# OSCAR, A CODE FOR THE CALCULATION OF THE YIELD OF RADIOISOTOPES PRODUCED BY CHARGED-PARTICLE INDUCED NUCLEAR REACTIONS

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OSCAR, a Code for the Calculation of the Yield of Radioisotopes
Produced by Charged-Particle Induced Nuclear Reactions

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A computer code OSCAR, operated on a main frame computer was developed for the calculation of the yield of radioisotopes produced by charged-particle induced nuclear reactions. The excitation functions required for calculating the yield were evaluated by means of an empirical rule which we developed on the basis of a systematics derived from a number of experimental data reported in the literature. The rule is valid for light ion (Z  $\leq$  2)-induced reactions followed by neutron emission processes. Other excitation functions are also obtainable from the data file in OSCAR. In addition, the code possesses functions useful for the calculation of the stopping power and range. The energy loss and the distribution of recoil products in stacked targets are also provided as options. The formalism, structure, and direction for the usage of the code are described together with the explanation of the functions of some routines.

Keywords: OSCAR Code, Yield of Radioisotopes, Nuclear Reaction

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荷電粒子反応により生成する放射性同位元素の生成量計算コード、OSCAR

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荷電粒子反応により生成する放射性同位元素の生成量を計算することを目的として、計算コードOSCARを大型計算機上で開発した。生成量の計算に必要な励起関数は、我々が開発した核反応断面積に関する経験則を使って計算する事ができる。ただし、この経験則は入射イオンが軽粒子( $Z \le 2$ )で、中性子放出反応に限って有効である。また、文献に記載された励起関数データを集めたデータファイルを利用する事もできる。このほかに加速器実験に際して役立つ付加的な機能として、阻止能と飛程、積層型ターゲット集合体中でのエネルギー損失およびその中での反跳核の分布が計算できる。計算方法、コードの構成と使用方法および有用なモジュールの仕様に付いて述べる。

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#### 1. Introduction

We constructed a code, OSCAR, to calculate the yield of radioisotopes produced by charged-particle-induced reactions, throughly revising the previous code TYIELD<sup>1)</sup> published in 1974. In order to evaluate the yield, numerical values of cross sections and stopping powers are required for an arbitrary combination of the projectile and target. In OSCAR, the excitation functions are calculated using an empirical rule which we developed on the basis of systematics derived from a number of experimental data reported in the literature. The rule, however, covers only light-ion induced reactions, with  $Z \leq 2$ , followed by neutron emission processes since there are not a sufficient number of data available to extract any reliable systematics for other types of reaction. Instead, the excitation functions are either referred to in a computer file in which most of the numerical data reported in the literature from 1960 to 1987 were compiled or provided as input data by the use of an appropriate code like  $ALICE^{2}$ .

The calculation of the energy loss and range plays an important role as supplemental functions of OSCAR because they are indispensable information in beam experiments for the nuclear reaction study besides the technological applications of ion implantation and the use of ion beams in material science. For instance, one must know the magnitude of the energy loss in the target material to deduce the effective excitation energy for a relevant nuclear reaction. In-beam experiments using such as ISOL or helium-jet transport system require information on the rate of product nuclides recoiled out of the target which can be estimated using the recoil ranges. In practical work of radioisotope production using charged-particle accelerators, significantly thick targets are generally used in order to raise the yield of the product radioactivity. They are so thick as compared to the range of the projectile that they are considered to be of infinite thickness. Therefore, the total yield called "thick-target

yield" should be deduced by means of the energy of incident particles at a given depth and the cross section value at the relevant energy.

Of universal formulas proposed for calculating the stopping power, we adopted the Ziegler's method<sup>3)</sup> as the best which permits to judge the accuracy of calculation for various segments of possible combination of projectiles and targets. The stopping power can be calculated at energies above 0.1 keV for any projectile in solid targets. Functions necessary for the calculation of the stopping power and range were prepared, from which the magnitude of the energy loss in absorbing layers or the distribution of recoil products in a stacked target can be deduced.

Chapter 2 describes our empirical rule of the excitation function and the method of calculation of the stopping power, with which provided are the yield of a product nuclide, the energy loss in the absorbing layers and the distribution of the recoil products in the stacked target. Chapter 3 explains the structure of the code, the transfer of a source program to the load module and the structure of data files used in the code. Some routines in the code can also be used for other codes effectively and their structure and function are described in Chapter 4. Two types of execution of the code, BATCH processing and TSS processing, are available in OSCAR. Chapter 5 explains how to execute the code by these processes and shows samples of the input and output for BATCH processing. A user is recommended to read at least Chapter 5 and Tables 14 - 18 to use OSCAR.

#### 2. Method of calculation

2.1 Yields of radioisotopes and excitation functions
The yield of a radioisotope Y, produced during irradiation of a target, is expressed as

$$Y = (N_A/M_2)N_P[1 - exp(-\lambda t)] \int_{E_f}^{E_i} {\sigma(E)/S(E)} dE,$$
 (1)

where  $N_A$  is the Avogadro's number,  $M_2$  the atomic weight of the target element,  $N_{\mathbf{p}}$  the number of projectiles per unit time,  $\lambda$ the decay constant of the radioisotope,  $\sigma$  (E) the cross section, and S(E) the stopping power of the target material at the ion energy E.  $E_i$  and  $E_f$  are the ion energies before and after passing through the target material. The stopping power is calculated using the semi-empirical formula reported by Ziegler et al.3) for energies below 100 MeV/amu and the Bethe-Bloch equation<sup>9)</sup> for energies above 100 MeV/amu which are described in detail in Appendix 1. Any theory to predict the formation cross sections for arbitrary radionuclides regardless of reaction mechanisms has not yet been totally established. In OSCAR, the following means of obtaining the excitation function needed for the calculation of the radioisotopic yield are provided: the excitation function is (1) estimated with the empirical rule or (2) obtained from the compiled file of experimental data. If desired excitation functions can not be obtained by these means, a user have to prepare the input data set which would be obtained from existing computer codes or experimental data.

# 2.2 An empirical rule on the excitation function

A number of experimental data on cross sections for a variety of nuclear reactions have been reported. We compiled the cross section data for light-ion induced reactions followed by neutron emission processes, and established an empirical rule based on the systematics of the compiled excita-

tion functions. The systematics has been derived based on qualitative arguments of the characteristics of the neutron decay of the excited nucleus left in the interaction between the projectile and target. This shall be described in detail in Appendix 3. As a result we obtained an equation to calculate the excitation function  $\sigma$  (E) for the (q,xn)-type reaction, where q stands for the projectile:

$$\sigma (E) = \sigma_m (E_m/E)^c \frac{\exp(c) - 1}{\left[\exp(E_m/E)\right]^c - 1}, \qquad (2)$$

where  $\sigma_m$  is the cross section (mb) at the laboratory energy  $E_m$  (MeV) of the peak of the excitation function. c is the parameter dependent of the reaction system determined by fitting Eq.(2) to the compiled data:

$$\begin{cases} c = C_L & \text{for } E \leq E_m, \\ c = C_L + 10 & \text{for } E > E_m, \end{cases}$$
with

$$\begin{cases} C_L = A_c/10 + 10(x - 1) & \text{for the (p,xn) reactions,} \\ C_L = A_c/10 + S[10(x - 2)] & \text{for the (d,xn),} (^3He,xn) \text{ and} \\ (\alpha,xn) & \text{reactions,} \end{cases}$$

where  $\mathbf{A}_{\mathbf{C}}$  is the mass number of compound nuclei.  $\mathbf{S}(\mathbf{x})$  is a step function defined as

$$\begin{cases} S(x) = 0 & \text{for } x < 0, \\ S(x) = x & \text{for } x \ge 0. \end{cases}$$

 $E_{m}$  is given by

$$E_{m} = E_{max}(A_1 + A_2)/A_2$$
with

$$E_{\text{max}} = E_{\text{M}}' + 2\sum_{i=1}^{X} T_{i}, \qquad (6)$$

$$E_{M}' = S\{\min[B_{n}(x+1), B_{p}(x+1) + 0.2E_{c}^{(p)}] - Q(q,xn)\} + 0.4S[E_{c}^{(q)} + Q(q,xn) - Z_{1} - 4.5],$$
(7)

and

$$T_i = \{ [E_M' + Q(q,in)]/a_i \}^{1/2},$$

where  $E_{max}$  designates the peak position of the excitation function in the center-of-mass (CM) system,  $A_1$  and  $A_2$  denote the mass numbers of the projectile and the target nuclei.  $Z_1$  is the nuclear charge of the projectile and  $B_n$  and  $B_p$  give the binding energies of neutron and proton, respectively, in the residual nuclei.  $E_c^{(q)}$  is the Coulomb barrier for the projectile q in the target nuclei and  $E_c^{(p)}$  the Coulomb barrier for proton in the residual nuclei. Q(q,xn) represents the  $Q_{gg}$  values of the (q,xn)-type reaction. The level density parameter  $a_i$  of the residual nuclei is estimated from a semi-empirical formula  $A_i$ 0 based on the shell model.

 $\sigma_{m}$  is given by

$$\sigma_{m} = \sigma_{g} P_{n} \exp(-f_{Ecm} - f_{Ec} - f_{dN}),$$
with

$$\sigma_g = 10\pi (r_0 A_2^{1/3} + \lambda)^2,$$
 (9)

where  $\sigma_g$  is the geometrical cross section (mb),  $r_0$  the nuclear radius parameter (taken to be 1.25fm) and  $\lambda$  the reduced de Broglie wave length (fm). The neutron emission probability  $P_n$  against the competing fission is represented by the relation:

$$P_{n} = \prod_{i=1}^{X} P_{n,i}, \qquad (10)$$

$$P_{n,i} = 1/[1 + \Gamma_{f,i}/\Gamma_{n,i}],$$
 (11)

$$\Gamma_{f,i} / \Gamma_{n,i} = 0$$
 for  $Z_c \le 90$ , (12)  
 $\Gamma_{f,i} / \Gamma_{n,i} = \exp[a(Z_c(i)^2/A_c(i) - b)]$  for  $Z_c > 90$ ,

where

a = 1.53, 
$$\begin{cases} b = 36.0, & \text{for } Z_c \leq 94, \\ = 36.0 + 0.975N - 0.075N^2, & \text{for } Z_c > 94, \end{cases}$$
 and 
$$N = (Z_c(1) - 93)/2,$$

 $\Gamma$   $_{\rm f,i}$  and  $\Gamma$   $_{\rm n,i}$  are the level widths of fission and neutron emission channels respectively.

The attenuation factors  $f_{\text{Ecm}}$ ,  $f_{\text{Ec}}$  and  $f_{\text{d}N}$  in the exponent of Eq.(8) are

$$f_{Ecm} = S[\Delta E_{cm} - 6)]/8,$$
with

$$\triangle E_{cm} = E_{cm} - E_{0},$$
 $E_{cm} = E_{max} - S[-Q(q,xn)],$ 
 $E_{0} = S\{E_{cm} - S[-Q(q,n)]\} + 7.0,$ 

$$f_{Ec} = 0.4S[E_c^{(q)} + Q(q,xn) - Z_1 - 4.5],$$
 (14)

$$f_{dN} = 0.116S[\Delta n - 3.9] + 1n2,$$
 with

$$\Delta n = \{M(Z_c, A_3) - M(Z_c, A_0)\} S[A_0 - A_3]$$
  
-  $\{M(Z_c, A_c) - M(Z_c, A_0)\} S[A_0 - A_c].$ 

Here, M(Z,A) represents the mass excess (MeV) of the nuclide with nuclear charge Z and mass number A. A<sub>3</sub> is the mass number of the residual nuclei and A<sub>0</sub> the mass number of the nuclide with a minimum value of mass excess among isotopes with atomic number Z<sub>c</sub>. The accuracy of the calculated  $\sigma_m$  was within a factor of 2 and that of the calculated  $E_m$  was  $\pm$  2 MeV. The comparison between calculated and experimental excitation functions is shown in Fig. 9 for  $^{209}{\rm Bi}(p,{\rm xn})$  reactions and in Fig.10 for the  $^{197}{\rm Au}(\alpha$ ,xn) reactions.

# 2.3 The energy loss in stacked targets

If the thickness T of a target material is smaller than the projected range R at the initial ion energy  $\mathbf{E}_0$ , the energy loss in the target is expressed as

$$\Delta E = E_0 - E_{B-T}, \tag{16}$$

where  $E_{R-T}$  is the ion energy corresponding to a projected range R-T estimated from the Biersack's formula<sup>3,5)</sup> which is described in detail in Appendix 2. The incident energy on the i-th material in stacked targets is given by

$$E_{i} = E_{i-1} - \Delta E_{i-1}, \tag{17}$$

where  $E_{i-1}$  and  $\Delta E_{i-1}$  are the incident energies of ions entered in the (i-1)th material and the energy loss in the (i-1)th material, respectively.

# 2.4 Distribution of recoil products in stacked targets

A stacked target used in radiochemical works often consists of thin foils containing target nuclei and some metal foils for catching recoil products originated by the nuclear reactions. (If the recoil nucleus is a fission product with large kinetic energy, the catcher foils are to be set also in front of the target foil.) The thickness of the individual foil must be less than the projected range of the recoil product in the foil except for the last catcher foil. It is important that the catcher foil does not contain any nuclides which may interfere the relevant product. When ions with the laboratory energy E<sub>1</sub> enter the target foil and nuclear reactions take place, the nucleus of interest scatters with the laboratory energy  $E_3$  and pass through the catcher foils. In OSCAR, the kinetic energy of recoil products originated by three types of nuclear reactions can be estimated as described below, the angular distribution of recoil products in the CM

system being assumed to be isotropic.

(1) Evaporation products decayed from compound nuclei Recoil energy  $\mathbf{E_3}$  in the CM system is derived from the non-relativistic two body kinematics:

$$E_3' = (E_1' + Q) A_4/(A_3 + A_4),$$
 with 
$$E_1' = E_1 A_2/(A_1 + A_2),$$
 
$$A_4 = A_1 + A_2 - A_3,$$
 (18)

where  ${\rm A}_3$  is the mass number of the residual nucleus, Q the Q-value of the reaction and  ${\rm E}_1{}'$  the incident energy in the CM system.

# (2) Fission products

Total kinetic energy  $E_k$  (MeV) of the fission products from the symmetric fission process can be estimated from the Viola's systematics<sup>6</sup>:

$$E_{k} = 0.1071 Z_{c}^{2}/A_{c}^{1/3} + 22.3.$$
 (19)

 $\rm E_3$ '( $\theta$ ) is calculated from Eq.(18) with Q =  $\rm E_k$  -  $\rm E_1$ '.

(3) Products from asymmetric fission and damped collision processes  $^{22}$ )

Total kinetic energy  $\mathbf{E}_k$  (MeV) of products from the strongly damped collision can be estimated based on the Viola's systematics:

$$E_{k} = 4(0.1071Z_{c}^{2}/A_{c}^{1/3} + 22.3) Z_{1}Z_{2}/Z_{c}^{2}$$
 (20)

 $E_3$ '( $\theta$ ) is calculated from Eq.(18) with Q =  $E_k$  -  $E_1$ '. The scattering angle  $\theta$ ' in the CM system to be calculated, is determined by dividing  $\pi$  radian in equal parts by a dividing

number Ng. (The default value of Ng is 100.) The kinetic energy  ${\rm E_3}$  (  $\theta$  ) in the laboratory system is obtained from  ${\rm E_3}$  'as follows;

$$E_3(\theta') = E_3'(1 + K^2 + 2K\cos\theta'),$$
 (21)

$$K = \left\{ \begin{array}{c} A_1 A_3 \\ \hline A_2 A_4 \end{array} \right. \begin{array}{c} E_1' \\ \hline (E_1' + Q) \end{array} \right\} 1/2, \qquad (22)$$

and heta ' is converted to the scattering angle in the laboratory system:

$$\theta = \tan^{-1} \left\{ \sin \theta ' / (\cos \theta ' + K) \right\}. \tag{23}$$

Next, the energy loss  $\Delta$  E in the target is estimated for the recoil nucleus as ejected in the direction  $\theta$  with energy  $E_3(\theta)$ . If the residual energy  $E_3-\Delta$  E is larger than zero, this energy is taken to be the incident energy for the next catcher foil to repeat the calculation of  $\Delta$  E. Such a calculation is continued as long as catcher foils exist. Finally, the distribution  $D_S$  is determined by counting the number of the events of stopping of the recoil products in every foil:

$$D_{s} = \frac{\sum_{j=1}^{N_{s}} \sin \theta_{j}'(1 + a \cos^{2} \theta_{j}')}{\sum_{j=1}^{N_{g}} \sin \theta_{j}'(1 + a \cos^{2} \theta_{j}')},$$
(24)

where

$$\theta_{i}' = \left[ \sum_{i=1}^{I} \frac{\pi}{Ng} \right] + \frac{\pi}{2Ng}, \qquad (25)$$

Here, a is the anisotropy factor for angular distribution of fission products and becomes zero for the isotropic distribution. In the case where the target thickness can not be neglected compared to the projected range of the recoil nuclei in the target, the target thickness is partitioned into

several parts. The distributions are calculated for individual parts of the target in which the energy loss of recoil products can be neglected, and the final results are given by adding all of the individual distributions. The excitation function must be taken into consideration at calculation of the distribution of recoil products when the energy loss of the ions in the target foil is so large that the cross section is hardly considered to be constant throughout the target.

#### 3. Contents of OSCAR

OSCAR was developed using a main frame computer FACOM M380R. The programing language is FACOM OS IV/F4 MSP FORTRAN77 (when OSCAR is to be used in other FORTRAN77 systems, the FORTRAN77 statement including "DO WHILE" or "DO UNTIL" should be translated into appropriate one). Configuration of the code is shown in Fig.1. Two types of load modules for input/output (I/O) are provided. One is OSCAR3B.LOAD for BATCH processing which has a user's source file as a standard input device and a printer as a standard output device. The other is OSCAR3T.LOAD for TSS processing which has a terminal as a standard I/O device. These load modules are linked to a private library, OSCAR3L.LOAD that contains subprograms common in OSCAR. Also, there are data files for I/O, OSIO.DATA and for data base: SIGMA.DATA and MASWPS.DATA.

#### (1) Private library: OSCAR3L.LOAD

This load module contains subprograms common in OSCAR. Table 1 briefly shows the functions of the subprograms. The original source file of the load module is OSCAR3L.FORT77 that requires the storage capacity of about 350 k bytes. An example of TSS command procedure for preparing the load module as a private library from the source file is

FORT77 OSCAR3L ELM(\*) NAME LINK OSCAR3L.OBJ LET NCAL

#### (2) Load module for I/O in TSS processing: OSCAR3T.LOAD

Execution of I/O in TSS processing is done by means of this module that has the functions of indicating menus and prompts for arrangement of input data on the terminal display, reading of the input data from the terminal keyboard, calculation with the input data, and indication of the calculated results on the display. The original source file is OSCAR3T.FORT77 that requires storage capacity of about 100 k

bytes. An example of TSS command procedure for preparation of the load module from the source file and private library is

FORT77 OSCAR3T
LKED77 LM(OSCAR3T.LOAD) PRVLIB('OSCAR3L.LOAD')

(3) Load module for I/O in BATCH processing: OSCAR3B.LOAD

This module used for executing I/O in BATCH processing has functions of the reading of input data, calculation with the input data, and print out of the calculated results. The original source file is OSCAR3B.FORT77 that requires the storage capacity of about 80 k bytes. An example of TSS command procedure for preparing the load module from the source file is

FORT77 OSCAR3B

LKED77 LM(OSCAR3B.LOAD) PRVLIB('OSCAR3L.LOAD')

- (4) Data file of excitation function: SIGMA.DATA

  This is an unformatted direct data set with record
  length of 2 k bytes. The record number in the data file correspond to the orders of entering of input data. The file contains compiled numerical data appeared in the literature
  dating from 1960 to 1987. The number of data is 1526 at the
  end of 1987. The formats and meanings of data elements are indicated in Table 2.
- (5) Data file of nuclear mass excess: MASWPS.DATA

  This is a formatted sequential data set that contains the nuclear mass excess data reported by Wapstra et al. 7)

  Table 3 shows the formats and meanings of data elements.
- (6) Data file for I/O: OSIO.DATA

  This is a partitioned data set accessible from the editor on the terminal. There exist the members of I/O data to

be accessed from OSCAR3T.LOAD and/or OSCAR3B.LOAD. Four members: IPT1, IPT2, IPT3 and IPT4 are input data sets for calculating the yield of radioisotopes, energy loss in stacked targets, stopping power and the range and distribution of recoil products in stacked targets, respectively. These input data sets can be used in BATCH processing by adding appropriate job control statements because the data sets have the same format as one of the input data in BATCH processing. The other two members OPTT and OPTB are output data sets for TSS processing and BATCH processing, respectively.

(7) Data file of input data set in BATCH processing

A user should prepare the data file that consists of input data set and job control statements.

4. Specification of useful subprograms in the library

The subprograms in OSCAR3L.LOAD can be called from other programs and effectively used. The structure and usage of useful subprograms is explained below.

4.1 Calculation of radioisotope yield: SUBROUTINE YIELDZ

This subroutine is used for the calculation of the yield of radioisotopes produced by charged-particle induced reactions. The subroutine statement is

SUBROUTINE YIELDZ( IW, E, IMAX, MP, NP, AMOL, TGD, ITG, EEX, CRS, NEX, ABDC, YLS).

The data types and meanings of the arguments are indicated in Table 4. Other input data are to be in the following common block to calculate the yield of radioisotopes:

COMMON /RGZCO/IER, IZ1, IA1, NKD, NEL(20), IZ2(20), A2(20), POTC(20), DSTC(20)

The data types and meanings of the variables are given in Table 5. Fig. 2 shows the tree structure of subprograms called from the subroutine. The function of all of the called subprograms are explained in Table 1.

4.2 Calculation of excitation function: SUBROUTINE SGCAL1

This subroutine is used for the estimation of the excitation function using the empirical formula. The subroutine statement is

SUBROUTINE SGCAL1(IW,Z1,A1,Z2,A2,N4,Z4,A4,EMAXI,SMAXI,NENG, ENG,SIG).

Table 6 indicates the data types and meanings of the arguments. The tree structure of the subprograms called from

the subroutine is shown in Fig.3.

4.3 Calculation of the energy loss in stacked targets: FUNCTION DELENZ

This double precision function is used for the calculation of the energy loss in stacked targets. The function statement is

DOUBLE PRECISION FUNCTION DELENZ( E1, TD ).

The data types and meanings of the arguments are shown in Table 7. The variables in the common block RGZCO are needed to calculate the energy loss (cf. section 4.1). Fig. 4 indicates the tree structure of the subprograms called from the function.

4.4 Calculation of stopping powers: SUBROUTINE SPWZCO

This subroutine is used for the calculation of the stopping power of projectiles in target materials. The subroutine statement is

SUBROUTINE SPWZCO(E, IZ1, IA1, IZ2, A2, NEL, NKD, POTC, DSTC, IER, IUNIT, ST, SE, SN ).

The data types and meanings of the arguments are shown in Table 8. The tree structure of the subprograms called from the subroutine is indicated in Fig. 5.

4.5 Calculation of projected ranges: FUNCTION RGPZCO

This double precision function is used for calculation of the projected range of projectiles in target materials. The function statement is

DOUBLE PRECISION FUNCTION RGPZCO( ENG ).

The types and meanings of the arguments are shown in Table 9.

The variables in common block RGZCO are needed to calculate

the projected range (cf. section 4.1). Fig.6 indicates the tree structure of the subprograms called from the function.

4.6 Calculation of distribution of recoil products: SUBROUTINE RCLDSZ

This subroutine is used for the calculation of the distribution of recoil products in stacked targets. The subroutine statement is

SUBROUTINE RCLDSZ(IW, IZ1, IA1, IZ2, IA2, IZ3, IA3, N4, IZ4, IA4, JZ2, AA2, IRCT, Q, E1L, NFL, NTGT, ITG, TGD, NKD, NEL, NANG, ANS1, ANS2, NEX, EEX, CRS, NP, MP, IPRT, PCTF, PCTB, EIN, TGS).

Table 10 lists the data types and meanings of the arguments. The tree structure of the subprograms called from the subroutine is shown in Fig.7.

4.7 Retrieving of excitation function data: SUBROUTINE DATSIG This subroutine is used for the retrieval of the desired excitation function from the data base SIGMA.DATA. The subroutine statement is

SUBROUTINE DATSIG( IW ).

Table 11 shows the data type and meaning of the arguments. The tree structure of the subprograms called from the subroutine is shown in Fig. 8.

4.8 Data of elements: SUBROUTINE ELMDA3

This subroutine is used for passing the data of elements in the following common blocks to call subprograms and has no argument:

COMMON /ELM/ ELN(0:110)
COMMON /ATMZ/ ATW(92),DSTY(92),FRMV(92),FSCR(92),COFP(92,8)

# JAERI - M 88-184

COMMON /STHM/ X0(110),X1(110),AA(110),AM(110),D0(110), POT(110)

The first subscript of the array corresponds to the atomic number of an element. The data types and meanings of the variables are shown in Table 12.

# 5. Direction for using OSCAR

Two input modes were prepared in OSCAR. One is for the BATCH processing which is somewhat troublesome for use because the input formats are strictly defined but is convenient when numerous input data are to be prepared. The other is for TSS processing without any format control for the input.

#### 5.1 Batch processing

This input data set consists of the job control statements and input data. OSCAR with the input data set is executed by means of the command "SUBMIT". The typical job control statements are shown in Table 13 and the input formats are shown in Table 14. Tables 15 - 18 indicate samples of I/O for individual calculations. The test data for confirming the execution of the code were saved in OSIO.DATA(TESTDT) for the input and OSIO.DATA(TESTRS) for the output.

# 5.2 TSS processing

Execution in the TSS processing requires command procedures to run OSCAR3T.LOAD. An example of the command procedure is shown in Table 19. The code begins to run by a command "OT" that is a member name in TSSMAC.CLIST. The following menu and prompt are indicated on the terminal display:

	PLEASE, CHOOSE THE NUMBER OF FUNCTION TO BE EXECUTED.	ļ
ł	++	}
ļ	1. REACTION PRODUCT YIELD	1
}	2. ENERGY LOSS IN MEDIUM	ł
1	3. STOPPING POWER AND RANGE	!
1	4. DISTRIBUTION OF RECOIL PRODUCTS IN STACKED-TARGET	1
1	5. SHOW EXCITATION FUNCTION DATA IN DATA BASE	1
ŀ	+	;
1	Q: NUMBER(END -> 0) ===>	ł

When the number of desired menu is entered following the prompt that is indicated at the bottom of the screen, the next menu for the desired calculation is indicated. Thus all the input data required for the calculation can be entered following the direction of menus and prompts on the screen. The meaning and default values of individual input data can be referred to Table 14. It is important for easy entering that the input data with a default value should not be entered if the default value is reasonable for the calculation. When the number 90 is entered for execution after complete arrangement of the input data, the calculation starts and the calculated results are shown on the display. If a user wish to save the calculated results in the data file OSIO.DATA(OPTT), one can execute the action by means of specifying "FILE" in the prompt "INSTRUMENT FOR PRINT". Also, the save and load of the input data set into OSIO.DATA(IPT1) - (IPT4) are executed by means of specifying the numbers 92 and 91, respectively, as shown in the prompt. Such a saved input data set is used for BATCH processing if appropriate job control statements are added.

#### 6. Discussion

Accuracy of calculation of the yield of radioisotopes is strongly dependent on that of the excitation function. In OSCAR, our empirical rule was used to evaluate the excitation function which has not yet been established. The effectiveness of the rule is limited to light-ion induced reactions followed by neutron emission. The rule is, however, simple with sufficient accuracy and quite practical because

- 1) more than 80 % of radioisotopes useful for practical application have been produced utilizing light-ion nuclear reactions with particle accerelators. Furthermore, they are mostly produced with the highest yield when the (q,xn) type of reaction is available. The same situation would be predicted for radioisotopes which have been found to be potentially useful in the future.
- 2) The CPU time necessary for calculation of an excitation function using the empirical rule is less than 1 s.

The calculation based on the empirical rule provides an accuracy of a factor 2 for the maximum cross section and  $\pm$  2 MeV for the projectile energy at the maximum cross section. Currently available computer codes used for the calculation of the excitation function are not necessarily useful or practical from the quantitative point of view. The main reason is that accuracy of calculation with the model calculations is more or less dependent on adjustable parameters which are not uniquely determined for a given combination of target and projectile. For example, when radioisotopes are produced by deuteron- or <sup>3</sup>He-induced reactions followed by neutron emission, the compound nucleus formation processes and direct reactions are involved as well. In this case, the yield of radioisotopes can not be evaluated precisely based on the statistical model only. Thus all reaction channels must be calculated in order to evaluate the yield of radioisotopes precisely. Any nuclear theories or models on reaction

mechanisms except for the compound nucleus reaction have not yet been definitely established until now. Since the empirical rule covers both of the reaction channels and has no adjustable parameters, this rule is of greater advantage than any theoretical calculations, although the validity of the rule is restricted to the neutron emission process. In any case universal methods for evaluating the yield of radio- isotopes will be established in the near future since efforts are continued to develop the nuclear reaction theory and computation technique.

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Table 1 Module types and functions of subprograms in the library OSCAR3L.LOAD

Module type S represents SUBROUTINE, SF single precision FUNCTION and F double precision FUNCTION

Module Name	Module Type	Function
	· ·	Modules relevant to calculation of the yield of radioisotopes
GRAPH	s	Draws one set or two sets of two-
į		dimensional data graphically, using
1		character type
LSTSQR	S	Fits two-dimensional data by polynomial
SIGTOZ	F	Integrates the ratio of cross section to
		stopping power for projectile energy
SMOOTH	S	Performs smoothing of two-dimensional data
YIELDZ	S	Calculates the yield of radioisotopes
CLMENG	F	Calculates the Coulomb energy of two
1		spheres in contact
ENGMAX	SF	Calculates the projectile energy for the
Ì		maximum cross section in a given reaction
į		system using the empirical rule
LEVEL	s	Calculates the level density parameter of
1	]	residual nuclei using Baba's semi-
1		empirical formula <sup>4)</sup>
SGCALI	S	Calculates the excitation function of a
į	!	given reaction system using the empirical
1	ĺ	rule
SIGFRM	s	Calculates the form of the excitation
1		function of a given reaction system using
İ	!	the empirical rule
SIGMAX	SF	Calculates the maximum cross section of a
1		given reaction system using the empirical
	1	rule

# Table 1 continued

1	ļ		Modules relevant to calculation of the
			stopping powers
ļ	BETA2	F	Calculates the square of the ratio of par
1	ļ		ticle velocity to light velocity
-	MASRED	S	Reads all the nuclear mass data from
ļ	(		MASWPS.DATA and enters them in arrays
ļ	MASSEL	F	Obtains the nuclear mass with a given
1	ļ		atomic number and mass number from the
ļ			array
1	DSTEFC	F	Calculates the density effect for stopping
ļ			powers
1	SPWBET	F	Calculates the electronic stopping power
-			at energies above 100 MeV/amu using the
ļ			Bethe-Bloch equations 9)
1	SPWZCO	s	Calculates the nuclear, electronic and
1			total stopping power in the solid material
-			composed of mono-atoms or different atomic
-			species
ļ	SPWZEL	s	Calculates the nuclear, electronic and
ļ			total stopping power in the solid material
			composed of mono-atoms
1	SPWZHE	F	Calculates the electronic stopping power
ĺ		!	for He ions at energies below 100 MeV/amu
		ļ	using the Ziegler's formula <sup>3)</sup>
1	SPWZHI	F	Calculates the electronic stopping power
ļ			for heavy ions $(Z > 2)$ at energies below
ļ			100 MeV/amu using the Ziegler's formula
!	SPWZNU	Ŧ.	Calculates the nuclear stopping power
į		f	using the Ziegler's formula
į	SPWZPR	s	Calculates the electronic stopping power
-			for protons at energies below 100 MeV/amu
İ			using the Ziegler's formula

# Table 1 continued

		Modules relevant to calculation of
1		the projected ranges
ITGGAU	F	Evaluates the numerical solution of one-
1		dimensional-differential equation by
1		means of the Gauss-Legendre method
RGPZCO	F	Calculates the projected range in the
1		solid material composed of mono-atoms or
1		different atomic species
ļ		
		Modules relevant to calculation of
		the energy loss in the stacked
		target
DELENZ	F	Calculates the energy loss in the stacked
		target
VARCVZ	S	Converts two-dimensional array to one-
		dimensional array for the variables of
		target materials
		Modules relevant to calculation of the
		distribution of recoil products
ANGCVT	F	Transforms the scattering angle of
İ		products in the laboratory system to that
		in the CM system or vice versa, assuming
		the two-body kinematics
ENGCVT	F	Transforms the kinetic energy of products
		in the laboratory system to that in the CM!
1		system or vice versa, assuming the two-
1	-	body kinematics
EVPKEN	F	Calculates the kinetic energy of evapora-
		tion residues assuming full momentum
1		transfer

# Table 1 continued

1	FSNKEN	F	Calculates the total kinetic energy for
ļ	•		symmetric or asymmetric fissions
0	QGGVAL	F	Calculates the ground-state Q-value for a
ļ	1		given nuclear reaction using Wapstra's
1	ļ		mass data <sup>7)</sup>
l j	RATVC3	F	Calculates the ratio of product velocity
į	ļ		to center-of-mass velocity
i j	RCLDSZ	S	Calculates the distribution of recoil
1			products in the stacked target
ļ	}		1
į	1		Modules relevant to retrieving of the
1	[		excitation function data
:	DATSIG	S	Shows the excitation function data for a
I	1		given nuclear reaction retrieved from the
1	ĺ		data file SIGMA.DATA
1	SHOWME	S	Shows the excitation function data of a
ŀ	1		given record number in the data file
1	1		SIGMA.DATA
ł	SRTENG	S	Sorts the projectile energies of a given
	1		excitation function in ascending order
1	SRTRCT	S	Retrieves the excitation function data for
	ļ		a given nuclear reaction from the data
i			file SIGMA.DATA
1	į		1
ŀ	ļ		Others
į	ELMDA3	s	Is referred the data relevant to elements
į			from other subprograms
į	RCTEQU	S	Prints reaction formulas for a given reac-
1		<del>-</del>	tion system
L		L	

Table 2 Format of the excitation function data in SIGMA.DATA

Item of Data	Data Type	Remark
Literature	CHARACTER	Journal, Volume, Page,
	*80	and Published year
Authors	CHARACTER	1
	<u>*</u> 80	
Specification of	CHARACTER	'TR' : Reaction
reaction mechanism	*2	cross section,
	1	'SP' : Spallation
		cross section,
	1	'FU' : Fusion
		cross section,
	1	'FS' : Fission
	ļ	cross section,
	I	' ': Others
The energy level of	CHARACTER	'M' : Meta-stable,
product nuclei	*1	'G' : Ground-state,
	1	' ' : Others
The unit of errors in	CHARACTER	'MEV' or ' ':
projectile energies	*3	Units in MeV,
	ļ.	'% ': Units in %
The unit of errors in	CHARACTER	'MB' or ' ':
cross sections	*2	Units in mb,
		'%': Units in %
Projectile atomic	REAL*4	1
number	1	1
Projectile mass	REAL*4	1
number		
Target atomic number	REAL*4	
The second of the second		

Target mass number	REAL*4	
Product atomic number		
Product mass number		
ļ		-
(1) The number of	INTEGER	
ejectiles		
Ejectile atomic number	REAL*4	
Ejectile mass number	REAL*4	
(2) The number of	INTEGER	i
ejectiles		
Ejectile atomic number	REAL*4	
Ejectile mass number	REAL*4	
(3) The number of	INTEGER	· 
ejectiles		
Ejectile atomic number	REAL*4	
Ejectile mass number		
The number of cross	INTEGER	
sections		1
(1)		Energies, cross
Projectile energy(MeV)	REAL*8	sections and their
Error in energy	REAL*8	errors are aligned
Cross section(mb)	REAL*8	by the number speci-
Error in cross section		
<del>                                     </del>		
(2)		1
Projectile energy(MeV)	REAL*8	
Error in energy	REAL*8	
Cross section(mb)		I
Error in cross section	REAL*8	1
L.,	<u> </u>	

Table 3 Format of the nuclear mass data in MASWPS.DATA.

11 lines (character type) from the top of the file
are the explanation for the mass data followed by the
following format:

Item of data	Data type
Atomic number	16
Mass number	16
Mass excess (MeV)	3X,F10.6
Error in mass excess	3X,F10.6
(keV)	

Table 4 Arguments of SUBROUTINE YIELDZ

	Format (DIMENSION)	Remark
		Input Data
IW	INTEGER	The unit specifier for printing of
		results of smoothing of the
		excitation function
E(I)	REAL*8	Projectile energies (MeV)
	(XAMI)	[I = 1,IMAX]
IMAX	INTEGER	The number of energies to be
		calculated
MP*	INTEGER	The degrees of polynomial used in
		smoothing of the excitation
	1	function data (The default value
		is 3)
NP*	INTEGER	The number of smoothing points
	ļ	(The default value is 5)
AMOL	REAL*8	The atomic weight for the target
	1	composed of mono-atoms, or
		molecular weight for that composed
	l	of different atomic species
TGD	REAL*8	The thickness of target material
	1	$(mq/cm^2),$
	1	TGD = 0 for calculation of thick-
	Ĭ	target yields,
	1	= -TGD for calculation of
	1	thin-target yields**
ITG	INTEGER	ITG is always 0
EEX(J)	REAL*8	Projectile energies (MeV) in the
	(NEX)	excitation function data
	1	[J = 1, NEX]

CRS(J)	REAL*8	Cross sections (mb) in the excitation function data	1
NEX	INTEGER	The number of cross sections in	
ABDC	REAL*8	the excitation function data  The abundance of the target	1
		nuclide	
ļ	[	Output Data	1
YLS(I)	REAL*8	The yield ( $\mu$ Ci/ $\mu$ A) of a radio-	ļ
	(XAMI)	isotope at infinite irradiation	ļ
<u> </u>	1	time	ļ 1_

<sup>\*</sup> To obtain the smoothing cross section at a given projectile energy, the excitation function data are fitted by MP-degree polynomial for NP data centered in the energy.

<sup>\*\*</sup> It is assumed that the yield is proportional to the thickness of the target material.

Table 5 List of COMMON /RGZCO/

Variable	Format	Remark
Name	(DIMENSION)	
IER	INTEGER	This value is always 0
IZI	INTEGER	Projectile atomic number
IA1	INTEGER	Projectile mass number
NKD !	INTEGER	The number of kinds of elements
		in the target material
NEL(I)	INTEGER	When the target material is com-
!	(20)	posed of mono-atoms, this value is
[		1. When the material is composed
ļ <u></u>		of different atomic species, this
		value is the composition ratio of
		i-th element in the compound
		[ I = 1, NKD ]
IZ2(I)	INTEGER	The atomic number of I-th element
!	(20)	[ [ I = 1, NKD ]
A2(I)*	REAL*8	The atomic weight of I-th element
!	(20)	[I = 1, NKD]
POTC(I)*	REAL*8	The mean excitation potential (eV)
!	(20)	of orbital-electrons in I-th
l j		element [I = 1,NKD]
DSTC(I)*	REAL*8	The solid density $(g/cm^3)$ of I-th
ļ	(20)	element [I = 1,NKD]

<sup>\*</sup> This value is obtained from SUBROUTINE ELMDA3. (cf. Section 4.8)

Table 6 Arguments of SUBROUTINE SGCAL1

Variable	Format	Remark
Name	(DIMENSION)	
		T
IW	INTEGER	Input Data
. T.M.	INTEGER	The unit specifier for printing of intermediate results of
	' 	
TDDM	THECED	calculation
IPRT	INTEGER	The control index for printing of
		intermediate results of
		calculation,
!		IPRT = 0 for no printing,
! = 4		= 1 for printing
	REAL*4	Projectile atomic number
	REAL*4	Projectile mass number
_	REAL*4	Target atomic number
A2*	REAL*4	Target mass number
N4(I)	INTEGER	N4(1) is the number of neutrons
	(3)	emitted. The other are always 0
Z4(I)	REAL*4 (3)	all the value is always 0
A4(I)	REAL*4 (3)	A4(1) is 1. The other are always 0
1		Output Data
EMAXI	REAL*4	The energy (MeV) at the maximum
		cross section.
SMAXI	REAL*4	The maximum cross section (mb)
NENG	INTEGER	The number of cross sections (mb)
1		in the excitation function
ENG(J)	REAL*4	The energies (MeV) in the
	(300)	excitation function [J = 1,NENG]
SIG(J)	REAL*4	The cross sections (mb) in the
•	(300)	excitation function [J = 1,NENG]
L	L	L

<sup>\*</sup> This value is obtained from SUBROUTINE ELMDA3. (cf. Section 4.8)

Table 7 Arguments of DOUBLE PRECISION FUNCTION DELENZ

	Format (DIMENSION)	Remark
!		Input Data
E1	REAL*8	Projectile energy (MeV)
TD	REAL*8	The thickness $(mg/cm^2)$ of the
-		target material
l		
1		Output Data
DELENZ	REAL*8	The energy loss (MeV) in the
ļ		target material

Table 8 Arguments of SUBROUTINE SPWZCO

Variable Name	Format (DIMENSION)	Remark
Name	(DIMENSION)	
		Input Data
E	REAL*8	Projectile energy (MeV)
I Z 1	INTEGER	Projectile atomic number
IA1	INTEGER	Projectile mass number
IZ2(I)*	INTEGER	The atomic number of I-th element
	(20)	in the target material [I = 1,NKD]
A2(I)*	REAL*8	The atomic weight of I-th element
ļ	(20)	in the target material [I = 1,NKD]
NEL(I)	INTEGER	When the target material is com-
[	(20)	posed of mono-atoms, this value is
!		1. When the material is composed
ļ		of different atomic species, this
ļ		value is the composition rate of
ļ.		I-th element in the compound
į		[I = 1,NKD]
NKD	INTEGER	The number of kinds of elements in
1		the target material
POTC(I)*	REAL*8	The mean excitation potential (eV)
	(20)	of orbital electrons in I-th
į		element. [I = 1,NKD]
DSTC(I)*	REAL*8	The solid density $(g/cm^3)$ of I-th
1	(20)	element [I = 1,NKD]
IER	INTEGER	This value is always 0
IUNIT	INTEGER	The control index for the unit of
1		stopping powers to be calculated,
1		IUNIT = 0: $MeV/(mg/cm^2)$ ,
į		$= 1: eV/(10^{15} atoms/cm^2)$
ļ		Output Data
ST	REAL*8	Total stopping power
SE	REAL*8	Electronic stopping power
	REAL*8	Nuclear stopping power

<sup>\*</sup> This value is obtained from SUBROUTINE ELMDA3. (cf. Section 4.8)

Table 9 Arguments of DOUBLE PRECISION FUNCTION RGPZCO

Variable Name	Format	Remark
ENG	REAL*8	Input Data Projectile energy (MeV)
RGPZCO	REAL*8	Output Data Projected range (mg/cm <sup>2</sup> )

Table 10 Arguments of SUBROUTINE RCLDSZ

Variable   Name	Format (DIMENSION)	Remark
+		
!		Input Data
IW	INTEGER	The unit specifier for printing of
1		intermediate results of
]		calculation
IZ1	INTEGER	Projectile atomic number
IA1	INTEGER	Projectile mass number
172	INTEGER	Target atomic number
IA2	INTEGER	Target mass number
123	INTEGER	Product atomic number
IA3	INTEGER	Product mass number
N4(I)*	INTEGER	The number of ejectiles [I = 1,3]
	(3)	!
IZ4(I)	INTEGER	Ejectile atomic number [I = 1,3]
	(3)	1
IA4(I)	INTEGER	Ejectile mass number [I = 1,3]
	(3)	
JZ2(J,K)	INTEGER	The atomic number of K-th element
	(20,20)	in J-th material which constitutes
	1	the stacked target
		[J = 1,NFL], [K = 1,NKD(J)]
AA2(J,K)	REAL*8**	The atomic weight of K-th element
	(20,20)	in J-th material which constitutes
	1	the stacked target
		[J = 1,NFL], [K = 1,NKD(J)]
IRCT	INTEGER	The control index for nuclear
		reaction mechanism,
	ļ	IRCT = 0: Evaporation process from
		compound
		nuclei assuming full
	I	momentum transfer

j		= 1: Symmetric fission
		process,
		= 2: Asymmetric fission
Q	REAL*8	Reaction Q-value (MeV). If Q is 0,
1		it is calculated as Q <sub>qq</sub> -value
		using Wapstra's mass data (IRCT =
		0) or is calculated from the
!		kinetic energy of fission products
. !		(IRCT = 1,2)
E1L	REAL*8	Projectile energy (MeV)
NFL	INTEGER	The number of constituent
		materials of the stacked target
NTGT	INTEGER	The number of dividing of the
		material which contains target
		nuclides. The default value is 1
		(cf. Section 2.4)
ITG	INTEGER	The order of the material which
ļ		contains target nuclides in the
ļ [		stacked target (The material faced
!		on incident beams is specified
ļ ļ		as 1)
TGD(J)	REAL*8	The thickness of J-th material
ļ	(20)	$  (mq/cm^2) [J = 1, NFL]$
NKD(J)	REAL*8	. The number of kinds of constituent
	(20)	elements of J-th material
		[J = 1, NFL]
NEL(J,K)	INTEGER	When J-th material is composed of
[	(20,20)	mono-atoms, this value is 1. When
ļ		the material is composed of dif-
		ferent atomic species, this value
		is the composition ratio of K-th
		element in the compound
		[J = 1, NFL], [K = 1, NKD(J)]

Table 10 continued

NANG	INTEGER	The number of dividing of $\pi$
1	İ	radian in CM system
t	1	(cf. Section 2.4)
ANS1	REAL*8	The anisotropy coefficient in
***************************************	1	angular distribution of fission
F	Í	products
ANS2	REAL*8	This value is always 0
NEX	INTEGER	The number of cross sections in
1		the excitation function
EEX(L)	REAL*8	Projectile energies (MeV) in the
	(NEX)	excitation function [L = 1,NEX]
CRS(L)	REAL*8	Cross sections (mb) in the excita-
1	(NEX)	ation function [L = 1,NEX]
NP***	INTEGER	The number of smoothing points
	1	(The default value is 5)
MP***	INTEGER	The degrees of polynomial used in
	1	smoothing of the excitation
	1	function data (The default value
1	[	is 3)
IPRT	INTEGER	The control index for printing of
	•	intermediate results of
ļ	!	calculation,
	1	IPRT = 0 for no printing,
ĺ	1	= 1 for printing
ļ	1	Output Data
PCTF(J)	REAL*8	The distribution (%) of recoil
1	(20)	products in J-th material to the
1	1	rear of the target foil(The target
1	1	foil corresponds to J = 1)
	1	[J = 1, NFL]
PCTB(J)	REAL*8	The distribution (%) of recoil
1	(20)	products in J-th material to the
	ļ	front of the target foil

Table 10 continued

1	ļ.	(The target foil corresponds to	Í
	. 1	J = 1) [J = 1, NFL]	
EIN(M)	REAL*8	The mean projectile energy (MeV)	
1	(0:15)	in M-th divided target (The	İ
		initial projectile energy cor-	
ļ		responds to M=0) [M = 0,NTGT]	ļ
TGS(M)	REAL*8	The thickness (mg/cm <sup>2</sup> ) of M-th	
	(15)	divided target from the front	ĺ
		[M = 1,NTGT]	1
L		l .	

\* Ejectiles can be specified up to three types. For example, the ejectiles in the reaction system:  $^{197}{\rm Au}(^{16}{\rm O},\alpha~{\rm p2n})^{206}{\rm Pb}$  is specified as

$$N4(1) = 1$$
,  $N4(2) = 1$ ,  $N4(3) = 2$ ,  $IZ4(1) = 2$ ,  $IZ4(2) = 1$ ,  $IZ4(3) = 0$ ,

IA4(1) = 4, IA4(2) = 1, IA4(3) = 1

- \*\* This value can be obtained from SUBROUTINE ELMDA3 (cf. Section 4.8)
- \*\*\* To obtain the smoothing cross section at a given projectile energy, the excitation function data are fitted by MP-degree polynomial for NP data centered in the energy.

Table 11 Arguments of SUBROUTINE DATSIG

Variable Name	Format	Remark
I₩	INTEGER	Input data The unit specifier for printing of final results of calculation

Table 12 List of block common in SUBROUTINE ELMDA3

Variable     Name	Format	Remark
ELN	CHARACTER*2	Elemental symbol
ATW	REAL*8	Atomic weight
DSTY	REAL*8	Solid density (g/cm <sup>3</sup> )
FRMV	REAL*8	The Fermi velocity of solid, in
[		units of the Bohr velocity <sup>3)</sup>
FSCR	REAL*8	Factor determining ion screening length <sup>3)</sup>
COFP	REAL*8	Proton stopping cross section coefficients <sup>3)</sup>
<b>x</b> o	REAL*8	The parameter used in calculation of the density correction for stopping powers <sup>8</sup> )
X1	REAL*8	The parameter of density correction <sup>8</sup>
AA	REAL*8	The parameter of density correction <sup>8</sup>
AM	REAL*8	The parameter of density correction <sup>8</sup>
DO	REAL*8	The parameter of density correction <sup>8)</sup>
POT	REAL*8	The mean excitation potential (eV) of orbital electrons in the target element.8)

Table 13 Job control statements for BATCH processing

```
// JCLG JOB

// EXEC JCLG

// SYSIN DD DATA, DLM='++'

// ... JUSER statement ...

C.00 I.00 T.00 W.00

OPTP PASSWORD=XXXXXXXX

// EXEC LMGO, LM='JXXXX.OSCAR3B'

// EXPAND DISKTO, DDN=FT01F001, DSN='JXXXX.MASWPS'

// EXPAND DISKTO, DDN=FT03F001, DSN='JXXXX.OSIO',

Q='.DATA(OPTB)'

// SYSIN DD *

... Input Data Set ...
```

Table 14 Input format of BATCH processing

(The symbol D represents default value. All projectile energies is in the laboratory system)

Format of 1st line: Kinds of calculation

Variable   Name	Format	Column	Remark
ICAL*	I 1	1 1	The control index for kinds of calculation,
1			ICAL=1: Calculation of the
ļ		1	yield of radio-
1		1	isotopes,
!		1	=2: Calculation of the
1		1	energy loss in the
		†	stacked target,
		[	=3: Calculation of
[			stopping powers and
			projected ranges,
†			=4: Calculation of the
ſ		į į	distribution of
†		1	recoil products in
ĺ		•	the stacked target,
ţ			=0: Termination
IW	I 4	2-5	The unit specifier for
1			output (D = 6).

<sup>\*</sup> The format of next lines vary with this value.

ICAL = 1: Calculation of the yield of radioisotopes
(1)

The samples of I/O are shown in Table 15.

Formats of 2nd line: Comment line

	Variable Name	Format	Column	Remark	   
 	COM	A60	1-60	Comments	

Format of 3rd line: Reaction system

Variable	Format	Column	Remark
Name		Used	
171	I 5	1-5	Projectile atomic number
121	15	, – –	
IA1	I5	6-10	Projectile mass number
KZ2	I 5	11-15	Target atomic number
KA2	I 5	16-20	Target mass number
123	I 5	21-25	Product atomic number
IA3	I5	26-30	Product mass number
N4(1)*	13	31-33	The number of 1st-ejectiles
IZ4(1)	13	34-36	1st-ejectile atomic number
IA4(1)	13	37-39	1st-ejectile mass number
N4(2)	13	40-42	The number of 2nd-ejectiles
124(2)	13	43-45	2nd-ejectile atomic number
IA4(2)	13	46-48	2nd-ejectile mass number
N4(3)	13	49-51	The number of 3rd-ejectiles
124(3)	13	52-54	3rd-ejectile atomic number
IA4(3)	13	55-57	3rd-ejectile mass number

<sup>\*</sup> Ejectiles can be specified up to three types. For example, the ejectiles in the reaction system:  $^{197}{\rm Au}(^{16}{\rm O},\alpha~{\rm p2n})^{206}{\rm Pb}$  is specified as

N4(1) = 1, N4(2) = 1, N4(3) = 2,

IZ4(1) = 2, IZ4(2) = 1, IZ4(3) = 0,

IA4(1) = 4, IA4(2) = 1, IA4(3) = 1

Table 14 continued

ICAL = 1: Calculation of the yield of radioisotopes

(2)

Formats of 4th line: Target, product and excitation function

Variable Name	Format	Column	Remark
IZ2(1)*	I 5	1-5	Target atomic number
A2(1)	F5.1	6-10	Target atomic weight
<b>!</b> 			(D : The value is obtained from SUBROUTINE ELMDA3)
NEL(1)	I 5	11-15	When the target material is
-		-	composed of mono-atoms,
Ţ			this value is 1. When the
1		+	material is composed of dif-
į			ferent atomic species, this
1			value is the composition
Ţ		!	ratio of the target element
1		ļ	in the compound(D = 1)
NKD	I 5	16-20	The number of kinds of ele-
			ments in the target material
1			(D = 1)
TD	F5.1	21-25	The thickness(mg/cm <sup>2</sup> ) of
ļ			target material (D = 0),
]			TGD = 0 for calculation of
1			thick-target yields,
1			= -TGD for calculation
ļ			of thin-target
1			yields**
ISIG	I 5	26-30	The control index for input
1			of the excitation function
!		1	data (D = 0),
		<u> </u>	ISIG = 0 for arranging input
1		1	data,

Table 14 continued

1		1	= 1 for calculating the
1			excitation function
1			using the empirical
1		1	rule.
NEX	15	31-35	The number of cross sections
ļ	1	l	in the excitation function
1	1	ľ	data (D = 0)
THALF	F10.4	36-45	The half-life of product
	ļ	ţ	nuclei
THUNIT	A3,2X	46-48	The unit of half-lives
	1	ļ	(D = 'HR'),
1		ļ	THUNIT = 'SEC': Units in
1	İ	!	second,
1		l	= 'MIN': Units in
i	1	ļ	minute,
1	1	1	= 'HR ': Units in
		!	hour,
	ļ	1	= 'DAY': Units in
1	!	ļ	day,
!		I	= 'YR ': Units in
ļ	1	1	year
ABDC	F10.4	51-60	The abandonce of the target
1		l	nuclide (D = 1)
MP***	I 5	61-65	The degrees of polynomial
1		Ţ	used in smoothing of the
1		1	excitation function data
!	1		(D = 3)
NP***	15	66-70	The number of smoothing
ļ	ļ	1	points (D = 5)
IPRT	11	71	The control index for
•			printing of intermediate
ļ		ļ	results of calculation of
			the excitation function,

	1		1	IPRT	=	0	for	no printing,	ţ
1	ļ				=	1	for	printing	ļ
ı	İ	1	1	 					

- \* If the target material is composed of different atomic species, the target element is to be specified at the beginning of the array.
- \*\* It is assumed that the yield is proportional to the thickness of the target material.
- \*\*\* To obtain the smooting cross section at a given projectile energy, the excitation function data are fitted by MP-degree polynomial for NP data centered in the energy.

ICAL = 1: Calculation of the yield of radioisotopes
(3)

If the target material is composed of diffrent atomic species (NKD > 1), the following input data are added by (NKD -1) lines

Variable Name	Format	Column	
172(1)*	15		The atomic number of I-th element
A2(I)	F5.1		The atomic weight of I-th element (D : the value is obtained from SUBROUTINE ELMDA3)
NEL(I)	I 5	11-15	The composition ratio of I- th element (D = 1)

<sup>\*</sup> I = 2,NKD

# Table 14 continued ICAL = 1: Calculation of the yield of radioisotopes (4)

Format of 5 + (NKD - 1) line: Incident energy and irradiation time

		T	
Variable	Format	Column	Remark
Name		Used	
EA	F10.3	1-10	Projectile energy. When a
		1	user wish to calculate the
1			yields for the energies more
		ļ	than one, EA is the initial
1			energy.
		1	When ISIG is 1, EA is 0
EZ	F10.3	11-20	When a user wish to calcu-
		1	late the yields for energies
		1	more than one, EZ is the
1		-	final energy $(D = 0)$
DE	F10.3	21-30	When a user wish to calcu-
ļ		İ	late the yields for energies
l		1	more than one, DE is the
			increment of the energy
!			(D = 0)
EUNIT	A3,2X	31-33	The unit of the incident
		1	energy (D = 'MEV'),
!		İ	EUNIT = 'MEV': Units in MeV,
			= 'M/A': Units in
		-	MeV/amu
TA	F10.3	36-45	Irradiation time. When a
			user wish to calculate the
		!	yields for the times more
Annua.			than one, TA is the initial
ļ		1	time

Table 14 continued

TZ								
more than one, TZ is the  final energy (D = 0)  TE F10.3   56-65   When a user wish to calcu-  late the yields for times  more than one, TE is the  increment of the time  (D = 0)  TMUNIT   A3   66-68   The unit of irradiation  times (D = 'HR '),  TMUNIT = 'SEC': Units in  second,  "MIN': Units in  minute,  "HR ': Units in  hour,  "DAY': Units in  day,  "YR ': Units in		ΤZ		F10.3	46-55		When a user wish to calcu-	İ
final energy (D = 0)   TE	ł			ļ		ļ	ate the yields for times	F
TE   F10.3   56-65   When a user wish to calculate the yields for times			ļ	ļ		1	more than one, TZ is the	
late the yields for times   more than one, TE is the   increment of the time   (D = 0)     TMUNIT			1	ļ		1	final energy $(D = 0)$	ĺ
more than one, TE is the   increment of the time   (D = 0)	ļ	TE		F10.3	56-65	[	When a user wish to calcu-	1
increment of the time   (D = 0)				١		1	late the yields for times	ļ
TMUNIT   A3   66-68   The unit of irradiation   times (D = 'HR '),   TMUNIT = 'SEC': Units in second,   second,   minute,   minute,   = 'HR ': Units in hour,   mour,			ļ	!		ĺ	more than one, TE is the	1
TMUNIT   A3   66-68   The unit of irradiation   times (D = 'HR '),   TMUNIT = 'SEC': Units in   second,   = 'MIN': Units in   minute,   = 'HR ': Units in   hour,   = 'DAY': Units in   day,   = 'YR ': Units in	ŀ		ļ	ŀ		İ	increment of the time	ļ
times (D = 'HR '),  TMUNIT = 'SEC': Units in second,  = 'MIN': Units in minute,  = 'HR ': Units in hour,  = 'DAY': Units in day,  = 'YR ': Units in	-		ļ	ļ			(D = 0)	ļ
TMUNIT = 'SEC': Units in second,  = 'MIN': Units in minute,  = 'HR ': Units in hour,  = 'DAY': Units in day,  = 'YR ': Units in	1	TMUNIT		A3	66-68		The unit of irradiation	ļ
second,  = 'MIN': Units in  minute,  = 'HR ': Units in  hour,  = 'DAY': Units in  day,  = 'YR ': Units in	ļ		1	Į		į	times (D = 'HR'),	ļ
= 'MIN': Units in minute,  = 'HR ': Units in hour,  = 'DAY': Units in day,  = 'YR ': Units in	1		[	ļ		1	TMUNIT = 'SEC': Units in	į
minute,  = 'HR ': Units in  hour,  = 'DAY': Units in  day,  = 'YR ': Units in	I		ĺ	ļ		ļ	second,	Į
= 'HR ': Units in hour,  = 'DAY': Units in day,  = 'YR ': Units in	ļ		ļ	ļ		1	= 'MIN': Units in	1
hour,  = 'DAY': Units in  day,  = 'YR ': Units in	Ì	•	[	1			minute,	ļ
= 'DAY': Units in day, = 'YR ': Units in			Ì	!		ļ	= 'HR ': Units in	ļ
day,   = 'YR ': Units in	1		ļ	ļ			hour,	ĺ
day,   = 'YR ': Units in			ļ	Í		ļ		1
= 'YR ': Units in	ļ			ļ		1		ļ
	Į		ļ	ļ		ļ	= 'YR ': Units in	-
	ļ		ļ			ĺ		1
	L		l		V 1. TV 0.000 11 11 11	_1_	_	

If ISIG is 0, following input data are added by NEX lines

[ ] !	Variable Name	Format	Column Used		!
				Projectile energy (MeV) Cross section (mb)	! ! !

<sup>\*</sup> I = 1,NEX

The samples of I/O are shown in Table 16.

Format of 2nd line: Comment line

Variable Name	Format	Column     Used	Remark	<u> </u>
COM	<b>A</b> 60	1-60   Co	omments	

# Format of 3rd line: Projectile and target

V	ariable Name	Format	Column   Used	
l	<b>Z</b> 1	15	1-5	Projectile atomic number
I	A1	I5	6-10	Projectile mass number
E	ng !	F10.3	11-20	Projectile energy
E	UNIT	A3,2x	21-23	The unit of the energy
			1	(D = 'MEV'),
+	1		1	EUNIT = 'MEV': Units in MeV,
1			1	= 'M/A': Units in
ļ	!		1	MeV/amu
l N	TG	I 5	26-30	The number of the materials
1	<del> </del>		ļ	in the stacked target
' 	; i		! !	In the stacked target

The following input data are added by NTG lines.

Variable Name	Format	Column	Remark
IIZ2(I,1)*	15	1-5	The atomic number of 1st element in I-th stacked
	F5.1	6-10	target The atomic weight of 1st element (D : the value is obtained from SUBROUTINE ELMDA3)
NNEL(I,1)   	15	11-15         	When I-th target material is composed of mono-atoms, the value is 1. When the material is composed of different atomic species, this value is the composition ratio of 1st element in the compound (D = 1)
NNKD(I)	15	16-20 	The number of kinds of elements in I-th material  (D = 1)
TD(I)	F10.2	21-30	The thickness (mg/cm <sup>2</sup> ) of I-
COMT(I)	A10	31-40	The comment for I-th material.

<sup>\*</sup> I = 1,NTG

If I-th material is composed of different atomic species (NNKD(I) > 1), the following input data are added by (NNKD(I) - 1) lines

Variable Name	Format	Column	· · · · · · · · · · · · · · · · · · ·
IIZ2(I,J)*	15	1-5	The atomic number of J-th element in I-th stacked target
AA2(I,J)	F5.1	,	The atomic weight of J-th element (D : The value is obtained from SUBROUTINE ELMDA3)
NNEL(I,J)	15		When I-th target material is composed of mono-atoms, the value is 1. When the material is composed of different atomic species, this value is composition ratio of J-th element in the compound(D=1)

<sup>\*</sup> J = 2,NNKD(I)

Format of 2nd line: Comment line

Variable   Name	Format	Column	Remark	. !
COM	<b>A6</b> 0	1-60 C	omments	}

Format of 3rd line: Projectile and units

Variable Name	Format	Column	Remark
IZ1	I 5	1-5	Projectile atomic number
IA1	I 5	6-10	Projectile mass number
IUNS	I 5	11-15	Index for the unit of
[ [			stopping powers (D = 0),
		†	IUNS = 0: Units in
		[	MeV/(mq/cm <sup>2</sup> ),
	•	[	= 1: Units in
			$eV/(10^{15}atoms/cm^2)$
IUNR	I 5	16-20	Index for the unit in ranges
		1	(D = 0),
[		1	IUNR = 0: Units in mg/cm <sup>2</sup> ,
<u> </u>			= 1: Units in $\mu$ m

format of 4th line: Target

Variable   Name	Format	Column   Used	Remark
122(1)	I5 	1-5	The atomic number of 1st element in the target material
A2(1) 	F5.1 	6-10	The atomic weight of 1st element (D : the value is obtained from SUBROUTINE ELMDA3)
NEL(1)       	I5         	11-15	When the target material is composed of mono-atoms, the value is 1. When the material is composed of different atomic species, this value is the composition ratio of 1st element in the compound
NKD	   15	   16-20	(D = 1)  The number of kinds of ele- ments in the material(D = 1)
DSTT	F10.4	21-30	The density (g/cm <sup>3</sup> ) of the compound target (D = 0)

Table 14 continued

If the target material is composed of different atomic species (NKD > 1), following input data are added by (NKD - 1) lines

Variable Name	Format	Column	
IZ2(I)* 	l 15	1-5	The atomic number of I-th element in the material
A2(I)	F5.1	6-10	The atomic weight of I-th
I			element (D : the value is
ļ	ļ	1 .	obtained from SUBROUTINE
[	!		ELMDA3)
NEL(I)	15	11-15	The composition ratio of I-
I	ļ		th element in the material
	Ţ		(D = 1)

<sup>\*</sup> I = 2,NKD

# 

format of 5 + (NKD -1) line: Projectile energy

Variable   Name	Format	Column   Used	Remark
EA	F10.3	1-10	Projectile energy. When a user wish to calculate the stopping powers and projected ranges for the energies more than one, EA is the
EZ	F10.3	   11-20 	initial energy  When a user wish to calcu-  late those for energies more  than one, EZ is the final
DE	F10.3	!   21-30   	energy (D = 0)  When a user wish to calcu-  late those for energies more  than one, DE is increment of  the energy (D = 0)
EUNIT	<b>A3</b>	31-33   	The unit of the energy,  EUNIT = 'MEV': Units in MeV,  = 'M/A': Units in  MeV/amu

The samples of I/O are shown in Table 18.

Format of 2nd line: Comment line

Variable     Name	Format	Column	Remark	
COM	A60	1-60   Com	ents	i

Format of 3rd line: Reaction mechanism, target and excitation function

Variable     Name	Format	Column	Remark
IRCT	I 5	1-5	Control index for reaction  mechanism,  IRCT = 0: Evaporation pro-  cess from compound nuclei  assuming full momentum
		[ [	transfer = 1: Symmetric fission process = 2: Asymmetric fission process
NFL	I 5		The number of constituent materials of the stacked target

Table 14 continued

ITG	15	11-15	The order of the material
			which contains target nu-
		[ ]	clides in the stacked target
<b>)</b>	1	 	The material faced on
		· [	incident beams is specified
	1		as ITG = 1 (D = 1)
NTGT	I 5	16-20	The number of dividing of
1	1		the material which contains
!			target nuclides (D = 1)
1	ļ		(cf. Section 2.4)
IPRT	15	21-25	The control index for print-
		1	ing of intermediate results
		:	of calculation,
			IPRT = 0 for no printing,
	1		= 1 for printing
MP*	15	26-30	The degrees of polynomial
1			used in smoothing of the
1	1	· · · · · · · · · · · · · · · · · · ·	excitation function data
į	1	· · · · · · · · · · · · · · · · · · ·	(D = 3)
·   NP*	15		The number of smoothing
: 147	1 13	i 21-22 i	·
NEX**	15	1 36-40	points (D = 5)  The number of cross sections
NEA	1 13	1 36-40 !	
!	!	ļ !	in the excitation function
1	1	1 .1	data
<del></del>			

<sup>\*</sup> To obtain the smooting cross section at a given projectile energy, the excitation function data are fitted by MP-degree polynomial for NP data centered in the energy.

<sup>\*\*</sup> The excitation function must be taken into consideration at calculation of the distribution of the recoil products when the energy loss of the ions in the target foil is large so that the variation of cross sections in the target is not negligibly small.

ICAL = 4: Calculation of the distribution of recoil
 products in the stacked target (2)

Format of 4th line: Projectile energy, Q-value and scattering angle

Variable   Name	Format	Column	Remark
E1L	F10.3	1-10	Projectile energy (MeV)
Q	F10.3	11-20	Reaction Q-value (MeV). If Q
		1	is 0, it is calculated as
I			Q <sub>qq</sub> -value using the
Į		1	Wapstra's mass data for IRCT
1		1	= 0 or is calculated from
			the kinetic energy of
			fission products for IRCT =
ļ			= 1 and 2 (D = 0)
NANG*	I5	21-25	The number of dividing of $\pi$
1			radian in the CM system
		1	(D = 100)
ANS1**	F10.3	26-35	Anisotropy coefficient in
			angular distribution of
1			fission products (D = 0)

<sup>\*</sup> NANG corresponds to Nq in Eq.(25)

<sup>\*\*</sup> ANS1 corresponds to a in Eq.(24)

Table 14 continued

Format of 5th line: Reaction system

Variable	Format	Column	Remark
Name	ļ 	Used	<u> </u>
121	15	1-5	Projectile atomic number
IA1	I 5	6-10	Projectile mass number
122	15	11-15	Target atomic number
IA2	15	16-20	Target mass number
1 Z 3	15	21-25	Product atomic number
IA3	15	26-30	Product mass number
N4(1)*	13	31-33	The number of 1st-ejectiles
IZ4(1)	13	34-36	1st-ejectile atomic number
IA4(1)	13	37-39	1st-ejectile mass number
N4(2)	13	40-42	The number of 2nd-ejectiles
124(2)	13	43-45	2nd-ejectile atomic number
IA4(2)	13	46-48	2nd-ejectile mass number
N4(3)	13	49-51	The number of 3rd-ejectiles
124(3)	13	52-54	3rd-ejectile atomic number
IA4(3)	13	55-57	3rd-ejectile mass number
L	<u> </u>		

<sup>\*</sup> Ejectiles can be specified up to three types. For example, the ejectiles in the reaction system:  $197 {\rm Au}(^{16}{\rm O},\alpha~{\rm p2n})^{206}{\rm Pb}~{\rm is~specified~as}$ 

N4(1) = 1, N4(2) = 1, N4(3) = 2,

IZ4(1) = 2, IZ4(2) = 1, IZ4(3) = 0,

IA4(1) = 4, IA4(2) = 1, IA4(3) = 1

The following input data are added by NFL lines.

Variable   Name	Format	Column	Remark
COMT(I)*	A10	1-10	The comment line for I-th
JZ2(I,1)	I 5	11-15	The atomic number of 1st element in I-th material
AA2(I,1)	F5.1   	16-20   	The atomic weight of 1st element (D : the value is obtained from SUBROUTINE ELMDA3)
NEL(I,1) 	I5   	21-25	When I-th target material is composed of mono-atoms, the value is 1. When the material is composed of different atomic species, this value is the composition ratio of 1st element in the compound (D = 1)
TGD(I)	F10.3	26-35	The thickness (mg/cm <sup>2</sup> ) of I-
NKD(I)    -	I5 	36-40	The number of kinds of the element in I-th material (D = 1)

<sup>\*</sup> I = 1, NFL

If I-th material is composed of different atomic species (NKD(I) > 1), the following input data are added by (NKD(I) - 1) lines

Variable Name	Format	Column     Used	Remark
JZ2(I,J)*	10X,I5	t i	The atomic number of J-th element in I-th material
AA2(I,J)	F5.1		The atomic weight of J-th element (D = the value is
1	]		obtained from SUBROUTINE ELMDA3)
NEL(I,J)	15   	!	The composition ratio of J- th element in I-th material (D = 1)

 $<sup>\</sup>star$  J = 2, NKD(I)

If NEX is over 0, following input data are added by NEX lines

Variable   Name	Format	Column	Remark	
EEX(I)			Projectile energy (MeV) Cross section (mb)	·

Table 15 Sample of the input data for calculation of the yield of radioisotopes

<u>1</u>	<b></b> +-	2	+-	3		- +	4	r	+5		+6		7
TEST RUN	1							:		!			
3 7	83	209	86	211	5	0	1			ŀ		1	ł
83209.	1	1		i		1414	. 2						,
46.	48.	1.				1.			2.		1.	ļ	Ì
38.30000	1	0000			ŀ								
40.10000	0.8	0000						1					1
40.70000		0000								1		1	
42.20000	1	0000										1	ļ
42.20000	1	0000								•			
43.00000	36.3	0000						1		ŀ			
43.30000	1	0000										}	
44.00000		1										1	Į .
45.10000	120.0	0000			ļ			ļ		1			
45.20000	136.0	0000						1		}			,
45.80000	190.0	0000								1			
47.00000	220.0	0000						ļ		1			
47.40000	301.0	0000						1		-			
48.80000	431.0	0000			1								
I+1	<u>+-</u>	2 <sup>L</sup> -	+-	3	ļ_	-+	4	L	+	5!	+ (	51+	7L-

Sample of the output for the input data (CPU time = 0.13 s)

THICK-TARGET IS USED. EXCITATION FUNCTION WAS GIVEN FROM INPUT DATA.

HALF LIFE OF PRODUCT = 14.200 HR
ABUNDANCE OF TARGET NUCLIDE = 1.0000
DEGREE OF POLYNOMIAL IN SMOOTHING = 3
NUMBER OF DATA POINTS IN SMOOTHING = 5

INCIDENT ENERGY = 4.60000D+01 MEV SATURATION FACTOR = 2.22803D+02 MC/MA

IRRAD.TIME: YIELD:
(HR): (MC/MA):
1.0000D+00 1.0615D+01
2.0000D+00 2.0723D+01

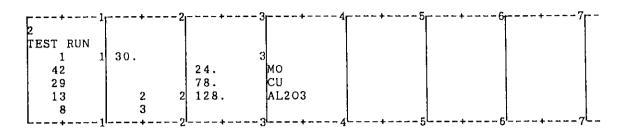
INCIDENT ENERGY = 4.70000D+01 MEV SATURATION FACTOR = 3.85183D+02 MC/MA

IRRAD.TIME: YIELD: (MC/MA): 1.0000D+00 1.8350D+01 2.0000D+00 3.5827D+01

INCIDENT ENERGY = 4.80000D+01 MEV SATURATION FACTOR = 6.09418D+02 MC/MA

IRRAD.TIME : YIELD :
(HR ) : (MC/MA) :
1.0000D+00 2.9033D+01
2.0000D+00 5.6683D+01

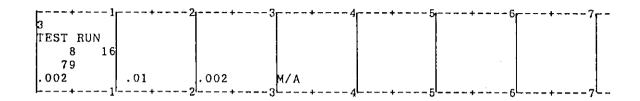
Table 16 Sample of the input data for calculation of the energy loss in stacked targets



Sample of the output for the input data (CPU time = 0.35 s)

DATE: 88-05-06 FINAL RESULTS  ***********************************												
	LOSS FOR P				******	*****	*****	*****	*****	*****	*****	
E1 = I	NCIDENT ENE	RGY,	DE = ENE	RGY I	LOSS, RE	= RESI	DUAL E	VERGY				
		STAG	CK	:	THICK.				DE (MEV)		RE (MEV)	
1 MO	95.94000	* 1	MO	2 .	.4000D+01	3.00	00D+01	2.63	67D-01	2.97	36D+01	
2 CU	63.53999	* 1	CU	7 .	.8000D+01	2.97	36D+01	9.58	30D-01	2.87	78D+01	
3 AL O	26.98100 15.99900		AL203	1	. 2800D+02	2.87	78D+01	2.02	35D+00	2.67	55D+01	

Table 17 Sample of the input data for calculation of stopping powers and projected ranges



Sample of the output for the input data (CPU time = 0.15 s)

2.7878D-01

6.4000E-02

9.6000E-02

1.2800E-01

4.0000E-03 6.0000E-03

8.0000E-03

DATE: 88-05-06 FINAL RESULTS TITLE ==> TEST RUN STOPPING POWER AND RANGE FOR O- 16 IN AU-196.97000 \* 1 \* ST, SE, SN = TOTAL, ELECTRONIC AND NUCLEAR STOPPING POWER (MEV/MG/CM2) RP = PROJECTED RANGE (MG/CM2) TARGET DENSITY = 1.93110D+01 G/CM3 ENERGY: : SE : SN : RP: ENERGY: (MEV): (MEV/U): 2.0000E-03 3.2000E-02 2.2389D-01 1.2441D-01 9.9476D-02 4.0524D-02 4.0000E-03 6.4000E-02 2.7878D-01 1.8426D-01 9.4518D-02 7.7455D-02 1.8426D-01 9.4518D-02 7.7455D-02

1.0000E-02 1.6000E-01 3.7681D-01 3.0032D-01 7.6495D-02 1.9322D-01

3.1485D-01 2.2697D-01 8.7888D-02 1.1561D-01 3.4678D-01 2.6498D-01 8.1805D-02 1.5434D-01

Table 18 Sample of the input data for calculation of the distribution of recoil products in stacked targets

<u> </u>	-+	11-	+-	2	+-	3	r	-+-	4	r+	· E	<b></b> _	• <del>6</del>	i <sub>1</sub> +	7	<b>-</b> -
4		- 1				'	1					1				ļ
TEST	r RU	N		ľ					1							i
1	1	5	3	ł			ļ					ĺ		<u> </u>		l
20.		Ī					İ									1
	1	1	92	235	63	153	1	30	83					1		1
AL	_	-]	13			10.	_	-						ł		
AL		i	13			2.	i									
UO2		J	92		1	2.	1		9							
002		- 1		j		۷.			۷			1				
l. <u>-</u>		- 1	8		2	_						1		i i		
AL		- 1	13	ļ		2.						l				
AL		ŀ	13	ŀ		10.						1			a.	1
<b> </b>	-+	11-	+-	21	+	3	<b>'</b>	-+-	4	L4		;l	+ 6	5!+	7	L

#### Table 18 continued

Sample of the output for the input data (CPU time = 29 s)

DATE: 88-05-06 FINAL RESULTS TITLE ==> TEST RUN DISTRIBUTION OF RECOIL PRODUCTS IN STACKED TARGET PROJECTILE = H - 1 TARGET = U - 235 RESIDUAL = EU - 153 EMITTED PARTICLES = ZN - 83 \* FIRST COMPOUND = NP - 236 ASSUMED REACTION TYPE = FISSION REACTION Q-VALUE(MEV) = 1.52531D+02<<<< TABLE ON STACKED TARGET >>>> 1 AL AL- 26.98100 \* 1 1.00000D+01 MG/CM2 2 AL AL- 26.98100 \* 1 2.00000D+00 MG/CM2 \_\_\_\_\_\_ 3 UO2 U-238.03999 \* 1 2.00000D+00 MG/CM2 O- 15.99900 \* 2 AL- 26.98100 \* 1 2.00000D+00 MG/CM2 5 AL AL- 26.98100 \* 1 1.00000D+01 MG/CM2 <<<<< PROJECTILE ENERGY DISTRIBUTION IN TARGET >>>>> INITIAL PROJECTILE ENRGY(MEV) = 2.00000D+01PASS LENGTH PROJECTILE ENG PROJECTILE ENG (MG/CM2) (MEV-LAB) (MEV-CMS) 1 1.00000D+00 1.97467D+01 1.96630D+01 <<<<< DISTRIBUTION OF RECOIL PRODUCTS IN STACKED TAGETS >> NUMBER OF DIVIDING TARGET = 1

OFFECTION = 0. NUMBER OF DIVIDING ANGLE = 100 COEFFICIENT = 0.0 LOSS OF RESIDUE = 0.0 ANISOTROPY COEFFICIENT STACKED TARGET FOWARD (%) BKWARD (%) TOTAL (%) 1 AL 0.0 6.96289D+00 6.96289D+00
2 AL 0.0 3.36680D+01 3.36680D+01
3 UO2 7.83720D+00 7.79853D+00 1.56357D+01
4 AL 3.41842D+01 0.0 3.41842D+01
5 AL 9.54915D+00 0.0 9.54915D+00

Table 19 Command procedure in TSSMAC.CLIST(OT) for TSS processing

PROC 0

CONTROL NOF MA

ALLOC DA(MASWPS.DATA) F(FT01F001) SHR

ALLOC DA(OSIO.DATA(OPTT)) F(FT10F001) SHR

ALLOC DA(OSIO.DATA(IPT1)) F(FT11F001) SHR

ALLOC DA(OSIO.DATA(IPT2)) F(FT12F001) SHR

ALLOC DA(OSIO.DATA(IPT3)) F(FT13F001) SHR

ALLOC DA(OSIO.DATA(IPT4)) F(FT14F001) SHR

CALL OSCAR3T

EXIT

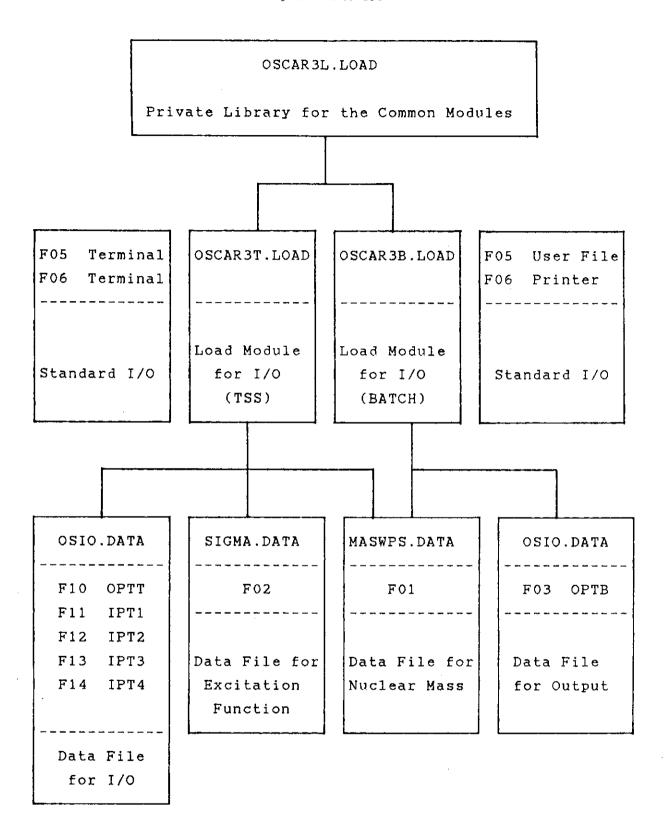


Fig.1 Structure of load modules and data files

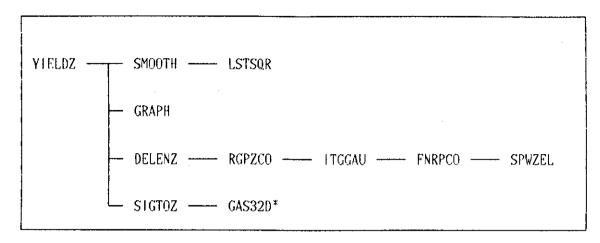


Fig.2 Tree structure of subprograms in SUBROUTINE YIELDZ
Intrinsic functions used in the subroutine were omitted from this
figure

\* This subprogram is the double precision function in the scientific subroutine library of FACOM which evulates the integrated value of function f(x) in a given region using Gauss-Legendre method.

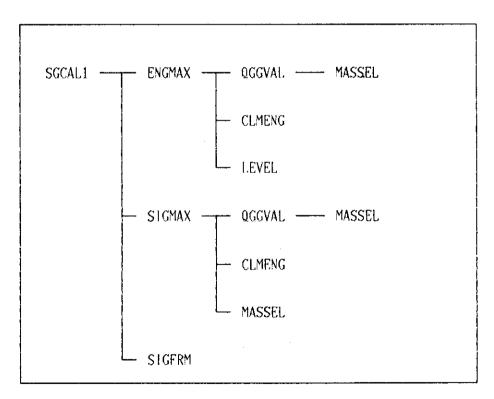


Fig.3 Tree structure of subprograms in SUBROUTINE SGCAL1
Intrinsic functions used in the subroutine were omitted from this figure

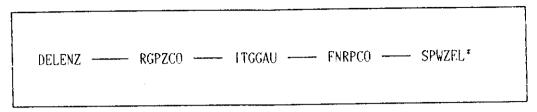


Fig.4 Tree structure of subprograms in DOUBLE PRECISION FUNCTION DELENZ Intrinsic functions used in the subroutine were omitted from this figure

\* cf. Fig.5

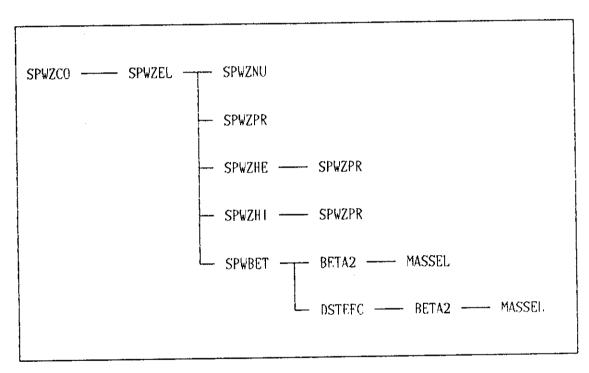


Fig.5 Tree structure of subprograms in SUBROUTINE SPWZCO
Intrinsic functions used in the subroutine were omitted from this
figure

RGPZCO —— ITGGAU —— FNRPCO —— SPWZEL\*

Fig.6 Tree structure of subprograms in DOUBLE PRECISION FUNCTION RGPZCO Intrinsic functions used in the subroutine were omitted from this figure

\* cf. Fig.5

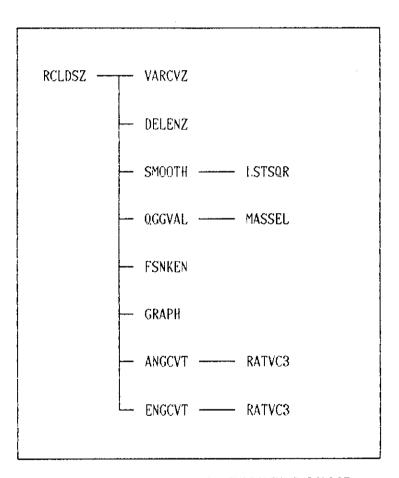


Fig.7 Tree structure of subprograms in SUBROUTINE RCLDSZ
Intrinsic functions used in the subroutine were omitted from this
figure

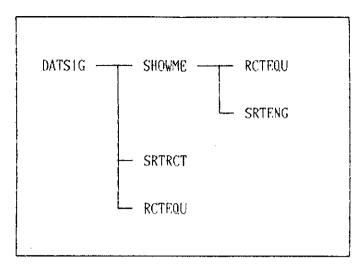


Fig.8 Tree structure of subprograms in SUBROUTINE DATSIG
Intrinsic functions used in the subroutine were omitted from this
figure

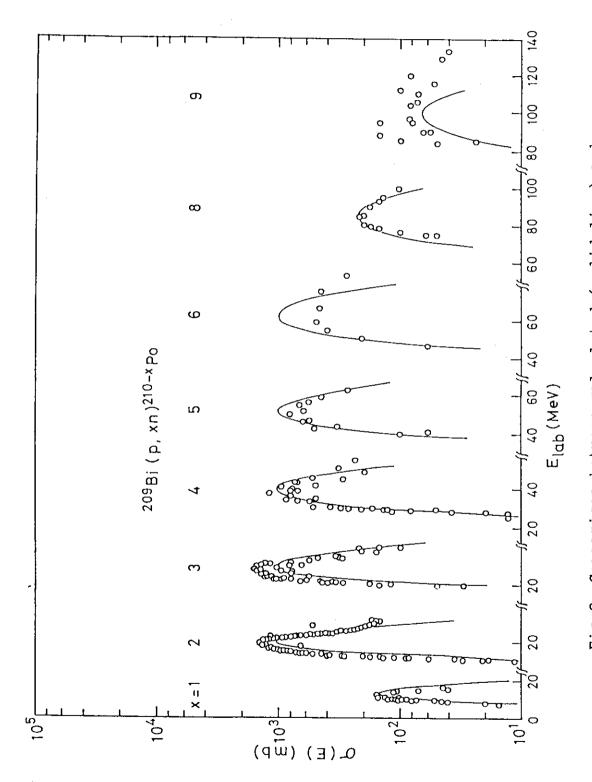
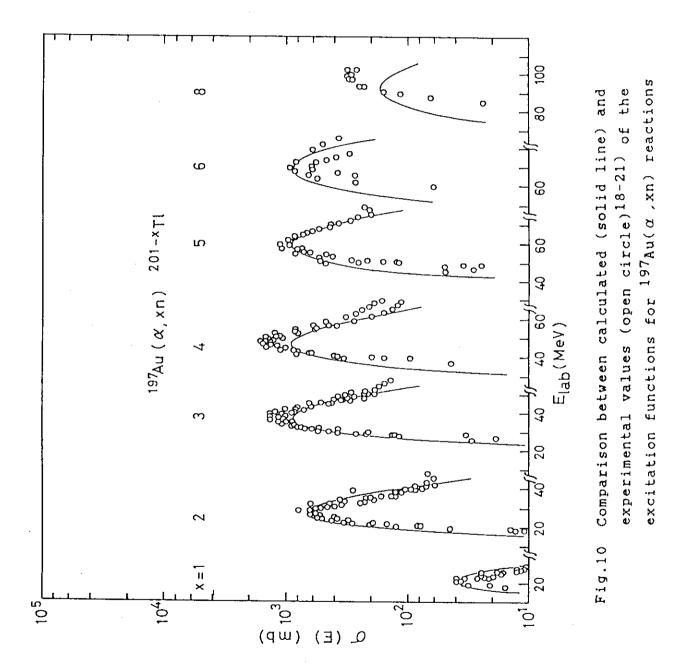


Fig.9 Comparison between calculated (solid line) and experimental values (open circle)  $^{10-17}$ ) of the excitation functions for  $^{209}\mathrm{Bi}(\mathrm{p,xn})$  reactions



#### Appendix 1

### Calculation of Stopping Powers

The basic theory of the energy loss was attempted by Bohr<sup>24)</sup> for the first time in a unified fashion, and Bethe $^{25,26,27}$ ) and Bloch $^{28,29}$ ) have derived the fundamental equations for the stopping of very fast particles in a quantized electron plasma in the Born approximation, which are known as Bethe-Bloch equations<sup>9)</sup>. The discovery of nuclear fission in the late 1930's evoked a renewed interest in energy loss which brought about a program how to treat the interaction of a partially stripped heavy ion. It was hoped then that, if a degree of ionization of the projectile could be evaluated, the traditional stopping power theories could be applied. Bohr gave a prescription<sup>30)</sup> for estimating the effective charge using the Thomas-Fermi atom with a postulate that the ion be considered to be stripped of all electrons with velocities lower than the ion velocity, while  $\mathtt{Lamb}^{31}$ ) had considered the same problem as Bohr, giving a similar effective charge approximation based on the energy rather than the velocity of the orbital electrons. Then it was successfully attempted by Knipp and Teller $^{32}$ ) to scale the hydrogen stopping powers to those of equivalent helium ions by applying the effective charge concept of Lamb and Bohr. A significant progress has been achieved for the stopping power problem by Northcliffe et al.<sup>33)</sup> who unified a wide variety of experimental data by dividing them by the stopping power of protons with the same velocity in the same target. In perturbation theory this ratio should scale as  $(Z^*)^2$  where  $Z^*$  is the number of electrons left on the ion, and he found a large amount of data could be well described with a simple equation for Z\* containing only two adjustable parameters.

During the 1950's and thereafter there have been fundamental works evaluating both the energy transfer from slow particles to quantized electron plasma and to target nuclei.

Above all, Lindhard and his coworkers \$34,35\$) made an approach concentrating on non-relativistic particle interactions with a free electron gas. The theory worked out by Lindhard et al. \$35\$) has been widely cited as the LSS theory in the literature as one of the first unified theories of ion penetration of solids. It has been widely used as the basis for calculating the electronic stopping of ions in matter. The LSS theory provides a unified approach to the stopping of low energy heavy ions. With this approach, most stopping powers could be estimated within a factor of 2 or 3. The recent use of computers allowed us the incorporation of more realistic Hartree-Fock atom into the theory and gave significant improvement.

Extensive compilations of stopping power measurements have been performed by various authors in the three decades to deduce universal formalisms for different projectile-target combinations. Ziegler et al.<sup>3)</sup> have carried out the exhaustive data analysis for protons, alpha-particles and heavy ions in all elements and presented a semi-empirical rule for stopping power calculation with average accuracy of better than 10 % for medium energy heavy ions, and to better than 2 % for high velocity light ions.

In OSCAR, the electronic stopping power is calculated using the Ziegler's formalism at energies below 100 MeV/amu and the Bethe-Bloch formula at energies above 100 MeV/amu. The nuclear stopping power is evaluated using the Ziegler's formula and the total stopping power is obtained by adding both the stopping powers.

## 1.1 Electronic Stopping Power for Protons<sup>3)</sup>

The electronic stopping powers (  $\text{MeV}/(\text{mg/cm}^2)$  ) for protons in a solid target at energies below 100 MeV/amu are expressed as

$$S_p = [1/(1/S_L + 1/S_H)] \cdot 0.6022/M_2,$$
 with

$$S_{L} = aE^{b} + cE^{d}, \qquad (1.2)$$

and

$$S_{H} = e \cdot \ln(g/E + hE)/E^{f}, \qquad (1.3)$$

where  $M_2$  is the atomic weight of the target element and E proton energy(keV). The parameters from a to h have been determined for all elements by Ziegler.

## 1.2 Electronic Stopping Power for Alpha-Particles 3)

The electronic stopping powers (MeV/(mg/cm<sup>2</sup>)) for alphaparticles in the solid target at energies below 100 MeV/amu are given by

$$S_{He} = 4\gamma_{He}^2 S_p \tag{1.4}$$

$$\gamma_{\text{He}}^2 = 1 - \exp[-\sum_{i=0}^{5} a_i \cdot \ln(E)^i],$$
 (1.5)

where  $\gamma_{He}$  is the effective charge coefficient for alphaparticles and E the alpha-particle energy (keV/amu). The parameters  $a_i$  were determined by fitting experimental data to Eq.(1.4):

$$\begin{cases} a_0 = 0.2865, & a_1 = 0.1266, & a_2 = -0.001429, \\ a_3 = 0.02402, & a_4 = -0.01135, & a_5 = 0.001475 \end{cases}$$

# 1.3 Electronic Stopping Power for Heavy Ions $^{3}$ )

The electronic stopping powers ( $MeV/(mg/cm^2)$ ) for heavy ions in the solid target at energies below 100 MeV/amu are expressed as

$$S_{HI} = F \gamma^2 Z_{HI}^2 S_p, \qquad (1.6)$$

where  $\gamma$  is the effective charge coefficient for heavy ions,  $Z_{H\,I}$  the nuclear charge of ions and F the term for  $Z_1^{\,3}$  effects.

The effective charge coefficient is given by

$$\gamma = q + (1 - q)/2 \cdot (V_0/V_F)^2 \cdot \ln[1 + (2\Lambda V_F/a_0 V_0)^2], \qquad (1.7)$$

where q denotes the fractional ionization of ions.  $V_F$  and  $V_0$  are the Fermi and Bohr velocities of electrons, respectively, in the solid target.  $a_0$  is the Bohr radius and  $\Lambda$  the ion screening length. The fractional ionization is expressed as a function of effective ion velocities  $y_r$ :

$$q = 1 - \exp(0.803y_r^{0.3} - 1.3167y_r^{0.6} - 0.38157y_r^{0.6} - 0.008983y_r^{2}), \qquad (1.8)$$

with

$$y_r = V_r / V_0 Z_1^{2/3},$$
 (1.9)

where  $\mathbf{V}_{\mathbf{r}}$  is the relative velocity of ions to orbital electrons in the target as follows;

$$\begin{cases} v_r = v_1(1 + 1/5v_R^2) & \text{for } v_1 \ge v_F, \\ v_r = 3v_F/4 \cdot (1 + 2v_R^2/3 - v_R^4/15) & \text{for } v_1 < v_F, \end{cases}$$
 (1.10) with

$$v_R = v_1/v_F$$

where  $\mathbf{V}_1$  is the ion velocity. The screening length is given by

$$\Lambda = \frac{2a_0(1-q)^{2/3}}{Z_1^{1/3}[1-(1-q)/7]},$$
 (1.12)

and the term for the  $Z_1^{\ 3}$  effect is expressed by

$$F = 1 + (0.18 + 0.0015Z_2)/Z_1^2 \cdot exp[-(7.6 - lnE)^2]$$
 (1.13)

Eq.(1.6) is valid for  $y_r > 0.13$  or  $V_r > 1.0$  of ion velocities. At lower velocities, the electronic stopping power

is calculated as to be proportional to ion velocities:

$$S_{HI} = \gamma^{2} Z_{1}^{2} S_{p}^{(E/E')^{p}},$$
 (1.14)

with

$$\begin{cases} p = 0.5 & \text{for } Z_1 \ge 20, \text{ or } Z_2 \ne 6, 14 \text{ and } 32, \\ p = 0.375 & \text{for } Z_1 < 20, \text{ and } Z_2 = 6, 14 \text{ or } 32, \end{cases}$$

where E' denotes the ion kinetic energy at  $y_r$  = 0.13 or  $V_r$  = 1.0.  $\gamma$  ' and  $S_p$ ' are the effective charge coefficient and stopping power, respectively, at the energy of E'.

1.4 Electronic Stopping power at energies above 100 MeV/amu<sup>9)</sup> The electronic stopping powers at energies above 100 MeV/amu which no Ziegler's formalism is valid are calculated using the Bethe-Bloch formula:

$$S = -\frac{4\pi e^4 N_A Z_1^2 Z_2}{mv^2 M_2} [ln \frac{2mv^2}{I(1 - \beta^2)} - \beta^2 - \delta/2 - C/Z_2],$$
(1.15)

where e and m are the charge and mass of an electron. v denotes the velocity of electrons,  $N_A$  the Avogadro's constant and C a term for the shell effect. I is the mean excitation potential<sup>8)</sup> of orbital electrons in the target and  $\delta$  a term for the density effect correction<sup>8)</sup>. In OSCAR, the magnitude of the stopping powers at these energies is normalized by Ziegler's value at the energy of 100 MeV/amu.

## 1.5 Nuclear Stopping Power<sup>3)</sup>

The nuclear stopping power at the projectile energy E is calculated using the Ziegler's formula:

$$S_{n}(E) = \frac{8.462 \cdot 10^{-15} Z_{1} Z_{2} M_{1} S_{n}(\epsilon)}{(A_{1} + A_{2})(Z_{1}^{0.23} + Z_{2}^{0.23})} 0.6022/M_{2}$$
 (1.16)

with

$$\varepsilon = \frac{32.53A_2E}{Z_1Z_2(A_1 + A_2)(Z_1^{0.23} + Z_2^{0.23})}$$
(1.17)

and

and 
$$\begin{cases} S_{n}(\epsilon) = \frac{\ln(1 + 1.1383\epsilon)}{2(\epsilon + 0.01321\epsilon^{-0.21226} + 0.19593\epsilon^{-0.5})} \\ \text{for } \epsilon \leq 30, \quad (1.18) \\ S_{n}(\epsilon) = \ln(\epsilon)/2\epsilon & \text{for } \epsilon > 30, \quad (1.19) \end{cases}$$

where  $\epsilon$  is the reduced energy of the projectile.

#### 1.6 Stopping power of compound targets

The stopping power  $S_{comp}$  of compound targets is evaluated using Bragg's rule as follows;

$$S_{comp} = \Sigma_{i} N_{i}M_{i}S_{i}/M, \qquad (1.20)$$

where M is the molecular weight of the compound target.  $\mathbf{M}_{i}$  and  $N_{i}$  are the atomic weight and composition ratio of the i-thelement in the compound target, respectively.

#### Appendix 2

#### Calculation of Projected Ranges

The projected range  $R_{\mathbf{p}}$  is evaluated using Biersack's formula $^{3,5}$ ). If the total stopping power and nuclear stopping power are available, the projected range for an element is expressed as

$$(S_t - \frac{\mu Q_n}{2E}) \frac{dR_p}{dE} = 1 - (\frac{\mu S_n}{2E} + \frac{\mu Q_n}{4E^2}) R_p$$
 (2.1)

with

$$\mu = A_2/A_1.$$

Here, Q<sub>n</sub> is the straggling of nuclear energy loss:

$$Q_{n} = \gamma W_{n}(\varepsilon)$$
with

$$W_{n} = \frac{1}{4 + 0.197 \varepsilon^{-1.6991} + 6.584 \varepsilon^{-1.0494}}$$
 (2.3)

and

$$\gamma = 4A_1A_2/(A_1 + A_2)^2. (2.4)$$

In OSCAR, the differential equation (2.1) is integrated using the Gauss-Legendre method to evaluate projected ranges. To obtain the projected ranges in compound targets, the following terms have to be converted for  $\mu$   $S_n$  and  $\mu$   $Q_n$  in Eq.(2.1):

$$\begin{cases} < \mu S_{n}> = \sum_{i} \mu_{i} S_{ni}, \\ < \mu Q_{n}> = \sum_{i} \mu_{i} Q_{ni}, \end{cases}$$
 (2.5)

$$<\mu_{\rm Q_n}> = \sum_i \mu_i Q_{\rm ni},$$
 (2.6)

where  $\mu_i$ ,  $S_{ni}$  and  $Q_{ni}$  are the reduced mass, nuclear stopping power and straggling of the nuclear energy loss of the i-th element in the compound target, respectively.

#### Appendix 3

An Empirical Rule on the Excitation Functions

Let us pick up the position and height of the maximum for expressing the characteristics of the excitation function. Here, we particularly concern the systematics found for these quantities in the cases of the (q,xn)-type reactions, where q stands for incident charged particles including heavy ions. The resulting systematics would be able to extend, however, to the reactions involving charged particle emission if there were a sufficient number of data available for charged-particle-emitting reactions. The data used for deducing the systematics were mostly those compiled by Munzel et al. 36)

#### 3.1 Position of the maximum

The reaction Q-value with sign reversed, -Q(q,xn), that roughly corresponds to the reaction threshold  $E_{th}$  as stated by Munzel et al. is a factor of shifting the peak of excitation function toward the high energy side. On the other hand, the descent of the excitation function is expected to begin as the rise of the excitation curve for the next neutron (or proton) emission. That is, the amount of the energy required for succeeding neutron or proton emission becomes another factor to determine the peak position. In the speculation, the controlling factor should be the smaller of the separation energies for the emitted neutron or proton. Here, the effect of the Coulomb barrier must be taken into account besides the separation energy for the latter.

Furthermore, the effect of the Coulomb suppression should be also considered. The cross section (thick and dotted lines in Fig.A-1) for the first step of the complete or incomplete fusion reaction is assumed to rise at the reaction threshold  $E_{\rm th}$ , rapidly increase to the maximum height, and then remain constant thereafter. Excitation functions are approximated to be of similar features among various combinations of targets

and projectiles. Only the differences are found in the  $E_{th}$  value and the height of the plateau. These assumptions are reasonable considering the results of the optical model calculation  $^{37,38}$ ).

If the Coulomb barrier against the projectile is higher than the nominal reaction threshold obtained above, formation of the excited nucleus is suppressed. This effect may be expressed as the shift of the formation excitation curve (thick line in Fig.A-1) toward the high energy side as presented with a dashed line  $^{39}$ ). This effect of the excitation function results in the changes of the position and height of the maximum, from point p to p' in Fig.A-1, for the (q,n) reaction. Similar effects are observed even for (q,xn) reactions in the case of heavy nuclei.

In the case where outgoing particles possess the charge the energy required to surmount the Coulomb barrier will also appears in the equation giving the maximum position.

Finally, the kinetic energy of the emitted particles needs to be considered if the excitation energy corresponding to the maximum exceeds the minimum energy required for inducing the reaction. According to the evaporation model  $^{40}$ , the kinetic energy is approximated with twice the nuclear temperature T defined by  $^{41}$ )

$$\frac{1}{T} = \frac{d \ln \rho (E)}{dE}$$
 (3.1)

where  $\rho$  (E) is the nuclear level density. If we neglect the difference between the nuclear and thermodynamic temperature, the temperature is calculated with the level density parameter a and residual energy U as

$$T = (U/a)^{1/2}$$
. (3.2)

For the values of the level density parameters, the set given by one of the authors  $^{4)}$  was adopted because it reproduces well the neutron resonance data. Slightly better results were obtained for near magic nuclei with the set of a values compared to those with other sets, though no significant difference were observed in the off-shell region.

The simplest equation for the peak position,  $E_{\mbox{max}}$ , that satisfies the above consideration is expressed as

$$E_{\text{max}}(q,xn) = S[-Q(q,xn) + \min\{B_n(x+1), (B_p(x+1) + c_1E_c^{(p)})\}] + c_2S(\Delta E_c^{(q)}) + 2\sum_{i=1}^{x} T_i$$
(3.3)

where  $\min\{A,B\}$  implies the smaller of A and B, and  $B_n(x+1)$  and  $B_p(x+1)$  denote separation energies of neutron and proton, respectively, for the residual nucleus after x neutrons have been emitted. S(z) is a step function defined by

$$S(z) = \begin{cases} z & \text{for } z > 0, \\ 0 & \text{for } z \leq 0. \end{cases}$$
 (3.4)

The first term, in the right hand side of Eq.(3.3) is considered to be the threshold for the successive particle emission. Here,  $E_c^{\,(p)}$  represents the Coulomb barrier felt by the emitted proton, and the quantity,  $\Delta\,E_c^{\,(q)}$ , designates the measure of the Coulomb suppression as defined by

$$\Delta E_c^{(q)} = E_c^{(q)} + Q(q,xn) - E_c^{0}; E_c^{0} = (Z_q + 4.5) \text{ MeV } (3.5)$$

with the Coulomb barrier  $E_c^{\,(q)}$  against the projectile q and the charge  $Z_q$  of q. The constants,  $c_1$  and  $c_2$ , are adjustable parameters to be determined so as to reproduce the observed cross section data best.

#### 3.2 Height of the maximum

The height of the plateau of the excitation function for the formation of the first step of the reaction depends upon the reaction mechanism. Here, we shall divide it into the following two categories; namely, reactions taking place in the nuclear core and those occurring at the edge. Complete and incomplete fusion (and knock-out reaction at high energies) be included in the former, while the latter covers inelastic scattering, nucleon transfer, charge exchange reaction, etc. We shall call the former the core reaction and the latter the peripheral reaction.

The height of the plateau of the excitation function for the formation of the excited states in the first step is expected to relate with the geometric cross section. In the step of the decay of the once-formed excited nucleus, the effect of the Coulomb barrier against the projectile must be considered as in the case of the position of the maximum.

Kinetic energies brought out by the emitted neutrons distribute within an energy range allowed from the energetics. It follows that the larger the available energy is, the broader the width of the excitation curve becomes ,as shown in solid curves in Fig.A-1. Increasing overlap with the neighboring excitation curves as the width increases lowers the height of the maximum. This effect is expressed as a monotonously decreasing function of a surplus energy:

$$\Delta E_{cm} = E_{cm} - E_0 = E_{max} - S[-Q(q,xn)] - E_0$$
 (3.6)

with a critical energy:

$$E_0 = S[E_c^{(q)} - S\{-Q(q,xn)\}] + 7.0 \text{ MeV}.$$
 (3.7)

Difference in the difficulty of neutron emission between the successive steps affects their relative heights in the case of (q,xn) reactions. The effect depends on the degree of the

neutron defficiency in the residual nucleus. A measure for such an effect would be given by difference in the mass excess between the primary excited and residual nuclei, and also the length of the evaporation chain. Competition among various decay modes affects the probability of the relevant decay mode. Generally speaking, however, the neutron width is predominant over charged particle widths except for the fission width of heavy elements as long as we concern light-ion induced reactions.

For high incident energies, one must consider the contribution of the non-compound type of reactions such as precompound decay or knock-out reaction. The effect of mixing of such non-equilibrium processes is assumed to appear only in the excitation energy left in the residual nucleus. That is, the nominal excitation energy be substituted with the effective excess energy  $E_{\mbox{eff}}$ . This substitution changes the maximum cross section  $\sigma_{\mbox{max}}$ .  $E_{\mbox{eff}}$  was found to be given by  $E_{\mbox{cm}}$  multiplied by a reducing factor  $\alpha$ , which gradually decreases its value from unity as  $\Delta$   $E_{\mbox{cm}}$  increases beyond 2.5 MeV.

Summarizing the above well-founded conjectures, we obtained for the cross section for the core reaction at  $E_{\mbox{\scriptsize max}}$  :

$$\sigma_{c}(q,xn) = \pi r_{0}^{2} \Lambda_{2}^{2/3} \prod_{i=1}^{x} P_{n,i} \exp\{-\lambda_{1} S(\Delta E_{c}^{(q)}) - \lambda_{2} S(\alpha E_{cm} - E_{0}) - \lambda_{3} S(\Delta_{n} - \Delta_{0})\}, \quad (3.8)$$

where  $P_{n,i}$  gives the probability for the i-th neutron emission against the competing fission:

$$P_{n,i} = (1 + \Gamma_{f,i}/\Gamma_{n,i})^{-1}$$
 (3.9)

with the partial level widths for neutron  $\Gamma_{n,i}$  and fission  $\Gamma_{f,i}$  of the i-th residual nucleus.  $\Delta_n$  represents a measure of the hindrance against the cascade neutron emission:

$$\Delta_{n} = \{M(A_{R}) - M(A_{O})\}S(A_{O} - A_{R}) + \{M(A_{I}) - M(A_{O})\}S(A_{O} - A_{I}),$$
(3,10)

where  ${\rm A}_0$  is the nuclear mass number corresponding to the minimum mass excess in the neutron cascade chain and the suffixes I and R stand for initial and the residual nuclei, respectively, in the cascade chain.  ${\rm r}_0{\rm A}_2^{1/3}$  is the radius of the target nucleus and  $\lambda_i$  (i=1 to 3) and  $\Delta_0$  are adjustable parameters.

For the peripheral reaction, the situation is considered more or less similar to the case of the core reaction, and so we took into account the contribution of the peripheral reaction merely by substituting the geometrical cross section  $\pi r_0^2 A_2^{2/3}$  in Eq.(3.8) by  $\pi (r_0 A_2^{1/3} + \frac{1}{\lambda})^2$  at least for the (q,xn) reactions with projectiles not-heavier than 2; namely,

$$\sigma_{\max}(q,xn) = \pi (r_0 A_2^{1/3} + \frac{1}{2})^2 \prod_{i=1}^{x} P_{n,i}.$$

$$\exp(-\lambda_1 S(\Delta E_c^{(q)}) - \lambda_2 S(\alpha E_{cm} - E_0) - \lambda_3 S(\Delta_n - \Delta_0), \qquad (3.11)$$

where  $\star$  is the reduced de Broglie wavelength.

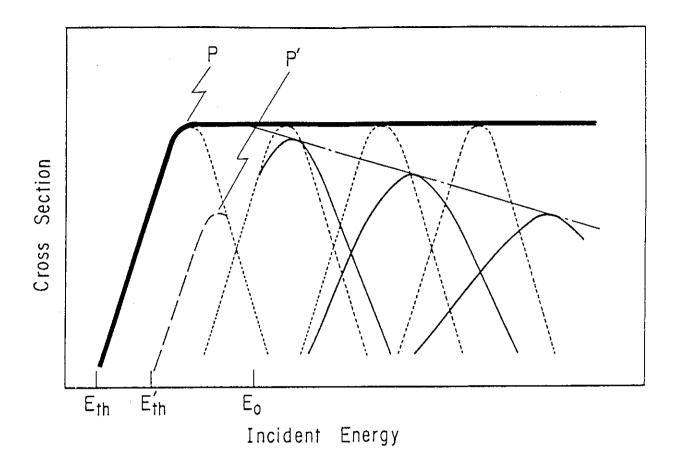


Fig. A-1 Schematic diagram of the excitation functions for fusion reactions and (q,xn)-type reactions. For details of the lines and symbols in the figure, the text should be referred to.