

区 分 交 更	
変更決定番号	〃〃〃
決裁年月日	平成 13 年 7 月 31 日

「常陽」核特性の評価・検討

(キヤダラツシュ・セットによる評価

および炉内燃料貯蔵ラック内での発熱量評価)

技術資料コード	
開示区分	レポートNo.
S	N 241 70-28
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「常陽」核特性の評価・検討

(キヤダラッシュ・セットによる評価および
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要 旨

本報は、「常陽」の核特性のうち下記2つの事項について、検討・評価したものを取纏めた。

その一つは、「常陽」第3次概念設計の炉心体系について、フランス原子力庁がキヤダラッシュ・セットを使用して、臨界特性・燃焼特性・制御棒特性などを計算した結果を中心にまとめたものである。

他の一つは、調整設計の結果、問題となつた炉内燃料貯蔵ラック内の炉心燃料集合体の発熱について、輸送近似によつて拡散近似の評価を行ない、両近似法の間大きな差のないことを確認したものである。

以上の作業は、東京芝浦電気株式会社と日本原子力研究所の協力を得て、実施した。

(取 纏)

高速実験炉建設部

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目 次

I 主要核特性の評価.....	1 頁
I-1. はじめに	1
I-2. The Core Composition.....	2
I-3. Nuclear Check Calculation by CEA	12
I-4. Questionnaire and Answer	22
I-5. ABN set,DTF-IV による制御棒価値の計算	25
II 燃料ラックの核的検討.....	27
II-1. はじめに	27
II-2. 輸送計算による検討	28

I 主要核特性の評価

I-1. はじめに

本チェック計算は、フランス原子力庁が Cadarache set Version2 を使用して JEFRR 第3次概念設計の体系で臨界主要特性、燃焼主要特性および制御棒中心反応度値について行なつたものを中心にまとめたものである。

計算に対する日本側の質問およびフランス側の回答を I-4 に、また第3次概念設計で使用した ABN セットによる制御棒の中心反応度値の計算（東芝が実施）を I-5 に示す。

I-2 The Core Composition

1. Sub-assembly dimension and composition

The core consists of the following sub-assemblies :

Name	Number of sub-assemblies
core fuel sub-assembly	61
radial blanket fuel sub-assembly	192
control rod	
safety rod	4
shim rod	6
fine rod	2
radial reflector	126

The dimension of sub-assemblies is shown in Fig. 1.

The average atomic number densities in each sub-assembly is given in Table 1.

2. Core arrangement

The core arrangement is shown in Fig. 2.

3. Core configurations in physics calculations

The physics calculations are carried out for the following three configurations :

The configuration A : the 2-dimensional (R-Z) core with rod out.

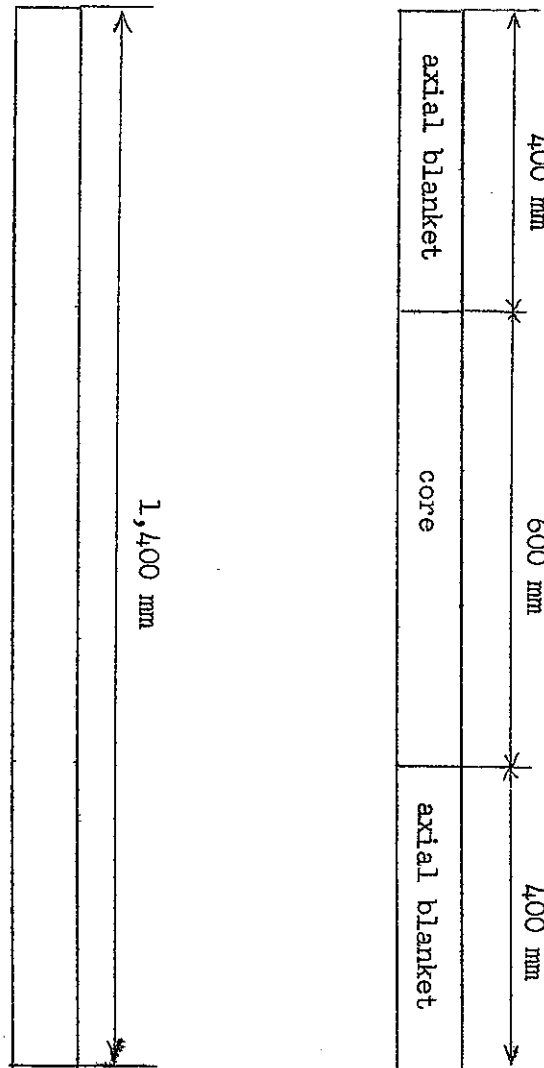
The configuration B : the 2-dimensional (R-Z) core with 6 shim rods in.

The configuration C : the 2-dimensional (X-Y) core with all rods in.

The configurations A, B and C are illustrated in Figs. 3, 4 and 5 respectively.

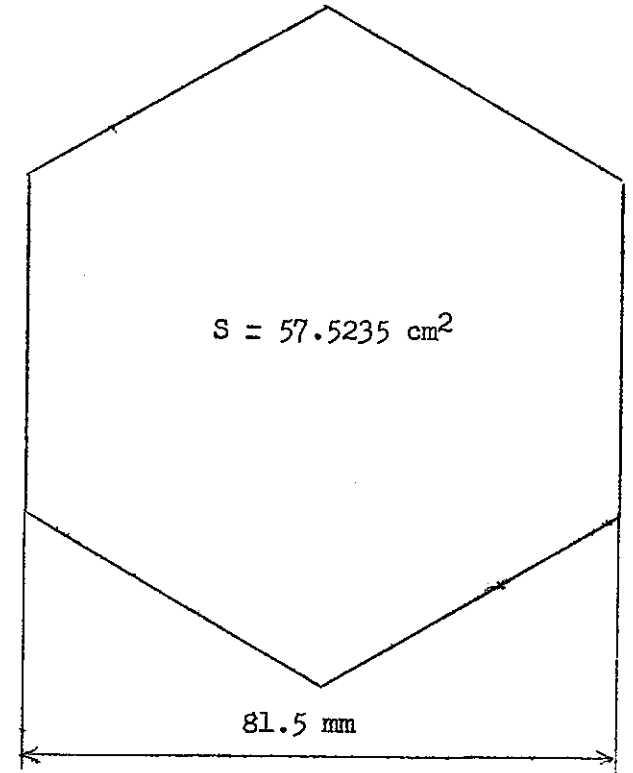
The regional atomic number densities in the configuration A, B and C are given in Tables 2, 3 and 4 respectively.

The reactor temperature is assumed to be 20°C except for sodium which is at 370°C.



radial blanket subassembly, core fuel subassembly
control rod and reflector

Axial Dimension



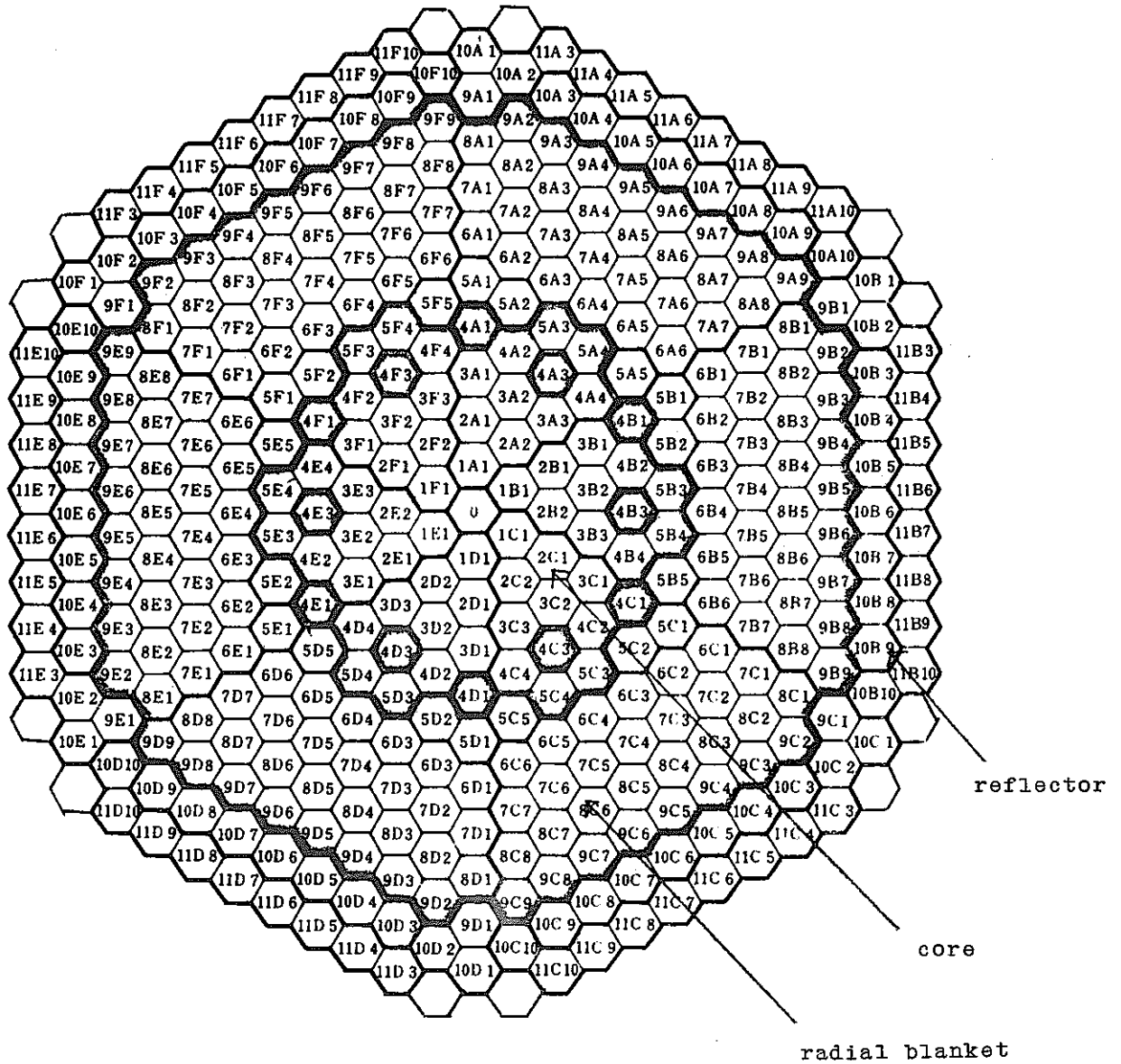
Radial Dimension

(common to all subassemblies)

(including the gap between subassemblies)

Fig.1 Sub-assembly dimension

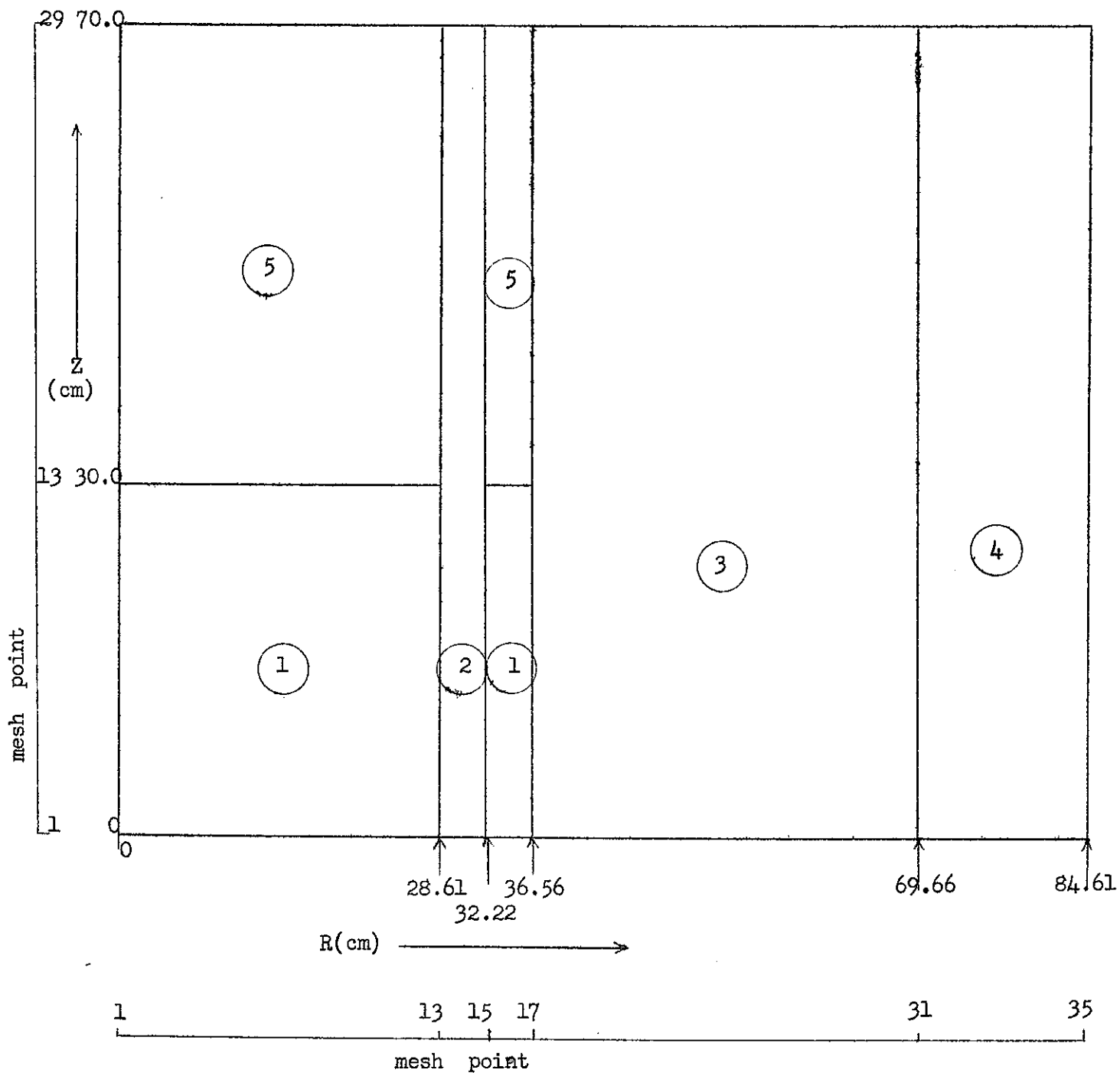
4 基準方位(燃料出入機)



Fine rod	4A1 , 4D1
Shim rod	4B1 , 4B3 , 4C1 , 4F1 , 4E3 , 4E1
Safety rod	4A3 , 4C3 , 4F3 , 4D3

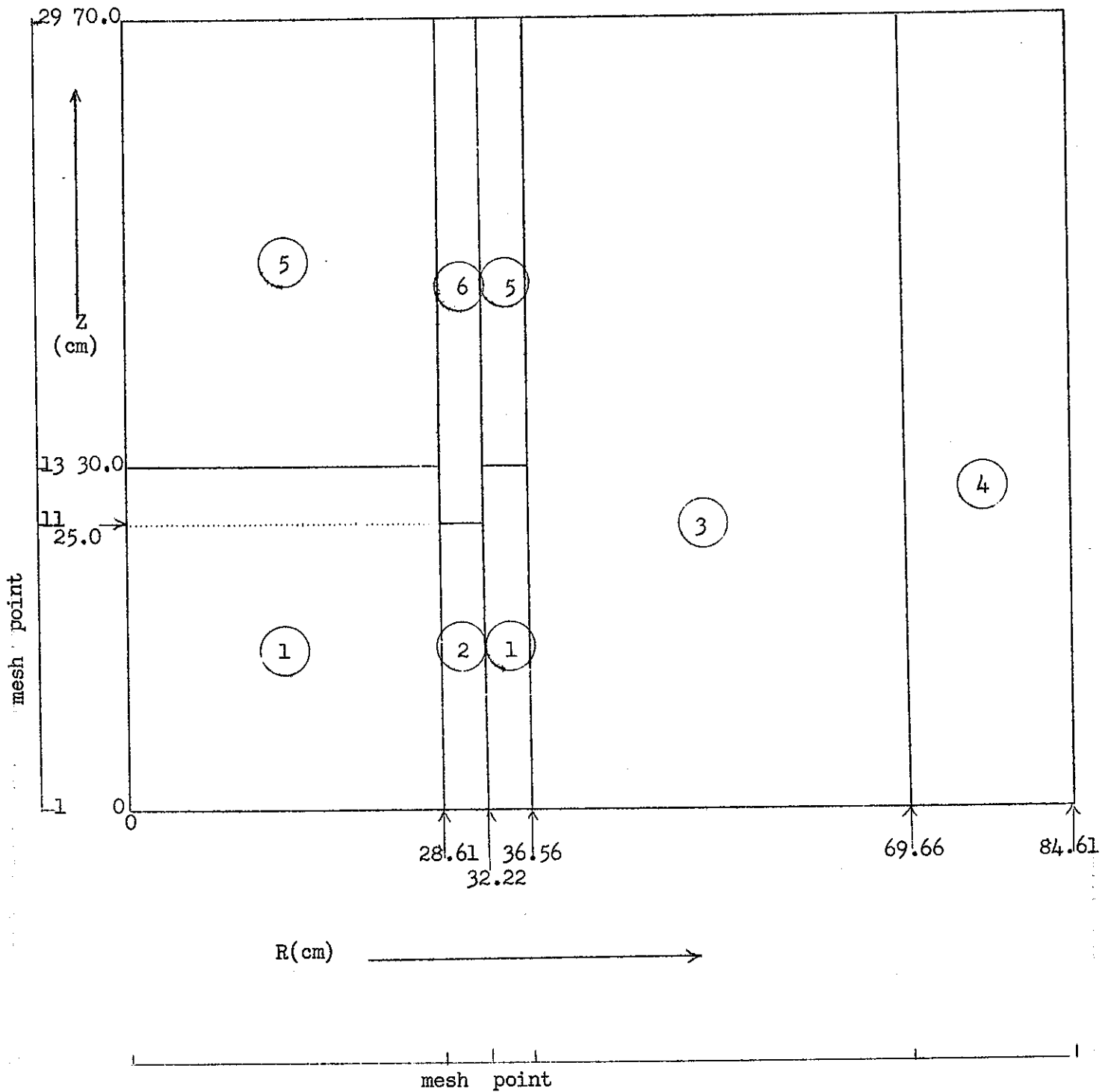
高速実験炉炉心マトリックス

Fig.2 Core arrangement



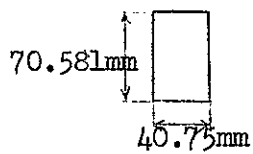
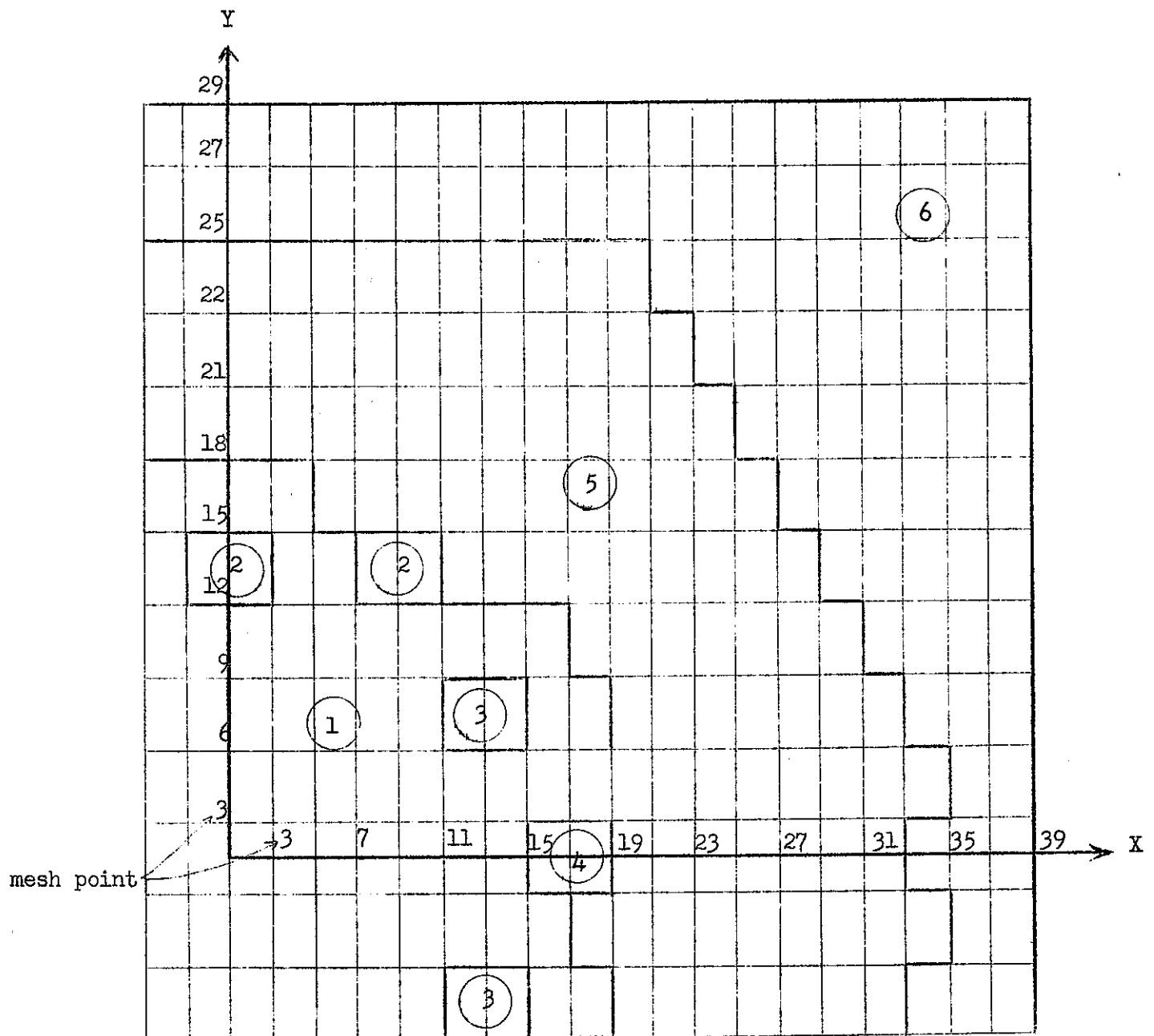
1. Core , 2. Control rod region (rod out) , 3. Radial blanket ,
 4. Reflector , 5. Axial blanket .

Fig. 3 The core configuration A : (R-Z) core with rod out



1. Core , 2. Control rod (absorber) , 3. Radial blanket ,
 4. Reflector , 5. Axial blanket , 6. Control rod (structure) .

Fig. 4 The core configuration B : (R-Z) core with 6 shim rods in



1. Core , 2. Shim rod , 3. Safety rod , 4. Fine rod ,
 5. Radial blanket , 6. Reflector .

Fig. 5 The core configuration C : (X-Y) core with rod in .

Table 1 The average atomic number densities in a sub-assembly

Temperature : 20°C except for sodium at 370 °C

unit 10^{22} cm^{-3}

	C O R E	A X I A L B L A N K E T	R A D I A L B L A N K E T	A N Y C O N T R O L R O D (R O D O U T)	S A F E T Y R O D (R O D I N)	S H I M R O D (R O D I N)	F I N E R O D (R O D I N)	R A D I A L R E F L E C T O R
Pu 239	0.10928	0	0	0	0	0	0	0
Pu 240	0.03905	0	0	0	0	0	0	0
Pu 241	0.00782	0	0	0	0	0	0	0
U 235	0.17369	0.00605	0.00761	0	0	0	0	0
U 238	0.54307	0.85840	1.07997	0	0	0	0	0
B 10	0	0	0	0	4.0580	2.4228	1.2450	0
B 11	0	0	0	0	0.4014	0.4276	1.5216	0
C	0	0	0	0	1.1148	0.7126	0.6916	0
O	1.72834	1.7116	2.1534	0	0	0	0	0
Na	0.9267	0.9267	0.7364	1.9449	0.6869	0.9333	0.9333	0.1135
Cr	0.3522	0.3522	0.3164	0.2491	0.5000	0.5572	0.5572	1.6563
Fe	1.1477	1.1477	1.0312	0.8119	1.6295	1.8158	1.8158	5.3975
Ni	0.1970	0.1970	0.1770	0.1394	0.2797	0.3117	0.3117	0.9265
Mo	0.0251	0.0251	0.0226	0.01776	0.03565	0.03973	0.03973	0.1181

Table 2 The regional atomic number densities in the configuration A

unit 10^{22} cm^{-3}

	CORE	CONTROL ROD (OUT)	RADIAL BLANKET	RADIAL REFLECTOR	AXIAL BLANKET	
	①	②	③	④	⑤	
Pu 239	0.10928	0	0	0	0	
Pu 240	0.03905	0	0	0	0	
Pu 241	0.00782	0	0	0	0	
U 235	0.17369	0	0.00761	0	0.00605	
U 238	0.54307	0	1.07997	0	0.85840	
B10	0	0	0	0	0	
B11	0	0	0	0	0	
C	0	0	0	0	0	
O	1.72834	0	2.1534	0	1.7116	
Na	0.9267	1.9449	0.7364	0.1135	0.9267	
Cr	0.3522	0.2491	0.3164	1.6563	0.3522	
Fe	1.1477	0.8119	1.0312	5.3975	1.1477	
Ni	0.1970	0.1394	0.1770	0.9265	0.1970	
Mo	0.0251	0.01776	0.0226	0.1181	0.0251	

Table 3 The regional atomic number densities in the configuration B

unit 10^{22} cm^{-3}

	CORE	SHIM ROD IN	RADIAL BLANKET	RADIAL REFLECTOR	AXIAL BLANKET	CONTROL ROD STEM	
	①	②	③	④	⑤	⑥	
Pu 239	0.10928	0	0	0	0	0	
Pu 240	0.03905	0	0	0	0	0	
Pu 241	0.00782	0	0	0	0	0	
U 235	0.17369	0	0.00761	0	0.00605	0	
U 238	0.54307	0	1.07997	0	0.85840	0	
B 10	0	1.2114	0	0	0	0	
B 11	0	0.2138	0	0	0	0	
C	0	0.3563	0	0	0	0	
O	1.72834	0	2.1534	0	1.7116	0	
Na	0.9267	1.4391	0.7364	0.1135	0.9267	1.9449	
Cr	0.3522	0.40315	0.3164	1.6563	0.3522	0.2491	
Fe	1.1477	1.31385	1.0312	5.3975	1.1477	0.8119	
Ni	0.1970	0.22555	0.1770	0.9265	0.1970	0.1394	
Mo	0.0251	0.028745	0.0226	0.1181	0.0251	0.01776	

Table 4 The regional atomic number densities in the configuration C

unit 10^{22} cm^{-3}

	CORE	SHIM ROD (ROD IN)	SAFETY ROD (ROD IN)	FINE ROD (ROD IN)	RADIAL BLANKET	RADIAL REFLECTOR	
	①	②	③	④	⑤	⑥	
Pu 239	0.10928	0	0	0	0	0	
Pu 240	0.03905	0	0	0	0	0	
Pu 241	0.00782	0	0	0	0	0	
U 235	0.17369	0	0	0	0.00761	0	
U 238	0.54307	0	0	0	1.07997	0	
B 10	0	2.4228	4.0580	1.2450	0	0	
B 11	0	0.4276	0.4014	1.5216	0	0	
C	0	0.7126	1.1148	0.6916	0	0	
O	1.72834	0	0	0	2.1534	0	
Na	0.9267	0.9333	0.6869	0.9333	0.7364	0.1135	
Cr	0.3522	0.5572	0.5000	0.5572	0.3164	1.6563	
Fe	1.1477	1.8158	1.6295	1.8158	1.0312	5.3975	
Ni	0.1970	0.3117	0.2797	0.3117	0.1770	0.9265	
Mo	0.0251	0.03973	0.03565	0.03973	0.0226	0.1181	

I-3 Nuclear Check Calculation by CEA

1. Cross sections

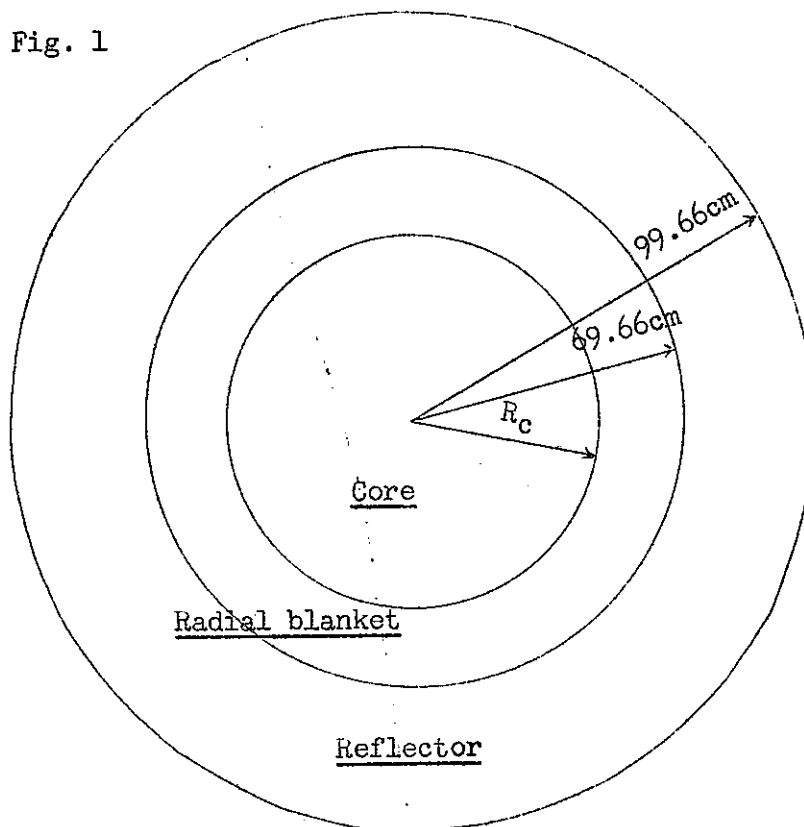
A 25 group set was prepared, from our Cadarache set Version 2. Version 1 was directly derived from the Winfrith Data File. Version 2 was obtained in the following manner : With the BARRACA method, and with Version 1 as a starting point, many critical experiments were analysed (cf. J.Y. BARRE and J. RAVIER, papers presented at the IAEA Meeting, Karlsruhe 1967, and BNES Meeting this June, London).

This procedure suggested some modifications in the cross sections. Based on this, and on the differential measurements available, a new evaluation was made, leading to Version 2.

2. Comparision between "MUDE" and DTF 4 (S_4 and S_8) by spherical models

On the spherical model, as shown on Fig. 1, we made a first calculation using diffusion theory (MUDE Code, 25 g).

Fig. 1



Atom numbers were taken from the JEFER paper of Feb. 21, 1969 :
"the core composition of JFER". For an eigenvalue of 1.0, we found
a critical radius of :

$$R_c = 33.15 \text{ cm.}$$

The core radius was divided into 40 mesh points, blanket thickness
into 30 mesh points and reflector thickness into 30 mesh points.

The value of the critical radius found by MUDE calculation, as
well as the atom numbers used, were taken as input data for transport
1D calculation (DTF₄). Results are :

- Calculation by S₄ , 25 g (see fig. 1) : $k_{\text{eff}} = 1.01610$
- Calculation by S₈ , 25 g (see fig. 1) : $k_{\text{eff}} = 1.01477$

The same number of mesh points as used in diffusion calculation
was used for each zone. The result, found for ΔK :

$$(S_8) - (\text{diffusion}) = 1477 \cdot 10^{-5} \Delta k/k$$

seems to be in agreement with our former calculations.

3. Nuclear characteristics research by "524 S"

This code "524 S", also named in Cadarache "code REVE", is a 2D
diffusion theory code, with burn-up calculations. The geometrical
configurations and the mesh point scheme are given in fig. 2. We
used a 11 group cross section set from the '25 group set; see fig. 3
for the group condensation, where is also given the weighting spectrum,
which is that calculated at the core center (DTF S₈ spherical model).

Total thermal power

was fixed at 92 MWth. Conversion factor : number of fissions /sec

by watt was fixed at $2.98 \cdot 10^{10}$ in order to take into account all the thermal release inside the reactor (γ etc...)

Burn-up calculations were done for three steps of 28 days. The results are the following :

- Initial value of k_{eff}	1.01318
- successive values of k_{eff} after each cycle of 28 days :	1.00835
	1.00375
	0.99915

A loss of $1403 \cdot 10^{-5} \Delta k/k$ for a period of 84 days (an average value of $16.7 \cdot 10^{-5} \Delta k/k$ per day) is then derived.

Breeding ratios are defined as follows :

$$\text{IBR} = \text{Internal breeding ratio} = \frac{\text{fissile atoms created in the core}}{\text{fissile atoms destroyed in the core}} \\ \text{(captures + fissions)}$$

$$\text{EBR} = \text{External breeding ratio} = \frac{\text{fissile atoms created in the blanket}}{\text{fissile atoms destroyed in the core}} \\ \text{(captures + fissions)}$$

Breeding ratio values were found to be :

<u>Initial state of the core</u>	<u>after 84 days burn-up</u>
IBR = 0.207	IBR = 0.212
EBR = 0.714	EBR = 0.735
-----	-----
total B.R. = 0.921	total B.R. = 0.947

Fig. 4 and Fig. 5 give the power distributions in the core (radial and axial distributions) for initial conditions and after 84 days of burn-up.

4. Control rod calculations by transport theory (DTF 4) -

1D - Transport calculations were done in order to calculate the worth of safety rod and shim rod at the center of JEFR [DTF 4 - S₄ cylindrical model of the core; axial height used in DTF 4 : 84.5 cm, i.e. extrapolated height - (2 x 0.71 x λ_t)]

Results obtained are :

- reference core, nominal enrichment k_{eff} = 1.04150
- central zone (1 subassembly) with "rod out" medium k_{eff} = 1.02527
- central zone with safety rod k_{eff} = 0.96960
- central zone with shim rod k_{eff} = 0.98360

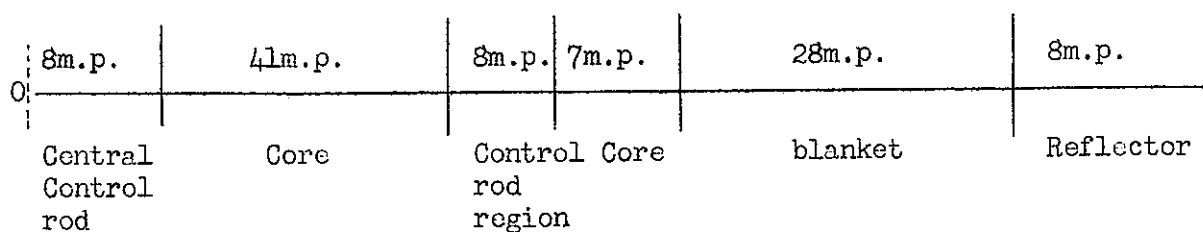
The worth of the control rods at the core center is then the following

- safety rod : 5567 10⁻⁵ Δk/k
- shim rod : 4167 10⁻⁵ Δk/k

Remarks :

1° - Mesh points divisions are given here-under :

total number of mesh point (m.p.) : 100



2° - The relative difference between the 524 S calculation (11 g) and the DTF 4 reference calculation (25 g)

$$k = 1.04150 - 1.01318 = 2832 \cdot 10^{-5}.$$

may be explained as follows :

- 25 g → 11 g condensation :	550 10 ⁻⁵	Δk/k
- effects of the presence of the control absorbing zone in the upper axial blan- ket	950 10 ⁻⁵	Δk/k
- transport → diffusion	~ 1500 10 ⁻⁵	Δk/k
- remaining reactivity (inaccuracies on the buckling or extrapolated height)	~ -178 10 ⁻⁵	Δk/k
Total	----- 2832 10 ⁻⁵	Δk/k

5. Comments

Tests of the Cadarache set Version 2 have been performed on various assemblies, as described in the paper by J.Y. BARRE and J. RAVIER et al. to be presented at the BNES London Conference, June 1969)

Calculations made in transport theory (S_{∞}), with heterogeneity and geometrical corrections, provided the following results (given as Pu assemblies examples)

		experimental	calculated version 2
Rapsodie	$k_{\text{eff}} =$	1.0	1.006
Masurca 1A	$k_{\text{eff}} =$	1.0	0.993
ZPR N° 48	$k_{\text{eff}} =$	1.0	1.008

Control rod calculations made for Rapsodie gave a discrepancy of 30% (diffusion theory), that is about 20 % (transport theory).

	experimental	calculation
safety rod worth (Rapsodic)	$1640 \cdot 10^{-5} \pm$	$2150 \cdot 10^{-5}$
at the edge of the core	$60 \cdot 10^{-5} \Delta k/k$	$\Delta k/k$

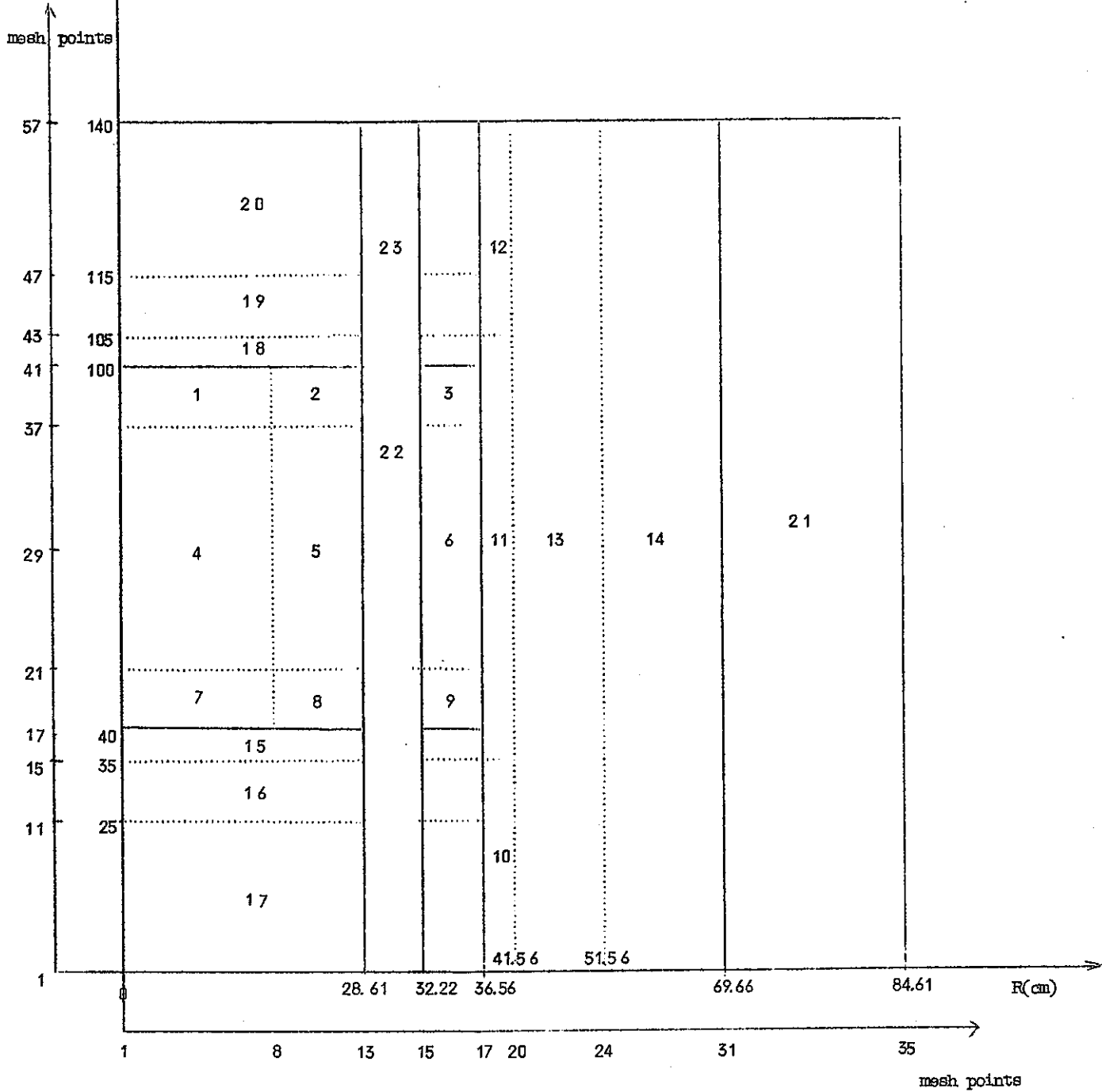
J E F R

Neutronic model used for

Z (cm)

Fig 2

the 524S (evolution) Calculations



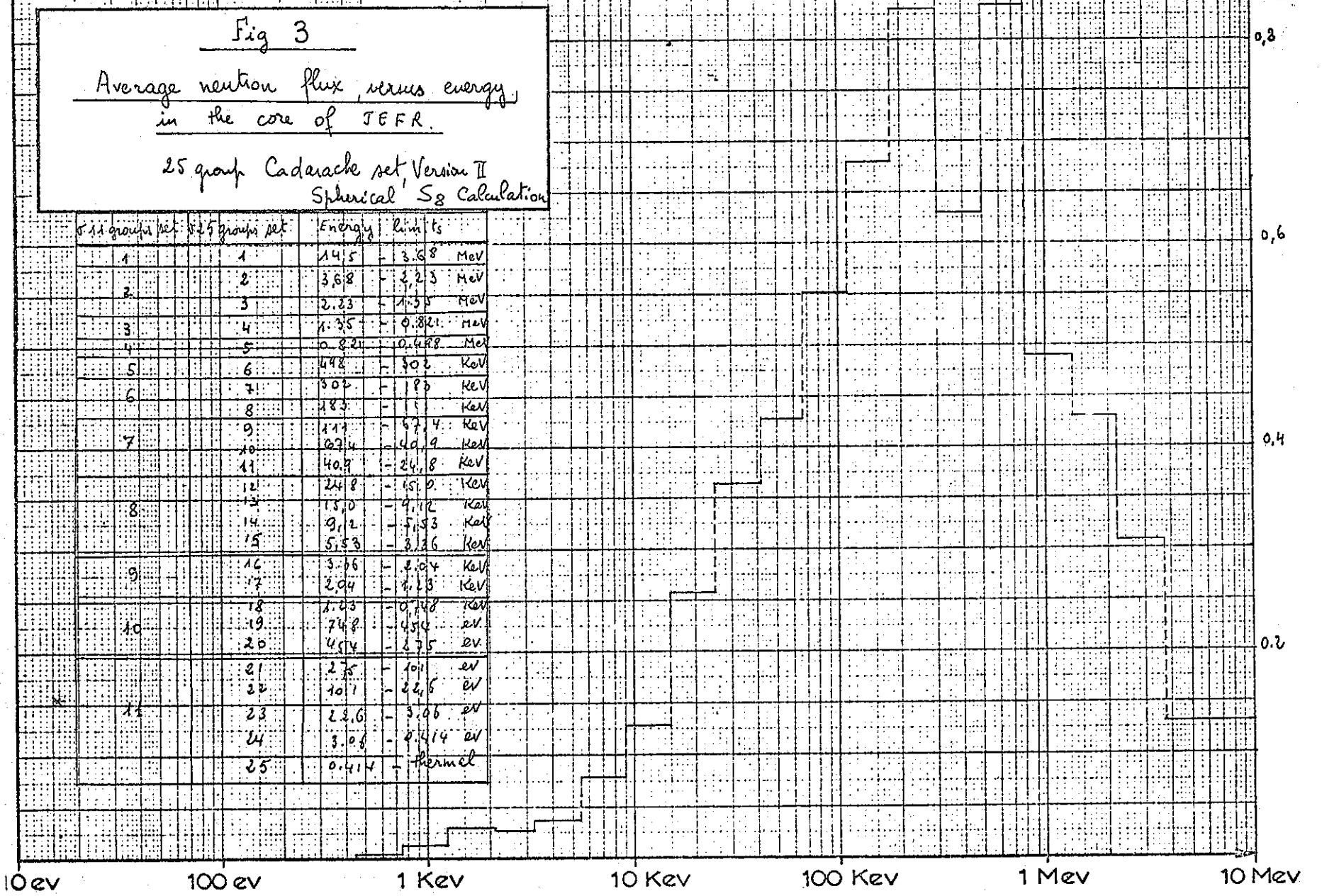
2 3 4 5 6 8 10 2 3 4 5 6 8 10 2 3 4 5 6 8 10 2 3 4 5 6 8 10 2 3 4 5 6 8 10

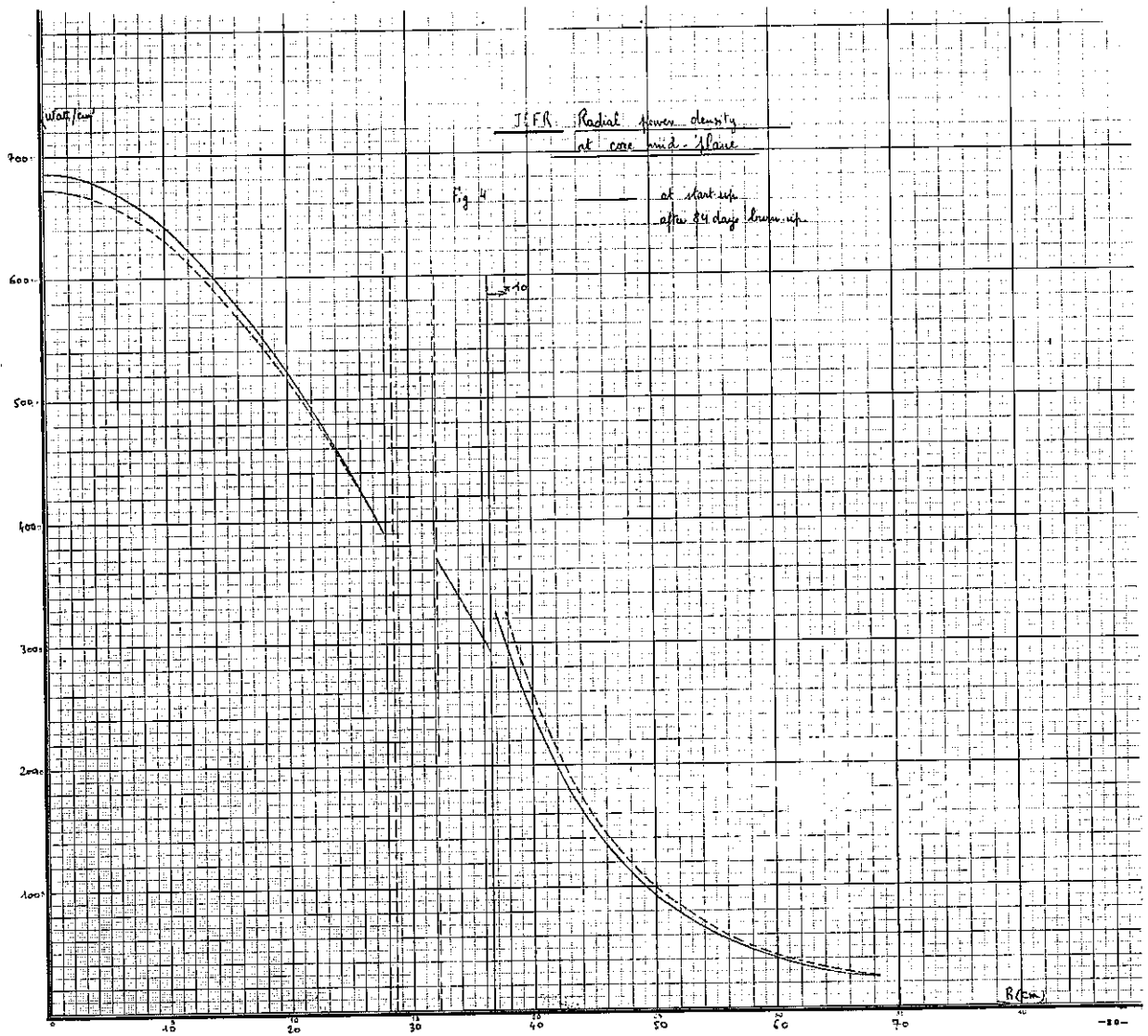
22 21 20 19 18 17 16 15 14 13 12 11 10 9 8 7 6 5 4 3 2 1
 Groupes SETP

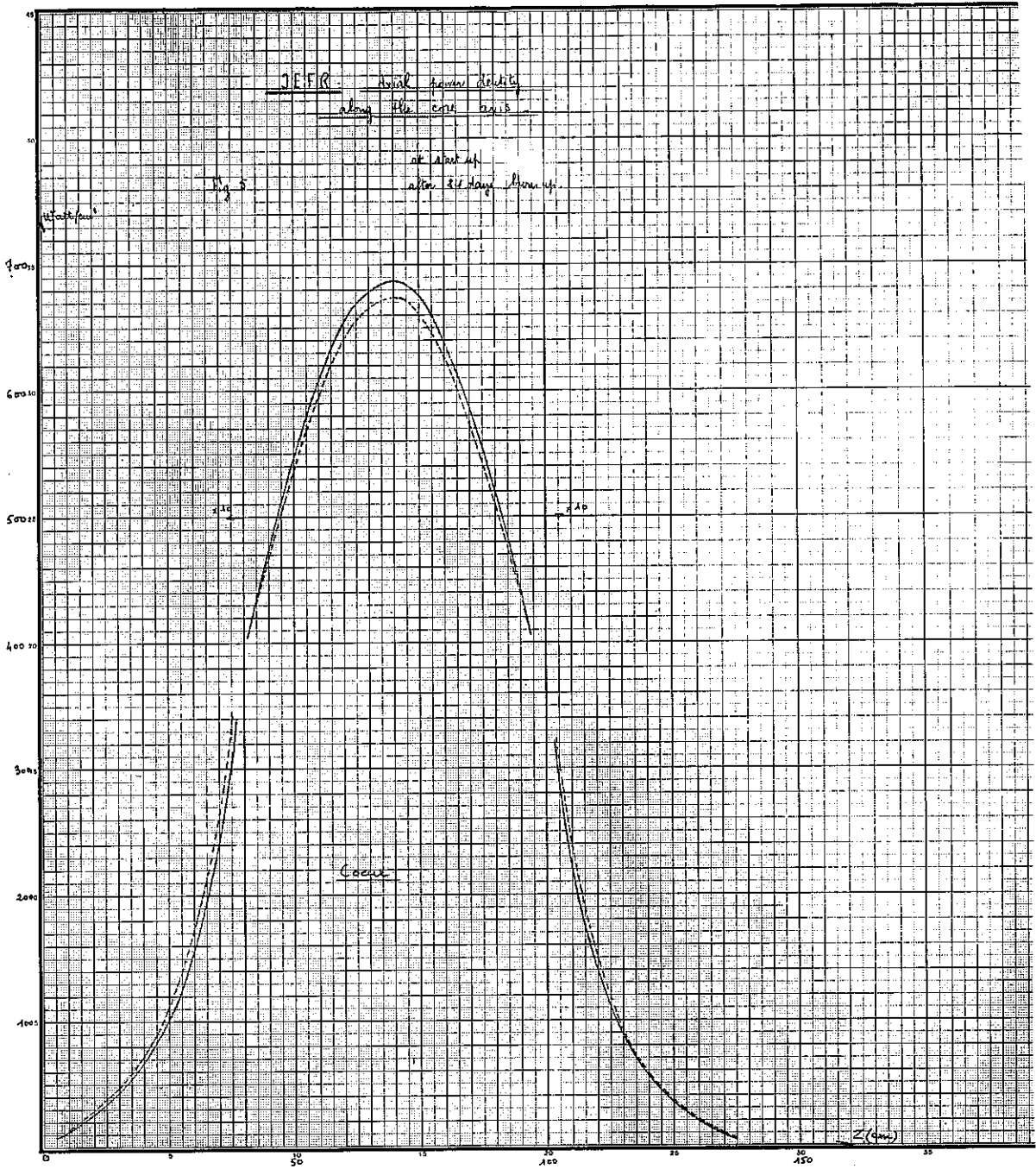
Arbitrary units

Fig 3
Average neutron flux, versus energy,
in the core of JEFR.
 25 group Cadarache set, Version II
 Spherical S_8 Calculation

5-11 groups set	5-25 groups set	Energy	Limits
1	1	14.5	- 3.68 MeV
2	2	3.68	- 2.23 MeV
3	3	2.23	- 1.35 MeV
4	4	1.35	- 0.821 MeV
5	5	0.821	- 0.498 MeV
6	6	498	- 302 KeV
7	7	302	- 183 KeV
8	8	183	- 111 KeV
9	9	111	- 67.4 KeV
10	10	67.4	- 40.9 KeV
11	11	40.9	- 24.8 KeV
12	12	24.8	- 15.0 KeV
13	13	15.0	- 9.12 KeV
14	14	9.12	- 5.53 KeV
15	15	5.53	- 3.36 KeV
16	16	3.36	- 2.04 KeV
17	17	2.04	- 1.23 KeV
18	18	1.23	- 0.748 KeV
19	19	748	- 456 eV
20	20	456	- 275 eV
21	21	275	- 101 eV
22	22	101	- 22.6 eV
23	23	22.6	- 3.06 eV
24	24	3.06	- 0.414 eV
25	25	0.414	- thermal







I-4 Questionnaire and Answer

(Q1) Calculations by "5245"

Was the 11 group set which was obtained by the group condensation with the weighting spectrum at the core center, used in the control rod, blanket and reflector region too ?

If not, what kind of the weighting spectrum was used in the group condensation in the control rod, blanket and reflector region ?

(A) The weighting spectra used were drawn from the spherical transport calculation ($DTF_4 - S_8$), done for our preliminary study of JEFRR (item 1). The geometrical configuration was the following :

- 1 - core
- 2 - radial blanket
- 3 - stainless steel reflector

Core spectrum was used to weight the cross sections in the core, in the control rods zone without absorbing material situated in the core and in the control rod zone with absorbing material situated above the core.

Radial blanket spectrum was used to weight the cross sections in the blanket (axial blanket and radial blanket).

Stainless steel reflector spectrum was used to weight the cross sections in the steel reflector.

N.B. -

It must be read on page 2 (last three lines) of the "Nuclear check calculation for JEFRR" (item 3) :

"see fig. 3 for the group condensation, where is also given the weighting spectrum for the core, which is the averaged spectrum calculated over the core region" ($DTF - S_8$ spherical model).

(Q2) Control rod calculations by "DTF 4"

i) How much is the leakage in the axial direction treated by the 1D-transport calculation ?

Is the axial height used in DTF 4 (84.5 cm) common to core, control rod, blanket and reflector regions ?

ii) Does the control zone with "rod out" medium of item 4 mean the absence of the absorbing material in the upper axial blanket ?

iii) Was the effect of condensation from 25 groups to 11 groups evaluated by diffusion code "524 S" ?

iv) How did you obtain the value of $1500 \cdot 10^{-5}$ k/k for the difference between transport theory and diffusion theory ?

(A) i) - The 1 D - transport calculations were done by using an axial height of 84.5 cm common to all regions (core, control rod, blanket and reflector region), and deduced from an estimation of the averaged axial buckling, as given by the 2 D-524 S calculation.

ii) - Calculation were done in 1 D - geometrical configuration. So, it is impossible to take into account the presence of the absorbing material in the upper axial blanket, unless by adjusting the reactivity.

iii) - The effect of condensation from 25 groups to 11 groups was done only by 1 D - calculation (code MUDE) with the same buckling ($B^2_{axial} = 1.065 \cdot 10^{-3}$). (This is essentially the effect of the diffusion coefficient values, as calculated from the microscopic 11 g cross sections; with the directly condensed diffusion coefficients from the 25 g values, there is practically no difference in k_{eff} between the 25 g and the 11 g calculations).

iv) - See item 1, where it is stated that there is $1477 \cdot 10^{-5} \Delta k/k$ between transport and diffusion calculation done on a spherical model of JEFER.

I-5 A B N set, D T F - IV による制御棒価値の計算

(本項は東芝での計算による)

一次元トラスポートコード D T F - IV を用いて J E F R 円筒形体系の炉心中心における制御棒 (S A F E T Y R O D) 価値を計算した。群定数は A B N セットを使用し, D T F - IV へのマクロ断面積は次のように計算した。

$$\Sigma_t = \text{Sum}_i N^i \times \left\{ \bar{\sigma}_c^i + \bar{\sigma}_f^i + \bar{\sigma}_{in}^i + \bar{\sigma}_{el}^i (1 - \mu_e^i) \right\} \quad (1)$$

$$\Sigma_{j \rightarrow j} = \text{Sum}_i N^i \times \left\{ \bar{\sigma}_{in}^i (j \rightarrow j) + \bar{\sigma}_{el}^i - \bar{\sigma}_d^i(e) - \mu_e^i \times \bar{\sigma}_{el}^i \right\} \quad (2)$$

他のマクロ定数は EXPANDA-2 と同様に計算した。

計算は 25 群, S4 で行い D T F - IV の C O R E H E I G H T には 84.5 cm を入力した。

計算結果

	D T F - IV (A B N)	D T F - IV (Cadarache-2)	EXPANDA-2 (A B N)
ROD OUT	1.05623	1.02527	0.99510
SAFETY ROD IN	0.99810	0.96960	0.93940
$-\Delta R / R$ (%)	5.5035	5.4298	5.5974

以上から

1. 中心制御棒価値に対する Sn 計算と拡散計算の差は比較的小さい。
2. Cadareche - 2 セットを用いたフランスの計算結果とも良く一致している。

Σ_t の計算方法

前回 (燃料ラックの核的検討)* の時は

$$\Sigma_t = \frac{1}{3D}$$

$$= \text{Sum}_i N^i \times \left\{ (\bar{\sigma}_t^i - \bar{\sigma}_{in}^i - \bar{\sigma}_c^i - \bar{\sigma}_f^i) \times (1 - \mu_e^i) + \bar{\sigma}_{in}^i + \bar{\sigma}_c^i + \bar{\sigma}_f^i \right\} \quad (3)$$

$$\Sigma_{j \rightarrow j} = \Sigma_t - \Sigma_a - \left(\text{Sum}_{k=j+1} \Sigma_{j \rightarrow k} \right) \quad (4)$$

と計算したが、 Σ_t を(3)式で計算すると CORE 領域 (Group = 25) で

$$\Sigma_t < \Sigma_a$$

となり $\Sigma_{j \rightarrow j}$ が負になる。

これは Pu^{239} の 25 群での self - shielding factor と(3)式に問題があると考えられる。

Σ_t を(1)式で計算すると K_{eff} は 0.5% ~ 1% 程度大きくなる。

*) II 燃料ラックの核的検討を参照

Ⅱ 燃料ラックの核的検討

Ⅱ-1. はじめに

炉内燃料貯蔵ラック内炉心燃料集合体の発熱を検討するため、その核的検討を東芝および日本原子力研究所の協力を得て行なった。

ここにその結果をとりまとめて示す。

II-2. 輸送計算による検討

燃料ラックの出力計算における拡散計算と輸送計算の相違を比較した。

1次元拡散コード：EXPANDA-2 (25群, 78 mesh)

1次元輸送コード：DTF-N (25群, S4, 78 mesh)

WDSN (25群, S4, 110 mesh)

群定数：ABNセット

1. 計算体系は第1図に示す円筒形状で、各領域の原子数密度を第1表に示す。ここで、燃料ラック領域は新燃料26本が貯蔵されているとした。
2. 各コードでの固有値および燃料ラック領域の発生中性子数割合を下表に示す。

	EXPANDA-2	DAF-N	WDSN
固有値	1.0844	1.0932	1.1063
発生中性子数割合	3.283×10^{-2}	3.293×10^{-2}	

DTF-N, WDSNにおける transpor 補正は次のとおり。

1) DTF-N

$$\sum_t(\text{DTF-N}) = \sum_{tr}(\text{EXPANDA-2}) + DB^2$$

$$\sum_a(\text{DTF-N}) = \sum_a(\text{EXPANDA-2}) + DB^2$$

$$\sum_{i \rightarrow i+1}(\text{DTF-N}) = \sum_{in}^{i \rightarrow i+1}(\text{EXPANDA-2}) + \sum_r(\text{EXPANDA-2})$$

$$\begin{aligned} \sum_{i \rightarrow i}(\text{DTF-N}) = & \sum_t(\text{DTF-N}) - \sum_a(\text{DTF-N}) - \int \sum_{j \neq i}^{i \rightarrow j}(\text{EXPANDA-2}) \\ & - \sum_f(\text{DTF-N}) \end{aligned}$$

$$\sum_{i \rightarrow j}(\text{DTF-N}) = \sum_{in}^{i \rightarrow j}(\text{EXPANDA-2}) - (j=i+2, j+3, \dots, i+9)$$

$$\sum_f(\text{DTF-N}) = \sum_f(\text{EXPANDA-2})$$

2) W D S N

$$\sum_t (W D S N) = \sum_t (EXPANDA-2) + D B^2 - \sum_{s1}^{i \rightarrow 1} (EXPANDA-2)$$

$$\sum_{s0}^{i \rightarrow 1} (W D S N) = \sum_{s0}^{i \rightarrow 1} (EXPANDA-2) - \sum_{s1}^{i \rightarrow 1} (EXPANDA-2)$$

3. 中性子エネルギースペクトル, 中性子束分布

炉心中央と燃料ラック中央位置における中性子エネルギースペクトルを第3図, 第4図に示す。

炉内の中性子束分布を第5図に示す。燃料ラック領域でW D S NはEXPANDA-2, DTF-IVより低い分布を示している。

第6図に炉心中央における全中性子束と燃料ラック各点における全中性子束との比を示す。

4. 燃料ラック領域の非均質効果

これまでの計算は燃料ラック領域中の燃料を均質化して行なつたが, 非均質の取扱い(第2図)では次の結果となる。

(EXPANDA-2による)

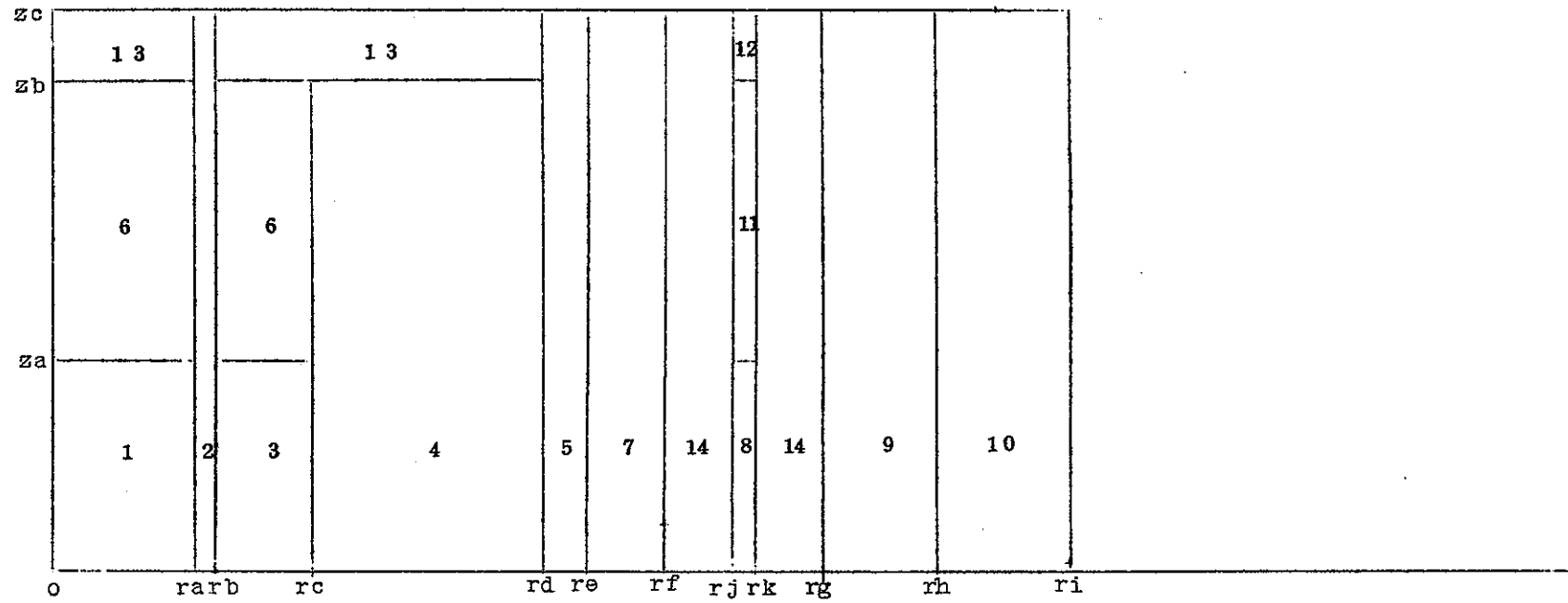
	均 質	非 均 質	変 化 高
発生中性子割合	3.2834×10^{-2}	2.7000×10^{-2}	-0.5834×10^{-2} (17.8%)

第1表 原子数密度

(単位 $10^{23} / \text{cm}^3$)

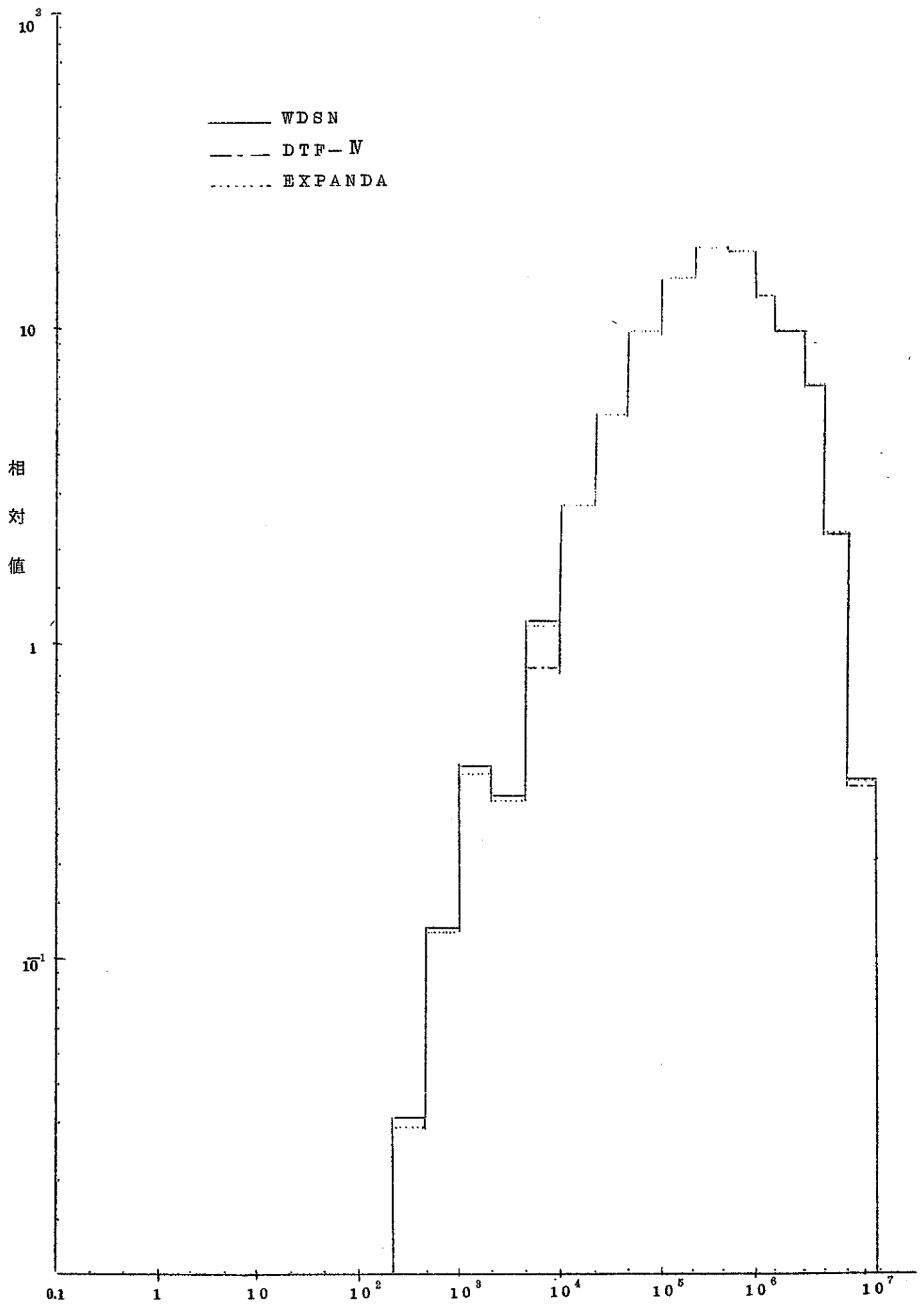
核種	領域	炉心	制御棒	ブランケット	半径方向	反射体	銅板	燃料ラック	遮蔽体	ナトリウム
Pu 239		0.1093						0.01149		
Pu 240		0.03905						0.0041		
Pu 241		0.00781						0.00082		
U 235		0.1665		0.00279				0.0175		
U 238		0.5505		1.10				0.05784		
O		1.729		2.206				0.1817		
Na		0.9212	1.900	0.7304	0.4536	1.435	1.899	0.7073	2.269	
Cr		0.3563	0.2838	0.3086	1.468	0.6749	0.2323	1.263		
Fe		1.161	0.925	1.006	4.853	2.231	0.7678	4.176		
Ni		0.1993	0.1588	0.1727	0.5853	0.269	0.09259	0.5035		
Mo		0.002514	0.02024	0.02201						

{ 20℃時, 但しNa }
{ のみは370℃とする }



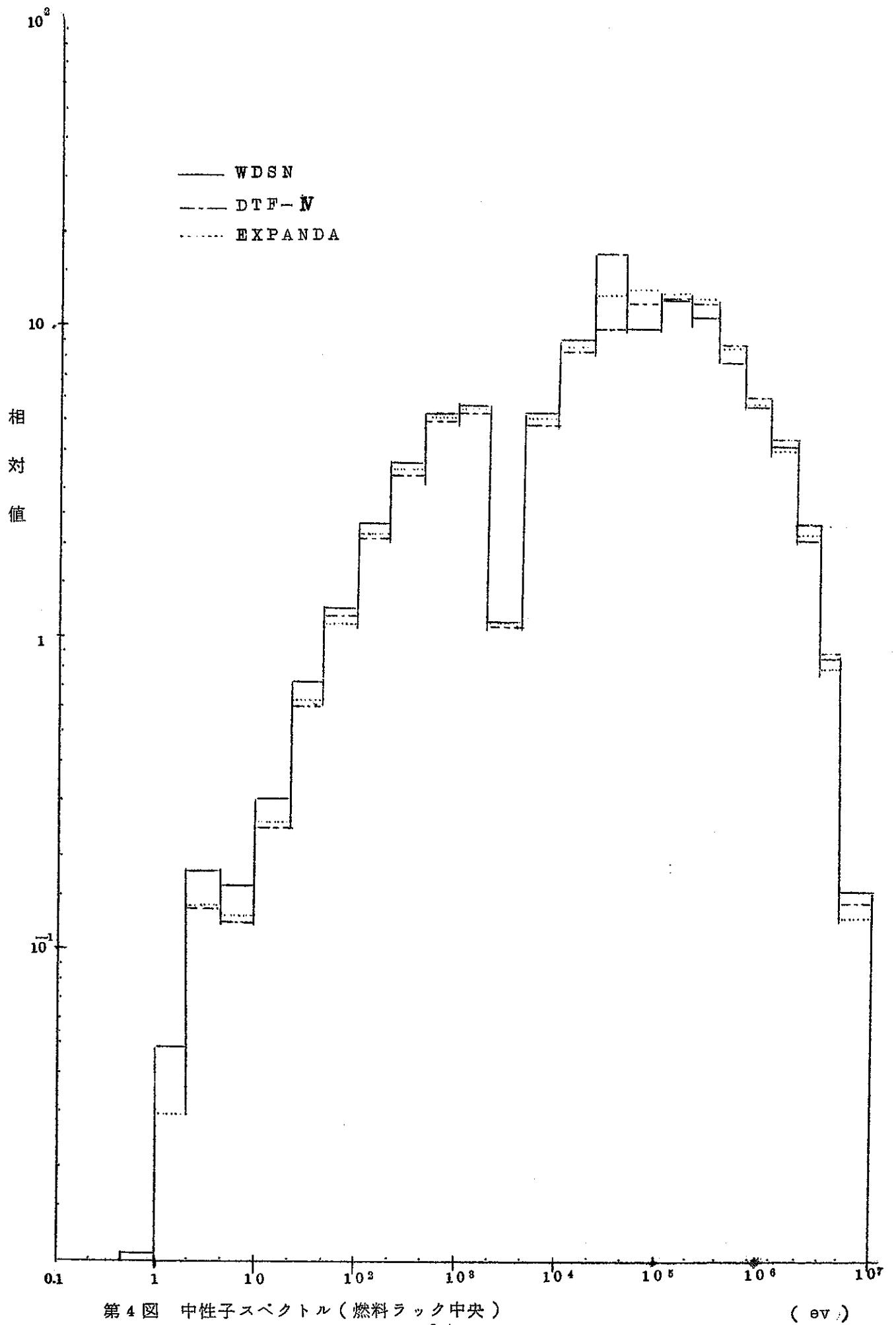
	rh = 126.00 cm
ra = 20.289 cm	ri = 145.00 cm
rb = 22.837 "	
rc = 36.560 "	za = 30.0 cm
rd = 69.658 "	zb = 70.0 cm
re = 75.704 "	zc = 80.0 cm
rf = 87.000 "	
rj = 97.292 "	
rk = 99.708 "	
rg = 110.00 "	

图2 円筒形炉心形状 (HETEROGENEOUS case)



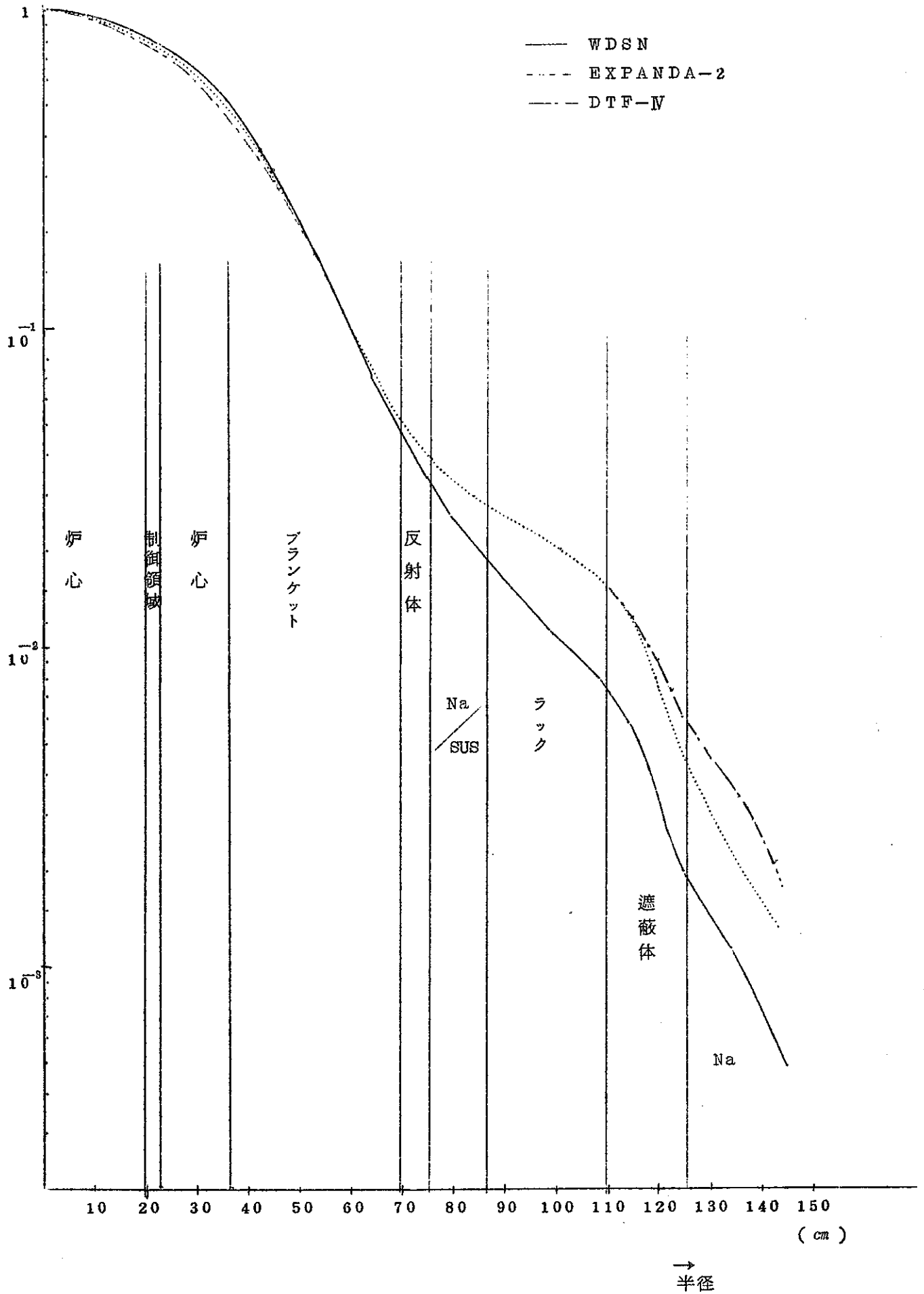
第3図 中性子スペクトル(炉心中央)

(eV)

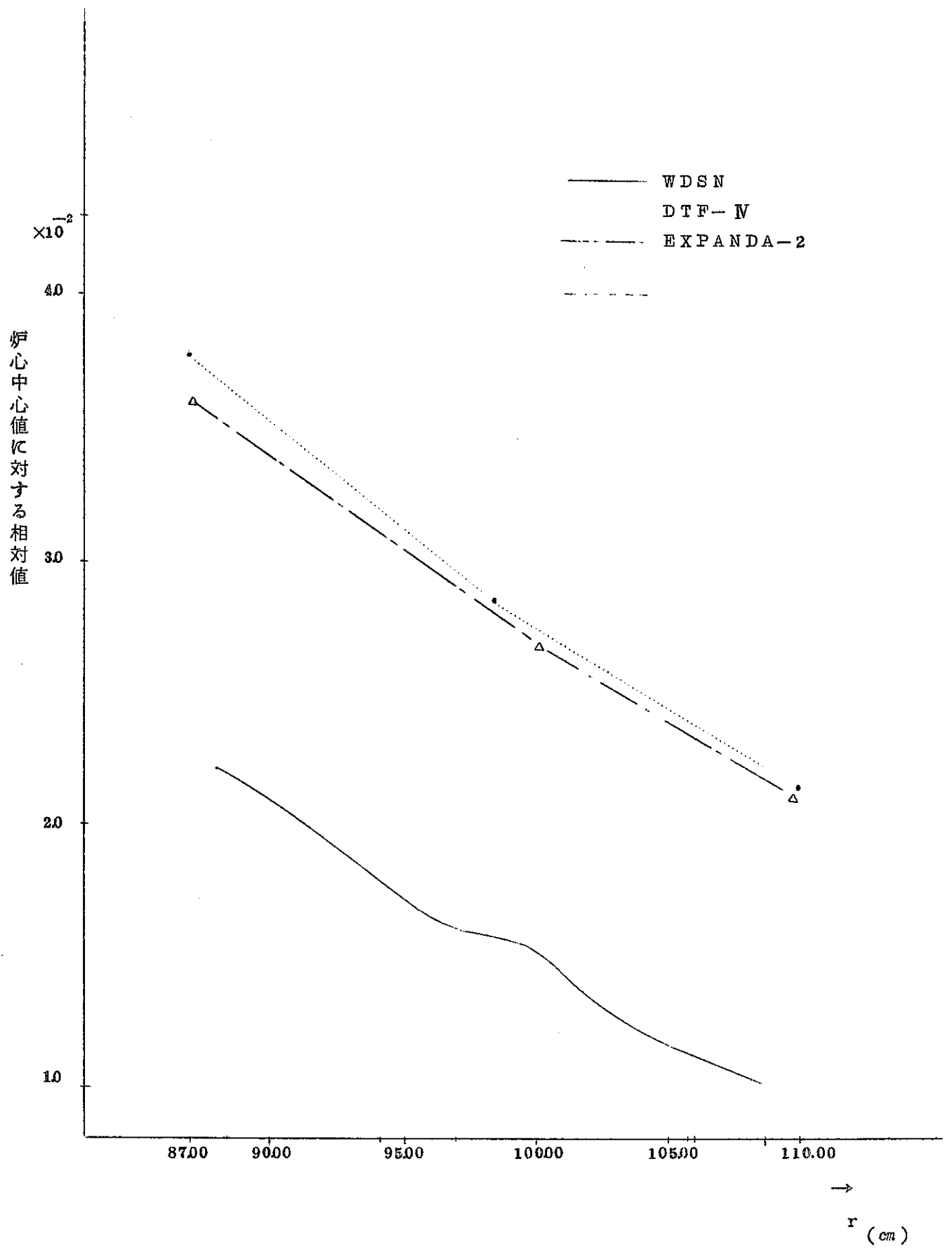


第4図 中性子スペクトル(燃料ラック中央)

(eV)



第5図 $\phi(u)$ $g=8$



第6図 燃料ラック領域での $\int_i \phi_i(u) du$