISPLAY IN X VERSUS Z WITH A MESH XMESH(CM)
339      IF(XPRINT-1,NE,(XPRINT-1)/10*10) GO TO 1004
340      CALL ZPLOT(E,XMESH)
341      CALL EPLOT(E,REAV,DTETA)
C
C      *****
342      CONTINUE
343      YR=YR*243,-INT(243.*YR)
344      IF(YR,EG,0.) YR=0.00001
345      8 CONTINUE
346      XPRINT=XPRINT+1
C
C      *****
C      ***** ENERGY ROOP RETURN POINT *****
C
C      RETURN TO NEXT INCIDENT ENERGY POINT
347      9 CONTINUE
C
C      *****
348      WRITE(6,231)
349      231 FORMAT(120(1H*))///
C
C      *****
C      ***** FORMAT 2 2 2 2 2 *****
C
350      JPRINT=0
C
351      HFACT=EXP(2./SQRT((EMIN+EMAX)/2.))
C
352      DO 400 I=1,200,1SKIP
353      TOF1=TMIN+DT*(I-1)
354      EL=ACON/TOF1**2
355      IF(EL,GE,ECMAX,OR,EL,LE,ECMIN) GO TO 400
356      IF(JPRINT/40*40.E0,JPRINT) GO TO 777
357      GO TO 779
358      777 WRITE(6,401) (TITLE(K),K=1,20),D,T1,T2,AB,X0,Y0,DTETA,NTOTAL,PL,DT
359      401 FORMAT(1H1/5X,20A4/ 5X,DIAMETER='F6.2,'(CM)'/5X,SAMPLE THICKNE
1,TEFF
1SS='F8.5,'(CM)'/5X,REFLECTOR THICKNESS='F8.5,'(CM)'/5X,AT
20M/BARN='F8.5/
3 5X,INCIDENT POSITION X0='F6.2, 5X,Y0='F6.2, 5X,INCIDENT AN
4GLE='F6.2,' DEGREE'/ 5X,NUMBER OF INCIDENT NEUTRONS='I7,
5 5X,FLIGHT PATH(CM)='F6.3,5X,CHANNEL WIDTH(MUSEC)='F6.3,
6 5X,TEFFECTIVE='F8.2//
360      WRITE(6,402)
361      402 FORMAT( /10X,'OBSERVED YIELD FOR 1000/E**U.8 NEUTRON FLUX'//
110X,'ENERGY',3X,'CAPTURE',3X,'PBKSCAT',3X,'PFUSCAT',3X,
2 'OPEN BEAM',2X,'TRANS BEAM',2X,'EFFICIENCY',2X,'YCAPTUR',4X,
3'SCATBK',4X,'SCATFD'//)
362      779 CONTINUE
363      FLUX=10000./EL**0.8
364      TFLT=EXP(-2./SQRT(EL))*HFACT
365      EFFICY=1.-EXP(-2.36*0.63/SQRT(EL))
366      FTDF=(EL**1.5)*2./(72.3*PL)
367      OPBEAM=FLUX*FTDF*TFLT
368      TY=OPBEAM*PTRANS(I)
369      CUNTC=OPBEAM*CAPTUR(I)
370      CUNTSB=OPBEAM*EFFICY*SCATBK(I)
371      CUNTSF=OPBEAM*EFFICY*SCATFD(I)

```

* SOURCE STATEMENT (FTMAIN) *

```

372      WRITE(6,404) I,EL,CAPTUR(I),SCATBK(I),SCATFD(I),OPBEAM,TY,EFFICY,
1CUNTC,CUNTSB,CUNTSF,I
373      404 FORMAT(2X,I4,4F10.3,3X,3F10.3,3X,3F10.3,16)
374      JPRINT=JPRINT+1
375      400 CONTINUE
C
C      ***** SHEET PLOT ***** **
376      CALL RPLT
C
C      *****
377      7 CONTINUE
C
378      GO TO 2
C
C      *****
379      9999 WRITE(6,9998) EMIN,EMAX,ECMIN,ECMAX
380      9998 FORMAT(//10X,'REGION OVER',10X,'CROSS SECTION FILE...',FROM',
1F8.3,' TO ',F8.3/10X,'REGION OF CALCULATION...',FROM ',F8.3,
2' TO ',F8.3)
381      2 CONTINUE
382      STOP
383      END

```

* SOURCE STATEMENT *

```

C      SUBROUTINE RPLT
C      SUBROUTINE RPLT
C      SUBROUTINE RPLT
1      SUBROUTINE RPLT
2      COMMON/SIGM/SGA(1000),SGS(1000),SGT(1000),RADN
1/RESDA/NRESO,ER(5),GN(5),GT(5),GJ(5),A(5),F(5),EMIN,DE,EMAX
3      COMMON/PROB/CAPTUR (200),SCATBK(200),SCATFD(200),PTRANS(200)
1,TITLE(20),ACON,TMIN,DT,ECMIN,ECMAX,ZDIST/MZR(50,50)/SKP/ISKIP
4      COMMON /EPSI/MEPSI(30,50)
5      DIMENSION C1(100),C2(100),C3(100),C4(100)
6      DATA STAR,BLNK/1H*,1H /
7      DATA FIGC,FIGS,FIGF,FIGT,FIGX/1HC,1HS,1HF,1HT,1HX/
C
8      WRITE(6,150) (TITLE(I),I=1,20)
9      150 FORMAT(1H1,/5X,20A4)
10     WRITE(6,152)
11     152 FORMAT(115X,'PROBABILITY'/ 112X,'CAPTURE',2X,'SCATTERING' )
C
12     DO 30 I=1,200,ISKIP
13     TOF=TMIN+DT*(I-1)
14     E=ACON/TOF**2
15     IF(E.LT.ECMIN) GO TO 30
16     J1=100,*CAPTUR (I) +0.5
17     J2=100,*SCATBK(I) +0.5
18     J3=100,*SCATFD(I) +0.5
19     J4=100,*PTRANS(I) +0.5
C
20     DO 34 II=1,100
21     IF(J1-II) 60,62,60
22     60 IF(J2-II)69,68,69
23     62 IF(J2-II) 64,66,64
24     64 C1(II)=FIGC
25     GO TO 34
26     66 C1(II)=STAR
27     GO TO 34
28     69 C1(II)=BLNK
29     GO TO 34
30     68 C1(II)=FIGS
31     34 CONTINUE
C
32     WRITE(6,160) I,E,(C1(K),K=1,100), CAPTUR (I), SCATBK(I)
33     160 FORMAT( 15,F7.2,1H1,100A1,1H1,F6.3,2X,F6.3)
34     WRITE(6,162)
35     162 FORMAT(1H+,12X,19X,1H1,19X,1H1,19X,1H1,19X,1H1)
36     DO 44 K=1,100
37     IF(J3-K) 70,72,70
38     70 IF(J4-K)79,78,79
39     72 IF(J4-K) 74,76,74
40     74 C2(K)=FIGF
41     GO TO 44
42     76 C2(K)=FIGX
43     GO TO 44
44     79 C2(K)=BLNK
45     GO TO 44
46     78 C2(K)=FIGT
47     44 CONTINUE
48     WRITE(6,166) (C2(J),J=1,100)
49     166 FORMAT(1H+,13X,100A1)
50     30 CONTINUE

```

* SOURCE STATEMENT (RPLT) *

```

51     RETURN
52     END

```

* SOURCE STATEMENT *

```

C SUBROUTINE RESON
C SUBROUTINE RESON
C SUBROUTINE RESON
C SUBROUTINE RESON
1 C *****
C DOPPLER INTEGRAL FOR RESONANCE 1974.1.31
2 COMMON/DOPPL/XE,TE,PSI,CHI/SIGM/SGA(1000),SGS(1000),SGT(1000),RADN
1/RESDA/NRESON+ER(5)+GN(5)+GT(5)+GJ(5)+A(5)+F(5)+EMIN+DE+EMAX
2/TEMP/TEFF
3 DIMENSION OBSIGA(1000,5),OBSIGS(1000,5),OBSIGT(1000,5),CS0(5)
4 RA=RADN
5 DO 542 J=1,1000
6 SGA(J)=0
7 SGS(J)=0
8 SGT(J)=0
9 DO 542 K=1,5
10 OBSIGA(J,K)=0
11 OBSIGS(J,K)=0
12 OBSIGT(J,K)=0
13 542 CONTINUE
14 WRITE(6,901)
15 901 FORMAT(///120(1H*))
16 WRITE(6,604)
17 604 FORMAT( 9X,'RESON ENERG',6X,'GN',9X,'GT',6X,'G-FACTOR MASS NO
1 ARROUNDANCE',/)
18 DO 10 I=1,NRESON
19 WRITE(6,602) ER(I),GN(I),GT(I),GJ(I)+A(I),F(I)
20 602 FORMAT(/5X,F12.2,2F12.6,3F12.4)
21 10 CONTINUE
22 DO 550 I=1,1000
23 E=EMIN+(I-1)*DE
24 IF(E,GT,EMAX) GO TO 550
25 DO 540 K=1,NRESON
26 T=4+.025*TEFF/294.*E/(A(K)*GT(K)+GT(K))
27 TE=T
28 XE=2.*(E-ER(K))/GT(K)
C
C *** DOPPLER INTEGRAL *****
C CALL DOPPLA
29 C *****
30 CS0(K)=(2600000./E)*GJ(K)*GN(K)/GT(K)
31 OBSIGA(1,K)=PSI+CS0(K)*(GT(K)-GN(K))/GT(K)
32 OBSIGS(1,K)=CS0(K)*(PSI*GN(K)/GT(K)+CHI*0.0044*RA*SQRT(E))
33 OBSIGT(1,K)=OBSIGA(1,K)+OBSIGS(1,K)
34 540 CONTINUE
35 550 CONTINUE
36 WRITE(6,605)
37 605 FORMAT(/5X,100(1H*))
38 WRITE(6,608)
39 608 FORMAT(25X,'DOPPLER BROADENED CROSS SECTION')
40 WRITE(6,606)
41 606 FORMAT(/25X,'ENERGY(EV)'6X,'CAPTURE CS',10X,'SCATT CS',12X,'TOTAL
1 CS(BARN)')
C *****
42 PS=12.56*RA*RA
43 IN=0
44 DO 562 J=1,1000
45 E=EMIN+(J-1)*DE
46 IF(E,GT,EMAX) GO TO 562

```

* SOURCE STATEMENT (RESON) *

```

47 DO 560 K=1,NRESON
48 SGA(J)=SGA(J)+OBSIGA(J,K)*F(K)
49 SGS(J)=SGS(J)+OBSIGS(J,K)*F(K)
50 SGT(J)=SGT(J)+OBSIGT(J,K)*F(K)
51 560 CONTINUE
52 SGS(J)=SGS(J)+PS
53 SGT(J)=SGT(J)+PS
54 IF(J/5=5,NE,J) GO TO 562
55 IN=IN+1
56 JKL=IN-(IN/3*3)+1
57 GO TO(620,621,622),JKL
58 620 WRITE(6,600) E,SGA(J),SGS(J),SGT(J)
59 600 FORMAT(5X,(4F10,2,1H*))
60 GO TO 562
61 621 WRITE(6,601) E,SGA(J),SGS(J),SGT(J)
62 601 FORMAT(1H+,47X,4F10,2,1H*)
63 GO TO 562
64 622 WRITE(6,603) E,SGA(J),SGS(J),SGT(J)
65 603 FORMAT(1H+,95X,4F10,2,1H*)
66 562 CONTINUE
67 563 CONTINUE
68 WRITE(6,607)
69 607 FORMAT(5X,120(1H*))
70 RETURN
71 END

```

* SOURCE STATEMENT *

```

C SUBROUTINE DOPPLER
C SUBROUTINE DOPPLER
C SUBROUTINE DOPPLER
C SUBROUTINE DOPPLA
1 C *****
C CALCULATION OF DOPPLER INTEGRAL COPY PFCN 1974.1.28. M.OHKUBO
2 COMMON /PFCNS/SXI,ETA,U,V/ DOPPL/XE,TE,PSI,CHI
3 SXI=0.5*XE/SQRT(TE)
4 ETA=0.5/SQRT(TE)
C
5 CALL PFCN
C *****
6 PSI= 1.77246*ETA*U
7 CHI= 1.77246*ETA*V
8 RETURN
9 END
    
```

* SOURCE STATEMENT *

```

C SUBROUTINE MOVEA1
C SUBROUTINE MOVEA1
C SUBROUTINE MOVEA1
1 C SUBROUTINE MOVEA1
C *****
C MOVING TARGET IN SCATTERING PROCESS
2 COMMON/BOLTZM/A,(XXX+U,YR/TMOV/E1+E2+D1(3)+D2(3))/TEMP/TEFF
C
3 DIMENSION VO(3),VC(3),VCR(3),VB(3),VR(3)
4 VB(1)=0
5 VB(2)=0
6 VB(3)=SQRT(E1)*1.00E06/72.3
7 VBN2=(VB(1)**2+VB(2)**2+VB(3)**2)
8 VBL=SQRT(VBN2)
C
9 YR=YR*243,-INT(243,*YR)
10 IF(YR.LT.0.0001) YR=YR*1000. +0.21435677351
C
11 CALL VATOM
C *****
12 YR=YR*243,-INT(YR*243,)
13 COSB=2.*YR-1.
14 YR=YR*243,-INT(YR*243,)
15 SINB=SIGN(1,+0.5-YR)*SQRT(1.-COSB**2)
16 VCN2=(A/(A+1.))**2*(VBN2-2.*VBL*U+COSB*U**2)
17 VCL=SQRT(VCN2)
18 VO(1)=0
19 VO(2)=(-A*U*SINB)/(A+1.)
20 VO(3)=(VBL+A*U*COSB)/(A+1.)
21 VOL=SQRT(VBN2+2.*A*U*VBL*COSB+(A*U)**2)/(A+1)
C *****
22 YR=YR*243,-INT(243,*YR)
C
23 COSD=2.*YR-1.
24 SIND=SQRT(1.-COSD**2)
25 COSG=(VBL+A*U*COSB)/VOL/(A+1.)
26 SING=(A/(A+1.))*U*SINB/VOL
27 YR=YR*243,-INT(243,*YR)
28 PHY=2.*3.1416*YR
29 COSP=COS(PHY)
30 SINP=SQRT(1.-COSP**2)*SIGN(1,+0.5-YR)
31 YR=YR*243,-INT(243,*YR)
32 TELTA=2.*3.1416*YR
33 COST=COS(TELTA)
34 SINT=SQRT(1.-COST**2)*SIGN(1,+0.5-YR)
C
C VELOCITY AFTER SCATTERING VR(3)
C *****
35 VR(1)=VCL*SIND*(SINP*COST-COSP*SINT)-VOL*SING*SINT
36 VR(2)=-VCL*SIND*(COSP*COST+SINP*SINT)-VOL*SING*COST
37 VR(3)=VCL*COSD+VOL*COSG
38 VRN2=VCN2+VOL**2+2.*VOL*VCL*(COSD+COSG+SIND*SING*COSP)
39 VRL=SQRT(VRN2)
40 ERATIO=VRN2/VBN2
41 E2=ERATIO*E1
42 D2(1)=VR(1)/VRL
43 D2(2)=VR(2)/VRL
44 D2(3)=VR(3)/VRL
    
```

* SOURCE STATEMENT (MOVEA1) *

```

45 RETURN
46 END
    
```

* SOURCE STATEMENT *

```

C SUBROUTINE VATOM
C SUBROUTINE VATOM
C SUBROUTINE VATOM
1 C SUBROUTINE VATOM
2 ***** 1975.5.24. M.OHKURO*****
3 COMMON /BOLTZM/ A,IXXX,U,YR/ TEMP/TEFF
4 DIMENSION B(10)
5 DATA(1)/0.64/B(2)/0.90/B(3)/1.10/B(4)/1.28/B(5)/1.45/
6 1 B(6)/1.62/B(7)/1.82/B(8)/2.02/B(9)/2.28/B(10)/2.27/
7 YR=YP*243,-INT(243.*YR)
8 K=YR*10,+1.
9 F=B(K)
10 C THERMAL VELOCITY OF A=1 ATOM IS EQUAL TO 2200 M/SEC.
11 U=F*2200.*SQRT(TEFF/(A*293.5))
12 RETURN
13 END
    
```

* SOURCE STATEMENT *

```

C SUBROUTINE ZRPLOT(MZR,E,XMESH)
C SUBROUTINE ZRPLOT(MZR,E,XMESH)
C SUBROUTINE ZRPLOT(MZR,E,XMESH)
1 C SUBROUTINE ZRPLOT(MZR,E,XMESH)
2 COMMON /ZDIST/ MZR(50,50)
3 WRITE(6,200) E,XMESH
4 200 FORMAT(1H1,5X,'DISTRIBUTION OF CAPTURE POINTS Z=X'/ 5X,'ENERGY=',
5 1 F6.2,10X,'MESH LENGTH(CM)', F6.3,7X, '0'.38X,'10'.38X,'20'.38X,
6 1'3C'//)
7 DO 10 I=1,30
8 WRITE(6,202) I,(MZR(J,I),J=1,30)
9 202 FORMAT(1X,14,3014//)
10 CONTINUE
11 RETURN
12 END
    
```

* SOURCE STATEMENT *

```

C SUBROUTINE EPPLOT(E,REAV,DTETA)
C SUBROUTINE EPPLOT(E,REAV,DTETA)
C SUBROUTINE EPPLOT(E,REAV,DTETA)
C SUBROUTINE EPPLOT(E,REAV,DTETA)
1 C SUBROUTINE EPPLOT(E,REAV,DTETA)
2 COMMON /EPSI/MEPSI(50,50)
3 DIMENSION NS(20)
4 DO 30 I=1,20
5 NS(I)=0
6 30 CONTINUE
7 WRITE(6,200)
8 200 FORMAT(1H1,5X,'FRONT SURFACE SCATTERING,ENERGY, ANGLE DISTRIBUTION
9 1'//)
10 WRITE(6,204) E, REAV ,DTETA
11 204 FORMAT(5X, 'INCIDENT ENERGY=',F6.1,'(eV)', 5X,'AVERAGE RECOIL ENERGY
12 1Y=',F6.2,5X,'INCIDENT ANGLE=',F6.1,14X,'-90 -80 -70 -60 -50 -
13 240 -30 -20 -10 00 10 20 30 40 50 60 70 80 9
14 30'//)
15 DO 10 I=1,50
16 EAFT=E-REAV*0.1*(I-1)
17 N=0
18 DO 12 J=1,19
19 N=N+MEPSI(I,J)
20 NS(J)=NS(J)+MEPSI(I,J)
21 12 CONTINUE
22 WRITE(6,202) I,EAFT, (MEPSI(I,J),J=1,19)*N
23 202 FORMAT(2X,14,F6.1,19I5,5X,16)
24 10 CONTINUE
25 WRITE(6,206) (NS(K),K=1,20)
26 206 FORMAT(/12X,20I5)
27 RETURN
28 END
    
```